مجانة تاريخ لعلوم العرسية

العددان الأول والثاني

1991

المجلد التاسع

القسم العربي

بعتوريات المحد

الأيماث :	
مهدي محقق : كتاب الشكوك على جالينوس لمحمد بن زكريا الرازي	0
ميمون حايك : الرازي راندريا فيماليوس	10
ملخصات الايحاث المنشورة في القسم الاجنبي	
العاول البرتيني : و مقالة تربيع الدائرة به لاين الهيثم – جرهان فلسفي ام رياضي	44
فيرتدرا شارما : الفلكيون للسلسون في قصر جاي سيخ	43
م. آ. تولما شفا : شرق افريقية عند بطليموس من خلال الجفرافية العربية في اوائل العصور الوسطى .	r -
القوت . م . بروينو . علم المثلثات الاسلامي والبطليموسي وسألة تحديد القبلة	57
داليل مارتن فاريسكو : اصل الانواء عند العرب : الفرق بين العلم والتراث	r E
الغويه آلا و : انتشار المؤلفات اللاتيئية الأولى في الفرب المستمدة من كتاب والحساب، الضائع للخوادرزمي	70
جوتهارد فشروماير ﴿ علم النائس هند ابن سينا و و الكوميديا الإطبية ، لدانتي	ry.
and Jane	

باول كوفيش : جداول الكواكب الثابتة من كتاب المجمعلي

انتناهية ستعبيم

تعود مجلة تاريخ العلوم العربية للظهور ثانية، بعدما تعثرت وتأخرت لأسباب خارجة عن إرادة معهد التراث العلمي العرني وإننا تأسف لذلك .

وإننا نشكر كافة المشتركين في المجلة من باحثين ومؤسسات علمية على صبرهم وتفهمهم لظروفنا الطارثة ، ونأمل بأن عمدر المجلة من الآن فصاعداً بانتظام كسابق عهدها .

ونظراً لعدم إمكانية اصدار مجلدات عن الفترة السابقة، فإننا اعتبرنا الفترة مابين ١٩٨٥ – ١٩٩٠ م فترة توقف ، مع المحافظة على تسلسل المجلدات وبالتالي على حقوق المشركين كاملة .

ستجلمون في هذا المجلد نتاج عمل الباحثين الدؤوب في الكشف عن الترآث العلمي في الحضارة العربية والاسلامية ، وقد تضمن هـــذا المجلد أبحاثاً غنية ومتنوعة تتطرق لمواضيع شي في الطب والفلك والرياضيات .

مدير معهد التراث العلمي العربي الاستاذ الدكتور خائد ماغوط

کناب الشکوك على جالبنوس *

لهمد بن زكريا الرازي

مهاري محقق

ابو بكر محمد بن زكريا بن يحيى الرازي الملقب بجائينوس العرب وطبيب المسلمين وعلامة علوم الأواثل كان من أعظم علماء الإسلام شهرة وأشهرهم علماً , درس الرازي عند عدة من علماء بلاد خراسان وما وراء النهر وطبرستان مثل الهي العباس الإيرانشهرى النيشابوري وأي زيد البلخي وعلى بن ربن الطبرى وتوغل في الأعمال الطبية في مستشفيات الرى وبغداد حتى اشتهر بالطبيب المارستاني وكذا ناقض وناظر علماء زمانه من جملتهم ابو القاسم الكعبي البلخي المعلم الإلهي ومسألة الزمان وأحمد بن الحسن المسمعي في مسألة قدم الهيولى وابو العباس الناشي الأكبر افي إثبات الطب وابو الحسن شهيد بن الحسين البلخي الأباس الناشي الأكبر افي إثبات الطب وابو الحسن شهيد بن الحسين البلخي ال

- ه ألقى البحث في الندوة العالمية الرابعة لتاريخ العلوم عند العرب مجلب في فيسان ١٩٨٧ م .
- ٤ أبن إن اصبيعه ، عيون الالباء في طبقات الاطباء (بيروت ٦٣ ١٩٦٥) ، ص ٤١٥ .
 - ٢ التفطي ، أخيار الحكماء (ليبزيك ١٩٠٣) ، ص ٢٧١ .
- ٣ -- ابن تغري بردي، النجوم الزاهرة في أخبار مصر والقاهرة (قاهر، ١٣٤٨ ١٣٦٩) ، ج٣ ص.٢٠٩ .
 - ء ناصر خبيور ، زاد الحمافرين (برلين ١٩٤١) ، صو ٩٨ .
 - ه ابن النام : الفهرست (طبعة قلرجل) ، ص ۲۹۹ .
 ۲ القفيل ، اخبار الحكماء ، ص ۲۳۱ .
- ۷ ابن جلجل ، طبقات الأطباء والحكماء (قاهره ١٩٥٥) ، ص ۷۷ ه مارستان و نخف و بيمارستان و منى المستنفى .
 - ٨ اين المرتفى ، طبقات المعتزلة (بيروت ١٣٨٠) ، ص ٨٨ .
 - ١ المسمودي ، التشبيه والإشراف (بغداد ١٣٥٧) ، ص ٣٤٣ .
 - ١٠ ابن المرتشى ، طبقات المعتزلة ، ص ٩٣ .
 - ١١ ياقوت حموي ، معجم البلدان (ئيبزيك ١٨٦٦) ، ج ٢ ص ١٦٧ .
 - عبلة تاريخ العلوم العربية الحبلد التاسع ، ١٩٩١ م ص ٥ ١١ .

علاني څخل

مسألة اللَّـدَة وأحمد بن محمد ابو طيب السرخسي ١٣ في أثر الطعم المر واحمد بن كيال١٤ في مسألة الإمامة .

والدليل على جلالة قدر الرازي في العلم أن ابا الرحان البيروني برغم انه كان غالفاً للرازي في بعض عقائده الفلسفية والدينية ألف كتاباً ذكر فيه آثار الرازي على حسب الموضوعات المختلفة العلمية ¹⁴ أعنى الطب والطبيعيات والمنطق والرياضيات والنجوم وتقاسير كتب القدماء وتلاخيصها والفلسفيات والتخمينيات وما فوق الطبيعة والكيمياء والكفريات والفنون المختلفة الاخرى .

وفي جملة كتبه في الطبيعيات يذكر البيروني كتاب « الشكوك على جالينوس ه الومع الأسف ما يقي لنا من ذلك الكتاب القيم إلا ثلاث نسخ يظن آنها ترجع إلى أصل واحد وبرغم ان الكتاب مفيد جداً لطالبي تاريخ الطب في الإسلام ما طبع حتى الآن . والغرض من كاتب هذه المقالة أن يعرف الكتاب إلى العلماء الحاضرين في هذا المجلس الشريف على حسب الطاقة والاستطاعة .

قبل الحوض في أصل البحث لابد أن تشير إلى ان لقظ ه الشك » يعادل اللفظ الموثاني Aporia الذي يؤدي معنى الضيق والعسر والورطة والحيرة ، وفي مجال الجدال الفلسفي يدل على الصعوبة والمشكلة والمعضلة واقتران لفظ الشك أو مقابله اليوناني بالحرف » على » Pros يقربه من معنى الاعتراض والتقدا . فغرض الرازي في كتابه إثارة الشكوك أو الاعتراضات على مواضع مشكلة تورط فيها جالينوس في مؤلفاته .

ولد جالينوس في سنة ١٣٠ م . في مدينة Pergamon التي عربت بفرغامس أو فرغامن من بلاد آسيا الوسطى ومات في سنة ٢٠٠ م . في سيسيل وترك آثاراً عديدة في العلوم المختلفة خاصة في الطب والفلسفة . الف جالينوس في حياته فهرساً لمؤلفاته

١٢ - ياقوت حموي ، إرضاد الاديب (قاهرة ١٩٢٤) ، ج ١ ص ١٥٨

۱۲ - مقدسي ، البدء والتاريخ (ياريس ۱۸۹۹ – ۱۹۱۹) ، ج ه ص ۱۲۱ .

۱٤ - نشرة بول كراوس (باريس ١٩٣٦) نشرة مهدي محقق مع المشاطة لرسالة الفهرست لفضنفر التبريزي (تبران ١٩٨٧)

١٥ - البيروني ، الرسالة ، وقم ٨٨ .

١٦ – عبد الحبيد سبره ، مقدمة الشكوك على بطلميوس لابن الهيثم ، (قاهره ١٩٧١) ، ص م .

وذلك الفهرس يسمى ه فيتكس ١٢، أو « بينكس ١٨، من Pinax اليونانية بمعنى الفائمة وألف كتاباً آخر في كيفية تقدم كتبه وتأخرها في القراءة ويسمى ه في مراتب قراءة كتبه ١٠٠ . اشتهرت آثار جالينوس بعده وكثر تابعوه وتلامذته وانتشروا في المدارس والمعابد . وبعد مدة اختفت النصوص اليونانية في زوايا الأديرة والمعابد ونسيت أو كادت تنسى ولكن المترجمين الاسلاميين ترجموا جل آثاره من اليونانية الى السريانية والعربية ، وفي العصور الوسطى في اوربا ترجمت من العربية الى اللاتينية من العربية الى اللاتينية ثم الى اللغات الأخرى .

اشتركت في ترجمة آثار جالينوس في العصر الاسلامي عدد كثير من المترجمين ولحنين بن اسحق العبادي المشهور بحنين الترجمان المتوفى سنة ٢٩٥٠ ها سهم كبير في امر ترجمة كتب جالينوس وقد بقيت منه رسالة يذكر فيها الكتب التي ترجمها من جالينوس ٣٣ وهذه الكتب كانت سبباً في شهرة جالينوس بين المسلمين حتى صار اسمه في الادب دالاً على الكمال في فن الطب يقول المتنبى:

لما وجدت دواء دائي عندها هانت علي صفات جالينوسا٣٣

كان الرازي من أقدم العلماء الذين توجهوا نحو آثار جالينوس واستفادوا منها حتى انه وجد كتبا له لاتوجد في فهرست حنين بن اسحق ولا في فهرستجالينوس نفسه.

- ١٧ حدين بن أسحق ، الرسالة ، ص ٢ ي وسناه فينكس وترجبته الفهرست ير .
 - ١٨ أين إلى أصبيعة ، هيون الأنباد ، ص ١٣٤ .
 - , De Ordine Librorum ن اللاتية ١٤
- Durling, R. J. Achronological Census of Rensissance Editions and Translations of 7.

 Galen, The Journal of the Warburg and Command Institute, Vol. XXIV, Nos 3 4, 1961, P. 233.
- ۲۹ ابو زید حدین بن اسحق العبادی المتوفی ۲۹۰ (ابن الندیم) أر ۳۹۶ (ابن ابی اصیحه) علی بن
 ربن الطبری یذکره مم نقب و الترجمان و ، فرهوس الحکمة (بران ۱۹۳۸) ، ص ۸ .
- - ۲۲ ديوان المتنبي (طبعة ديتريسي بران ۱۸۹۱) ، ض ۹۶ .
- ٢٤ يذكر ابن آبي اصيب كتابا الرازي باسم : « ليما استدركه من كتب جاليتوس ولم يذكرها حتين
 والا هي في فهرست جاليتوس ۽ عيون الا لياء ، س ٤٢٤ .

يهاي غائق 153

وقد كان الرازي متابعا لآراء جالينوس لا في الطب فقط بل كان يمذو حذوه في الفلسفة والأخلاق أيضاً فلا عجب أن نرى أنه يصرّح في ابتداء كتاب الشكوك بهذه العبارة :

المعدد المنافعة على المنافعة المعدد المعدد والمنافعة على المنافعة المعدد ا

ا ولقد كان رجل وجيه بمدينة السلام ممن يميل إلى ارسطاطاليس يقرأ معي كتب جالينوس فإذا بلغ إلى أمثال هذه المواضيع أكثر لومى وتعسفى على تفضيله وتقديمه وكان يعلم الله كثيراً ما يخجلني علو حجته علني في هذه الاشياء ١٨٠ وجدير بالذكر ان الرازي يميل إلى افلاطون في كثير من المباحث التي يخالف جالينوس فيها ارسطاطاليس ويوافق افلاطون مثل مسألة اللذة والألم ومسألة النفوس الثلاثة ولهذا يقول صاعد الاندلسي في حق الرازي: الا وكان شديد الانحراف عن ارسطاطاليس وعائبا له في مقارقة معلمه افلاطون وغيره من متقدمي الفلاسفة في كثير من آرائهم ١٩٠٠.

الف الرازي كتاب الشكوك بعد قراءة مصنفات جالينوس المهمة ولهذا وجد مواضع الشكوك في كتبه المختلفة والتناقض فيها في المسائل المتعددة. وقد يسمى ابو الريحان

٥٦ -- الرازي ، كتاب الشكول ، مخطوط ،كتبة طك تهران مجموعة ٩٧ه ، من ١ من قاس الكتاب.
 ٢٩ -- ابن ابي اصيبة ، أرقام ٢ ، ١٩٩ ، ١٩٩ من آثار الرازي . حنين بن اسحى ، الرسالة ، ارقام ٢٩ -- ابن ابي اصيبة ، ١٩٥ من آثار جاليتوس .

١٧٠ - البيروني ، الرسالة ، أرقام ١٠٨ ، ١٠٩ ، ١٠١ ، ١١١ من آثار الرازي . حدين بن أسحق ،
 الرسالة ، ارتمام ٢٠٠ ، ١٠٠ ، ١٤ ، ١٠٠ من آثار جالينوس .

۲۸ - الرازي ، كتاب الشكوك ، س ١٦ .

٢٩ – ابنو القاسم صاعد بن أحمد ، طبقات الأمم (بيروت ١٩١٦) ، ص ٣٣ ...

البيروني في فهرسته هذا الكتاب ۽ الشكوك على جالينوس ٣٠٠ وابن ابي اصبعه يسميه « الشكوك والمناقضات التي في كتب جالينوس ٣١٠ وقد وجدنا في النسخة التي استفدنا منها ونرجع إليها هذا العنوان ٣ كتاب الشكوك للرازي على كتاب فاضل الأطباء جالينوس في الكتب الذي نسب إليه ٣٠٠ .

ويجب أن نذكر ان الاسكندر الافروديسي ٣٣ نقض آراء جالينوس ٣٠ قبل الرازي وكذلك يحيى النحوي الإسكندراني وضع كتابا سماه الشكوك أورد فيه ما يزعمه الخلوطات جالينوس٣٠ .

وقد أشار محمد بن سرخ النيشابوري الفيلسوف الإسماعيلي في كتابه الذي يشرح فيه قصيدة أبي الهيثم الجرجاني إلى كتاب الشكوك للرازي ثم يذكر ان رجلا في زمان الرازي وضع كتابا وسماه الشكوك على محمد بن زكريا وإذا رأى الرازي هذا الكتاب قال : « منزلتي عنده كنزلة جالينوس عندي » ثم اقر الرازي باشتباهات نفسه مناف في صحة هذه الاسطورة ولكن من المسلم به ان ابن ابي صادق ٢٠ وابن رضوان المصري ٨٠ وابا العلاء بن زهر ٢٠ وضعوا كتباً باسم ، حل شكوك

- ٣٠ البيروني ، الرصالة ، رقم ٨٨ .
- ٢٢ أبن إني السيبعة ، عيون الأنباء من ٢٢٤ .
 - ج ج عُطوطة مكتبة ملك تبرأن ، ص ١ .
 - , Alexander of Aphrodisian TT
- ٣٤ -- يذكر ابن ابي اصبيعة منه : « مقالة في الرد عل جالينوس في المقالة الثامنة من كتابه في البرهاد » « مقالة في البرد على جالينوس فيما طمن على قول ارسطاطاليس ان كل ما يتحرك فأنما يتحرك عن محرك » مقالة في البرد على جالينوس في مادة الممكن « عمون الأنباء ، ص ١٠٦٠ .
- وج يقول على بن رضوان المصري في رسالة منه إلى ابن بطلان البغدادي : « وأعجب من هذا ان يحيى النحوي وضع كتاباً سماه الشكوك يوضح فيه ما يزعمه الخلوطات جالينوس » محمس رسائل (قاهره ١٩٣٧) ، ص ٧٥ .
- ٣٦ محمد بن سرخ النيشابوري، شوح قصيدة أبو الهيثم احمد بن حسن الجوجاني (تهران ١٩٥٥) ص٥٦ .
- ٣٧ يقول ابن ابي اصيبحة عند ترجمة أحوال أبو القاسم عبد الرحمن بن أبي صادق من رجال القرن
 الماسى: ووكتب أبو القاسم مخطه حل شكوك الرازي على كتب جالينوس، عبون الإنباء، ص ٢١١٠
- ٣٨ -- يذكر ابن ابي اصيبعة لابي الحسن علي بن رضوان المصري المتوفى ٣٥٤ كتاب و في حل شكوك الراذي على حل كتب جالينوس يه ٤ عيون الاقباء ، ص ٩٧٠ .
- به ج ما يذكر اين أصيبة لابي العلاء زهر بن ابي مروان Avensoar المتوفى ه ۴ ه كتاب با حر شكوك الوازي على كتب جالينوس با ميون الانباء ، س به ۴ ه م.

الرازي على كتب جاليتوس م . ويشير ان ميمون القرطبي إلى رد ابن رضوان وابن زهر ي كتاب فصوله على وكال كتاب ان رصوان في يد ابن أبي اصبيعه المح ولكمه الآن معقود ولكن بقى لنا من كتاب ان زهر نسخة في مكتبة مدرسة نواب عشهد _ ايران عنوان المسحة هكذا * البيان والتبيين في الانتصار خاليوس * ويطن أبن زهر أن أحدا من السوطنائية ابتدع هذا الكتاب ونسه إلى الرازي أو ان الرازي الفرازي الف الكتاب في أوله قبل أن يعهم كتب حاليوس وإما في آخره عند شتغاله بالصناعة أعبى الكيمياء وتسلط روائح الزرانيخ والكباريث على دماغه عند الرازي كتاب الشكوك بهذه العبارة :

ا إني لأعلم ان كثيرا من الناس يستحهلوني في تأليف هذا الكتاب المحمل وهو يدافع إبراد هذه الجماعة بقوله: « إن صاعة الطب والطلحة لايحتمل التسليم للرؤساء والقبول منهم ولا مساهلتهم وترك الاستقصاء عليهم ولا القيلسوت يحب ذلك من تلاميذه والمتعلمين منه » ثم يجيب لائميه بقوله:

وأما من لامني وجهلني في استخراج هذه الشكوك فائي لااعده فيلسوفاً إذ كان قد نمذ سنة العلاسفة وراء ظهره وتمسك بسنة الرعاع وتقليد الرؤساء وترك الاعتراض عليهم هدا ارسطاطاليس يقول و اختلف الحق وعلاطن وكلاهما صديقان إلا أن الحق لما أصدق من فلاطن بيه شع يقول الرازي :

- و ي حدد موسى بن ميدود الفرضي Maimanider على جانيدوس في العلسمة والعلم ولا لهي ، عجلة كالمية الآواب بالجلمة المصرية ، المحمد الحديث ، الحرم الأول (١٩٣٧) ، ص ٧٧
 - ٤٤ عيون الأنباء ص ٤٧٩ . .
 - ۲۶ مجلة آستان قدس رضوی ، مشهد ایران ، الدورة السابعة عدد ؛ ، ص ۱۹۹
- ع» «س رعر ، البيان والتبيين ، محملوطة مشهد ، سـ ۱ يقول ادن رهر : «ثان السوة ماانى بيدلا س «قان الرازي « .
- ٤٤ الرادي ، كتاب الشكولة ، س١٠ تقبس الرازي مند، كتابه من جابر بن حبال لأن لأخبر ببند. كتابه ، النجميع ، وكدا ، الم المكون ، بدارة ، ، ال قوما بستجهلوب ، . ، ، (رجع إلى جابر ابن حيان لبود كراوس Paul Kraua (قاهره ٢٥٢ ١٩٤٢) ، ح ٢ ص ٢٥٢
- عني بن رصوان المصري حيثما ينقل في رسالته إلى بن بطلان حد القول لأوسطاطانيس يصيف البه
 قول عراوريوس Porphyry الذي قال الله قتل آباد أهون إلينا من قبول الآر ، المسدة للمحمد وماثل . ص ٧٠٠.

و وإن سئلت عن السبب الذي من أحله يستدرك المتاخرون في الزمان على أفاصل القدماء يمثل هذه الاستدراكات , قلت إن لذلك اسباباً : منها السهو والغملة الموكلة بالبشر ، ومنها غلبة الهوى على الرأي فانه ربحا طمس الهوى عيز الرأي في رجل من الناس لأمر ما حتى يقول فيه ما خطا إما هو يعلم خطأه وإما هو لا يعلم حطأه حتى إذا تصفح ذلك القول رجل لبيب عار من ذلك الهوى لم يذهب عليه ما دهب على الرجل الأول ولم يدعه الهوى إلى ما دعاه إليه ، وسها أن الصناعات لاتر ل ترداد وتقرب من الكمال على الأيام ... فإن قبل لي هذا يدعو إلى أن يكول المتاحرون من أهل الصناعات أفضل فيها من القدماء ، قلت إلى لا أرى أن اطلق دلك إلا بعد أن اشترط في وصف هذا المتآخر في الزمان إذا كان مكملا لما جاء مه القديم .

أورد الراري في كتابه الذي سماه في المسائل الطبية والفلسفية ولهذا المترض ابن ميمون في كتابه الذي سماه في الفصول في على الرازي بأن الراري في كتاب الشكوك دلمل جهده في المسائل الفلسفية وأهمل المسائل الطبية ولكن يراد ابن ميمون مدفوع بأن جابينوس نفسه بحث في كتبه الطبية عن المسائل الفلسفية مثل الحدوث والقدم والكون والفساد والزمان والمكان واهيولى والحسلاء والملاء ودلك بأن الفلماء كانوا يعتقدون بأن العلب والفلسفة يكملان أحدهم الآحر حتى روى عن بعصهم النه الطب فسفة المدن والفلسفة طب الروح في وهذا حاليوس الف كتاباً سماه الأسلام أن يذكروا المسائل الفلسفية في كتبهم الطبة ليكون أرهم حامعا لطب الأبلان وطب الأنفس معا ونجد هذا الاسلوب في كتاب هردوس الحكمة لعلى بن رمن الطبري وطب الأنفس معا ونجد هذا الاسلوب في كتاب هردوس الحكمة لعلى بن رمن الطبري وهكذا في كتاب المعاجات البقراطية لأبي الحسن الطبري. وبحب أن بذكر ان الرازي خرج عن مسألة الطب والعلسفة مرة واحدة ودلك حين اعترض عبى قول حالينوس غي مسألة اللغات . قال جالينوس : وإن لغة اليونادين أعدب اللغات لأن نفات سائر في مسألة اللغات . قال جالينوس : وإن لغة اليونادين أعدب اللغات لأن نفات سائر في مسألة اللغات . قال جالينوس : وإن لغة اليونادين أعدب اللغات لأن نفات سائر

٩٤ - ود موسى پن ميموث القرطبي .. ١٠ ص ٧٧

Oweer Temkin, "Studies on Late Alexandrian Medicine". Bullatin of the History ; (2) + fy of Medicine, 1935, P. 418.

٨٤ مد حثين بن سحق ، الرسالة ، رقم ١٠٣ . طع هذا الكتاب في موتبحن من بالد آماد منه ١٩٦٦ مم الترجمة الإبالية

الأمم يشه بعضها صياح الخنازير وبعضها نقيق الضفادع ۾ وقال الرازي في رده . و إن هذا كلام عوام الناس لأن الألفاط أنما يخف ويعذب بالاعتباد وان لعة العرب عند العرب كلعة اليونانيين عندهم وإن العرب يستثقل لغة الروم كما يستثقل الروم لغة العرب ٤٩٨ ويشير ابن حرم إلى كلام جاليبوس بهذه العبارة : 8 هذا جهل شديد لأن عالم كل لعة ليست لغته ولايفهمها فهي عنده في النصاب الذي ذكره جاليئوس ولا فرق" والكتب التي أورد الرازي الشكوك عليها تكون من أهم كتب جالينوس مثل . آراء بقراط واللاطون ، الأخلاق ، الأدوية المهردة الأسطقسات على رأى بقراط ، اصناف الحميات ، الأعضاء الآلة ، الأغذية ، الأمراض الحادة، البحران، البرهان ، التجربة الطبية ، تدبير الأصحاء ، تشريح الحيوان ، تفسير كتاب البقراط في طبيعة الإنسان، تفسير كتاب الفصول، تقدمة المعرفة، حركة العضل، حيدة المرم، الذبول ، الرعشة والنافض ، الصناعة الصغيرة ، العلل والأعراض ، قاطاجانس ، القوى الطبيعية ، في أن قوى النفس تابعة لمزاج البدن . في ما يعتقده رأيا ، المزاح . منافع الأعضاء ، المني ، الميامر ، النبض الكبير ، وهكذا دكر الرازي في كتاب الشكوك أقوالا طبية وفلسفية من الحكماء اليونانيين مثل افلاطون وارسطاطاليس وبقراط وثاسطيوس وثاوفرسطس وخروسيس وابتدقلس وديوقلس وثالس واسقليبيادس وديوسقوريدوس وارسمطراطس ٥٠ ومن العلماء الاسلاميين مثل حنين بن اسحق ومحمد بن موسى ٥٣ وكذا أشار إلى رجل وجيه وصديق نبيل كان يقرأ معه كتب جائيتوس ولم يصرح باسمه اله .

وحينما يورد الرازي الشكوك على جالينوس يشير إلى نعض كتب نفسه التي فقدت على مر الدهور وهذا بمكننا أن نعلم بعض مطالب كتب الرازي التي لم يتق لنا حتى الآن إلا أسماؤها ومن جملتها :

۹ الرازی به کتاب الشکوك ، حی ۹۹ ...

١٥٠ - ابن حزم الأدالي ، الإحكام في اصول الأحكام (قاهر ، معيمة الا مام) ، ح ٩ ص ٣٣ .

Plato, Aristotic, Hippocrates, Themistius, Theophrastus, phrysippus, Empedacies, — e v Diocles, Thales Asciepudes, Dioscurides, Erasistratos.

٢٥ - عمد بن موسى المنجم، عيون الأنباء ، ص ٢٨٢ و الرازي يسميه وميلسوف المرسم، الشكوك، ص ١٠٠٠

۴۵ - الرازي ، كتاب الشكوك ، س A + ۱۹ = ۴۸ =

ا سمع الكيان ين القول في الشكوك :

« وقد أفردنا لبعض رأى من رعم ان اليميرات كمون وظهور في كتاب سمع
 الكيان من قرأها علم ان في هذا الكلام تقصيراً عما يحتاج إليه ٤٠٠.

في الرد على السرخسي في امر الطعم المر ، يقول في الشكولة في بحث الاستدلال على عمل الدواء من جهة الطعم : « وقد أفردنا لهذه المطالبات مقانة جعلنا رسمها في الرد على أحمد بن الطبب السرخسي في امر الطعم المر " " في أن مركز الأرض ينبوع البرد ، يقول في الشكوك :

ه وكان جالينوس يرى ان الركن البارد هو الأرض وقد وجب عليه ان الأرض
 باردة باطلاقه والبارد ماطلاق هو الذي لاشيء أبرد منه فهو إذن أبرد من الجمد وفي
 ذلك مخالفة الحس وتحتاج في حل هدا الشك إلى كلام كثير وقد أفردنا لذلك مقالة ٥٠٠٠

في كيعية الإبصار ، يقول في الشكوك :

٤ وقد أفردت النظر في هذا الرأي مقالة ضخمة وبينت أن الابصار يكون بتشمح الأشباح في النصر و تعصب ماقاله في هذا الراي في كتاب البرهان وفي سائر كته تعصما شافيا وما قلته هها يجري في غرض كتابنا هذا ٤٠٠ .

في الأزمنة والأهوية ، يقول في الشكوك حيىما ينقل رأي جالينوس من أن احوال معض الطباع يكون أجود في الصيف : « ولكى لاينخي أن يطول الكتاب بحله ولا بالجملة شيء من الشكوك التي في كلامه في الأزمنة لانها كثيرة جداً ونحتاج فيها من الكلام إلى أضعاف هذا الكتاب ولانا عازمون وبالله التوفيق على عمل كتاب في الأزمنة نخصه بهذا المعنى ونحث فيه عما في هذه المقالة وما في كتاب الأهوية بحثا مستقصين إن شاء إلله تعالى وهمه

في جو" الأسراب ، يقول في الشكوك :

١٤٠ - الشكولات من هـ .

٨٥ - الشكوك ٤ س ١٥٠ .

« وقد بيت في مقالة مفردة ال اخرارة التي نحسها في انشتاء في ماء العيول وأهويه المواصع العامرة ليست من أحل ابا في نصبها في هذه الحلة أسخن منها في الصيف لكن من تحسها من أجل درد أيدائنا كذلك كما نحس اماء الفاتر بعد دحول اخمام وسحونة أبدان دارد وإن شئت تقف عن جمع ماقلناه في هذا الناب فاقرأ هذه المقالة ٥٠٠٠.

النفس الكبير ، يقول في الشكوك :

« وهيما رد به على خروسس في عوارض النفس شكوك كثيرة لم محب أن يطول ما هذا الكتاب لانا عازمون عنى أن نكتب في هذا الفن كتاء يستقصيه إن شاء الله تعالى ونذكر في هذ الكتاب ما يتشكل عليه في كتاب الأخلاق ١٠٠٠ .

وكذلك جد في كتاب الشكوك المطالب العلمية التي تكشف عما قاله الرازي في بعص كتمه التي عقدت وإن لم يصرح نصمه ناسماء تلك الكتب

هدا ما ثيسر لي من تعريف ذلك الكتاب القيم على حسب مقتضى الحال والمقام وأوصي الباحثين في "ثار حالينوس والراري وافكارهما الطبية والفلسفية أن يتلقوا الكتاب دهمية خاصة وأرحو من الله أن يوفقني لتصحيحه ونشره لأحدم لذلك طالبي تربح العلوم الاسلامية ومحبها إن شاء الله تعالى .

الرازي واندريا فيساليوس

سيمون الحايك

ولد انو زكريا الراري على الارجح عام ٨٦٥ بالري . ساهر إلى بعداد واقام بها مدة . تعلم صناعة الطب عن كبر ، ومعلمه هو علي بن ربن الطبري .

كان الرازي كبير الرأس مسفطه وكان يجلس في مجلسه ودونه التلاميذ ودوسهم تلاميذهم ودونهم تلاميذ أخر ، فكان يجيء الرجل فيصف ما يجد لاول من يلقاه . فان كان عندهم عدم والا تعداهم إلى غيرهم فان اصابوا والا تكلم الرازي فيذلك .

وقال الرازي :

لعمري ما ادري وقد اذن البلى للعاجل ترحال إلى أين ترحالي وابن محل الروح بعد خروجه من الهيكل المنحل والجصد البالي

له مؤلفات عديدة منها كتاب « الحاوي » وقد نقل إلى اللاتينية . كتاب « المدخل إلى الطب ۽ كتاب « الفصول في الطب » او « المرشد » وكتابه « المنصوري » وهو الذي يهمنا هقد ظل يدرس في الجامعات الاوروبية حتى اواخر القرن السابع عشر ، يتبع هيه طويقة جالينوس النظرية وطريقة القراط التطبيقية .

الف هذا الكتاب للامير منصور بن اسحق بن اسماعيل بن احمد صاحب خراسان وتحرى فيه الاختصار والانجاز مع جمعه لجمل وجوامع ونكت وعيون من صناعة الطب علمها وعملها ، وهو عشر مقالات :

المقالة الأولى : في المدخل إلى الطب وفي شكل الأعضاء وخلقها .

المقالة الثانية ; في تعريف مزاج الاندان وهيئتها والاخلاص الغالبة عليها واستدلالات وجيرة جامعة من الفراسة .

الدي السعث في السوة العالمية الرابعة لتاريخ العدوم عند نعرب بحدي في لبسان - ١٩٨٧ م
 علمة تاريخ العدوم العربية - المحدد التاسع ، ١٩٩١ - من ١٥ - ٨٨

145 ميمون خايك

المقالة التائلة : في قرى الأغذية والأدرية ،

المقالة الرابعة : في حفظ الصحة .

المقالة العامسة . في الرينسة .

المقالة السادسة : في تدبير المسافرين .

المقالة السائعة : حمل وجوامع في صناعة اخبر والحراحات والقروح -

المقالمة الثامية : في السموم والهوام ا

المقالة التاسعة ﴿ فِي الْأَمْرَاضِ الحَادِثَةِ مِنَ القَرْنَ إِلَى القَدْمِ .

المقالة العاشرة : في الحسيات وما يشع ذلك ثما يختاج إلى معرفته في تحديد علاجها . مقالة اضافها إلى كتاب « المنصوري » وهي في الامور الطبيعية .

يسمى الديروني هذا الكتاب. «الكناش المصوري» وهو عرص للطب في عشرة كتب.

غيط طاته:

- ــ باويس المكتبة الوطنية رقم ٢٨٦٦ ٣٢٠٣
 - بردلالا ۱/۲۹ : ۱۹۰۹ : ۲۹۹ م ۹۹۹ م
 - _ خرسدن (المائية) : ١٤٠
- الاسكوريال : ٨٩١ م ٨٢١ م ٨٩٨ م ٨٦٠
 - مدرید : ۱۹۱ ت ۱

ويقول نروكلمان : ويكاد المنصوري يعتمد اعتماداً تاماً على مصادر يوثانية :

فالمقالة الأولى في التشريح ومنافع الاعصاء تعتمد على ابقراط وجالينوس واورياسيوس. المقالة الثانية في الامزجة تعتمد على ابقراط وحالينوس وبولس الاجانيطي .

المقالة الثالثة في الأدوية السيطة تعتمد على ابقراط وجالينوس .

المقالة الرابعة في حفط الصحة تعتمد على جالينوس وتولس الاحاليطي

المقالة احامسة في أمراض الجند واندهون تعتمد على جالينوس .

المقالة السابعة ي الحراحة تعتمد على ابقراط وبولس الأحانيطي .

المقالة الثامنة في السموم تعتمد على بولس الاجانيطي .

المقالة التاسعة من المنصوري وهي التي تهمنا وكانت شائعة في القرون الوسطى

باسم: في أمراص الأعصاء التنافة اعتمد فيها على ابقراط Hypocrates وعلىجالينومر

ترجم كتاب المصوري إلى اللاتيسية الجير رده الكريموني، Gerardo da Urembaa في طليطلة من أعمال اسبائية وقد طبعت الترحمة في ميلانو عام ١٤٨١ . والمندقية عام ١٤٩٧ وليون عام ١٥٧٠ . ودسيل عام ١٥٤٤ . وطبعت الترحمة اللاتينية للمقالة التاسعة تحت مذا الموان : Paraphrasis in nonum librum Rhazae بالبندقية ق السنوات : ١٤٨٣ ، ١٤٩٠ ، ١٤٩٧ ، ١٤٩٧ وبادوا ١٤٨٠

يستهل كتاب المنصوري بمقدمة هي هذه :

«هذا كتاب ابي بكر محمد بن زكريا الرازي الذي سماه المصور بن اسحق ابن محمد رحمة الله عليه . قال ابو بكر ان زكريا الرازي ؛ ۽ اني جامع للامير اطال الله بقاءه . في كتاب هذا جملا وجوامع ونكتا وعيونا من صناعة الطب . متحر في ذلك الاختصار والايجاز . وذاكر عن حفط الصحة ومعالحة الأمراص وتوايم ذُّلك ولواحقه ما لايزال بحدث وتدعو الحاجة إلى معرفته . ويمكن اهل العقول والرأي مشاركة الأطباء فيه وثارك دكر ما لأيكاد يحدث الا في المدة الطويلة وما يحتاح في معرفته إلى وغول واعراق في الصاعة وجاء كتاي هذا عشر مقالات في كل مقالة مصول معلمة بالحروف على ما ينبغي من مراتب اعدادها ليسهل اصابة ما يراد منها , والله أسأل التوفيق والعون على ما يرصي الامبر اسعده الله ويقرب إليه ويدني منه .

المقالة التاسعة التي تهمنا تتصمن اثنين وتسعين بالأ وهي :

باب في الماليحوبيا . باب في الصداع والشفيقة وعلاجهما

باب في الركام . باب في السدوار .

باب في الرمد في العين , باب في البرسام .

باب في السكتة . باب في القروح في العين .

ناب في البياض الحادث في العبي باب في السبات . ياب تي الجرب والمبل . باب ني الشحوص .

باب في الحكة في الآماق.

باب في الفاجج .

باب في الطمسرة . باب في الحدر والرعشة . تاب في الطرفة باب في اللقوة

راب في اللمعسة ، باب في صعف النصر باب في انتفاح الاجمان رب في الماء النارل في العين . باب في الانتشار في العين ، باب في الوجع الحادث في الادَّنْ . باب في الدوى والطنين . باب في الدود والهوام الحاصلة في الأذن. بات في الرعاف . ياب في النو سير الحادثة في الانف باب في علاج رجع الاسنان . باب في الضرس والحدر في الأسنان . بأب في مقوط اللهاة . باب فيما نشب في الحلق . بابد في اذلاع اللسان . باب في الوحع الحادث في الاعضاء الظاهرة. باب في الغدة الكاثنة عد اللسان و تسمى الضعدع باب في الحوانيق . ەب فى الربو . باب في ذات الرقة , باب السل ر باب في الهيضة . باب في الوجع والورع في المعدة . الب في الشهوة الكلبة ەب قى ايىر قال ياب في إوجاع الطحال باب في الحامة (آخير طعم الطعام) .

باب في التشنج باب في الصرع ، راب في لكابوس. باب في الشعر المنقلب الذي في منخس العين . باب في الغشاء في العين . باب في الناصور الحادث في الآماق . باب في القرحة في الأذن . باب أي ثقل السمع ، باب فيما ينشب في الأذن . دب في القروح في الأنف باب في عدم الشم . باب في قلع الأستان . اب في الضرس الذي يتوجع ادامسه شي مبارد. باب في القلاع . باب في اللثة الدامية . باب في العلق . داب في ثقل اللماك . باب في الاورام الحادثة في اللسان . راب في السعال ، باب في ذات الحنب . باب في نقث الدم وتخعه باب في الجمقان باب فيما يقوى المعدة باب في الفواق . باب في اوجاع الكبد وب في الإستبقاء ناس في القولنج

باب في الحصاة .
داب في حرقة لبور
بدب في البواسير والدواصير والشقاق
الكائن في المقعدة .
داب في قطع الطمث .
داب في الشقاق في القبل .
داب في لقروح في الارحام .

ناب في قطع الطمث . باب في الشقاق في القبل . ياب في لقروح في الارحام . باب في العلة المسماة الرحا . باب في القولي . ياب في تقرح القطاة . باب في عسر البول . باب ي الورم اخادث في الكلى والمثانة باب في الدود الكائنة في اللطن والمقعده .

> راب في رنق المقمدة و أرحم . راب في الورم في الرحم راب في الورم في الرحم راب في الشق والفتق . راب في الحدية . راب في الحدية .

نحت المقالة التاسعة بخمد الله وعونه

هن هو اللمريا فيساليوس؟ طبب بلجيكي اشتهر بعلم التشريح. ولد في دروكسيل عام ١٥١٤ على الارجح . ابوه صبلي ، رافق الامبراطور كارلوس الحامس عندما و عام ١٥١٧ - اعلن ملكا على قشتالة وارغون. قصى اندريا فيساليوس طفولته في دوكسيل . دحل اندريا عام ١٥٣٠ في معهد Collège du Château ولم تطل اقامته فيه اذ عادره عام ١٥٣١ ليلتحق بمعهد Collegium trilingue اي معهد اللغات الثلاث : اللاتينية واليونانية والعبرية مكث في هذا المعهد ثلاثة اعوام تعلم فيها الفلسفة العليمية .

تعمق في اللغة اللاتينية واليونانية وله يعص الالمام باللغة العبرية . درس في جامعة لوفين السجيكية التي كانت في اواثل القرن اسادس عشر تصاهي حامعة ناريس شهرة تأسست عام ١٥٣٦ بايعار من نيقولاس علم ١٥٣٦ بايعار من نيقولاس علوريناس Nicolas Florenas طوريناس Nicolas Florenas طيب الامبر اطرور كارلوس الحامس وصديق والد فيساليوس ، واهداه بعد سنوات اطروحته في الدكتوراه عنوانها المنصوري ، واهداه نعد سنوات المرادب في كتابه المنصوري ، كما سيري .

وجامعة داريس في دلك العهد تحتلف عن الحامعات الايطالية ، فتعتبر الحمصن المنبع في الدفاع عن النظريات التقيدية في اواخر القرن الحامس عشر واواتل القرن السادس عشر بحيث لو ان طالما تحاسر ولفط كلمة quisquis الي شي « أو quisquis « ماذا » بطريقة تختلف عن الأسلوب المتبع في القرون الوسطى لعوقف في الحال .

يعتبر فيساليوس تلميذا لجاليموس مثل بقية اساتذة جامعة باريس مثل يعقوب سيفيوس كان مستعداً لتصحيح الأحطاء التي وقع فيها جالينوس اذا ثبت له الها احطاء. بينما الآخرون يتبعون جالينوس بدون تحفظ ويقون به ثقة عمياء .

ويعقوب سيلهبوس الذي اشرنا إليه اعلاه معدم فيساليوس ، ولد في اميان بفرنسة عام ١٤٧٨ وتوفي عام ١٥٥٥ كان من المتحمسين لجاليسوس .

معلم آخر لفيساليوس: كايوس Gaina وهو من تلامذة حاليبوس، يرى ان الأخطاء المنسوبة إلى المعسم اليوناي تعود إلى تشويه في المحطوطات اليوناية وإلى ترجمات فاسدة . بينما يعقوب سلفيوس يقول : ان ما مجده من الفوارق بين ما قال جالينوس وما اثبته الحلم الحاصر لايعود إلى أخطاء ارتكبها حالينوس بل إلى فساد الجنس البشري منذ دلك العهد إلى يوما هذا اي إلى النصف الأول من القرن السادس عشر الذي تميز ببوع عدد لايستهال به من الأطاء المعروفين ندكر منهم على سيل المثال ميخائيل سيرفيتوس واندرس لاعونا Andrés Laguna ، وغونتير Gunther معلم فيساليوس .

وفي عام ١٥٣٦ عاد إلى لوفين دون أن يتدرج في الطب ، وأنصرف في هذه الجامعة إلى التشريع ، فعمد إلى سرقة الحثث والهياكل العظمية ، وهدد من الأمور المحرمة في ذلك العيد .

في عام١٥٣٧ لتقل إلى مدينة النندقية ماراً لباسيل في سويسرة للاتصال بروبرت ولتبر Winter لاعداد الصعة الثانية لاطروحته في الدكتوراه

وجد في السدقية حواً ملائماً للعلوم والفنون اذ ان هده الجمهورية في دلك العهد حكمتها الارستقراطية وهيمن عليها الجاه والثروة والثقافة والحمال وتنشيط التقدم . بيتما بقية الجمهوريات الإيطالية خاضعة لحكم الارهاب . وموقع الهندقية الجغرافي : ملتقى الطرق بين الشرق والغرب لا سيما بعد سقوط القسطنطينية في ايدي الاتراك عام ١٤٥٣ ، حولها إلى مركز سياسي وعسكري وتجاري وفكري وفي ، إلى جانب انها كانت محاصة بمدن هامة مثل فيرونة Verona وفيستزا Vicenza وترفيسو Treviso وبرغامو Bergamo وكان بتراركا قد اوصى بمكتبته الضخمة لهده المدينة وعندما وصل إليها مساليوس كان يحكمها اللوق افدريس غريني Andrés Gritti الذي وقع معاهدة تحالف مع الامراطور كارلوس الحامس ضد فرنسة اتصل بالفنائين الإيطاليين مثل تيزيانو Tiziano تعرف هناك على طبيب يهودي اسمه لعارر ، ساعده على استعمال الكلمات اليهودية والعربية الموجودة في مؤلفه لا تركيب الهيكل البشري ه Fabrica المسرية والعربية الموجودة في مؤلفه لا تركيب الهيكل البشري ه Fabrica

كما أنه درس معه كتاب ؛ القانون ۽ لابن سينا .

بادوا اسس جامعة بدوا الامبراطور فردريك الثاني عام ١٣٢٧ وكانت تدرس فيها جميع المعارف وهي ميزة لم تسبقها إليها أية جامعة من الجامعات الأوروبية في ذلك العهد . يدرّس كل مادة استاذان . احدهما من البندقية والآخر اجنبي وقد وصل عدد التلاملة فيها إلى تمانية عشر الف تلميذ .

وصل فيماليوس إلى هذه الجامعة عام ١٥٣٧ ، وهنا تعرف على « كايوس » الذي ذكرناه آنفا (١٥١٠ - ١٥٧٧) ظل اندريا فيماليوس يعلم في هذه الحامعة حتى عام ١٥٤٣ ، ثم انتقل إلى باسيل في اوائل عام ١٥٤٣ للاشراف على طبع كتانه وتركيب الهيكل البشري، Humani vorporis fabrica ظهر الكتاب في شهر حزيران يونيو عام ١٥٤٣ اصبح طبيب الامبراطور كارلوس يونيو عام ١٥٤٣ اصبح طبيب الامبراطور كارلوس الخامس واضطر لمرافقته في حروبه صد الاتراك وفرنسة والبروتستانت . ولما مات الامبراطور ظل يعمل طبيباً في بلاط ابنه الملك فليب الثاني .

حجه إلى الأواضي المقدسة : نسجت غيلة الشر الحصيبة اساطير حول رحلة الدريا فيساليوس إلى بيت المقدس . والاسطورة المعروفة أكثر من عيرها تزعم

ال ديوال التفتيش حكم عليه دالموت لابه شرح احد الاشراف في اسانية ظمأ منه انه مات ، واكن تبير ثر التشريح ان القلب ما ز ل يضطرب وصل الحر إلى اسماع ديوال التعتبش محكم عليه بالموت ، ولكن نتوسه من الملك فليب الناي العلل حكم الاعدام دالحج على الاراضي المقدسة . ولكن ليس هناك ما يشت صحة هذا الحبر والارجح هو ال فيساليوس غادر سبانية لان لماح لم يوافقه فيها ولاته وجد ذاته في عيد بحده على معسه لقربه من الملك فليب الناني الذي قيل عنه ال الشمس لاتعيب عيد مملكاته .

لهم ال فيساليوس خرج من السانية في شهر شاط ووصل إلى البندقية في الآدار ١٥٦٤ علم ال السلم رسالة من علم الذار ١٥٦٤ علم الاسلم رسالة من علم الشريح في حامعة بالدوا براتب ضخم ، بعد عودته من بيت المقدس . زار الأراضي المقدسة . وفي عودته هن عليه عاصمة ارغمت الماخرة على الخيوء إلى مرفأ جزيرة زائتي . فصرص ومات في كوخ حقير في مكان مقفر . ويقال الله قبل ان يحوت رست باخرة قادمة من السدقية بالقرب من مكان الحادث . وبين ركامها صائغ من تلك المدينة فعرض داته للخطر في السير على طول الشاطيء حتى وصل إلى المكان المقفر الموجود يه فيساليوس فألهاه على الشير مقى ولم يستطم انقاذه فاشترى قطعة ارض صعيرة ودفنه فيها .

وجزيرة زانتي Zante خاضعة لسلطة البندقية منذ عام ١٤٨٤ ، وكان يحمل بين اغراضه رسالة من حارس الاراضي المقدسة . وهو القاصد الرسولي هناك ، إلى الملك فليب الثاني باللغة الايطالية .

مؤلفات:

يهمنا منها كثابه الذي يحمل العنوان :

Paraphrasis in nonum librum Rhazae medici arabis Clariss. ad Regem Almansorem de affectuum singularum corporis partium curatione. Andrea Wesalio Bruxelleusi autore.

اي ۽ شرح المقالة انتاسعة من كتاب الرازي ۽ الهنصوري ۽ ئي الامراض الحادثة لاعضاء الانسان من راسه إلى قدميه ۽ . شاء فيساليوس أن يشرح هذه المقالة الهامة من كتاب المصوري الراري لكي يصيره أقرب منالا للطلاب في دلك العهد واسهل فهماً عليهم . وهو أول تأليف يصعه فيساليوس متوخيا منه ومن المؤلفات التي تلته نشر معارف العلماء الاقدمين مطهرة من الأحطاء الفاضحة التي وقع بها مترجمون قليلو الحبرة . ثم ادخال الاكتشافات الجديدة في مؤلفات جديدة أيضاً رغبة من المؤلف، على حد قوله في مقدمته، في أن يرود صلاب الطب بالمعلومات الكافية المكتشفة في دلك العصر لمساعدهم في دراساتهم

والجدير بالاشارة ان فيساليوس في مؤلماته التي كتبها بعد اصدار كتابه « شرح المقالة التاسعة لنرازي » . اضاف إلى هذه المعلومات الحطية رسوماً وصوراً وجداول لكى يكمل هذه الطريقة أو المحاولة التي يسعى إليها ي طريقته التعليمية التردوية .

قلنا اختار فيساليوس المقالة التاسعة من كتاب المنصوري ليكتب عنه شرحاً اهداه إلى صديقه ومرشده نقولا فلوريناس الدي جثنا على دكره ، وهو الدي ساعده وحثه على الذهاب إلى حامعة باريس عام ١٥٣٣ .

لايعرف بالضبط المكان الذي كتب فيه فيساليوس رسائته للدكتوراه في الطب، ومن المرجح انه كتبها في باريس لنيل اللقب من تلك الجامعة , طهرت الطبعة الأولى من هذا الكتاب في اول شاط ۱۵۳۷ بحجم كبير ، يشيد في المقدمة بحد معدميه في ياريس اسمه يعقوب سيمبوس . واذا اخدا بعين الاعتبار انه لما اصطر فيساليوس إلى مغادرة باريس فجأة ولم يكن قضى فيها أكثر من سنة اشهر . تبين لنا له اعداد رسالة الدكتوراه تم على عجل ويدهب بعضهم إلى الظن ان اندريا فيساليوس بال درجة الدكتوراه في لا لوفين ، بلجيكا اذ ان الطبعة الأولى لكتاب لا شرح الرازي الاستماد الاحتماد المسلم المسابق ا

أي ان المؤلف هو الدريا فيساليوس من بروكسيل المرشح للدكتوراه في الطب .

" Andrea Wesalio Bruxellensi autore " · اينما جاء في الطبعة الثانية ·

أي 1 المؤلف هو الدريا فيساليوس من بروكسيل ۽ .

رعم ان الفترة بين الطبعة الأولى والطبعة الثانية لاتزيد على شهر ونصف نال خلالها

فيساليوس لقب طبيب . وهذا لا يدل على انه نال الدرجة حصاً في لوفين . كما انه من ناحية أخرى لاتوجد براهين ووثائق بهذا الشان اي بيل الدكتوراه س جامعة لوفير Louvain كما ان وبترر Wauters يقول : « ... وكن لم ينل لقب دكتور في الطب في وطه . واستقبل اندريا فيساليوالبروكسيلي ابن افلايا آخر بدون معارضة في جامعة بدوا! .

بتدىء فيساليوس في الرسالة التي وحهها إلى نقولاس فلوريناس ، طبيب الامبر اطور كر لوس الحامس بالتذكير بائه منذ بصع سوات سمع بصائح هذا الطبيب بنان الطريقة المفضلة في دراسة القراط الذي ما زال اسلوبه متبعاً . ثم يضيف اله يرى من الموافق مقابلة التصانيف العربية بالتصانيف اليونانية ، واسلوب المقابلة هذا دارج وقد اعتاد الأصاء البارسيون على ان ينصحوا اللامدتهم باستحدامه .

ويتابع فيساليوس كلامه قائلا: وعملا بهذه النصيحة الصادرة عن ابرز المعلمين الذين تحرجت على ايديهم ، اي يعقوب سيسهيوس ، وضعت بين يدى اولا كتاب الراري المنصوري ، وفحصته بلقة مقابلا اياه مع ما كتبه اليونانيون . كما تفحص الاحجار الكريمة الآتية من ليديا ، لابني سمعت مراراً عديدة من معلمي واستاذي الكبر في الطب . يعقوب سيلقيوس ، ان الرازي يعتبر من أحسن الحبراء في فن الشفاء بين الأطباء العرب .

ويقول فيساليوس في مكان آحر انه ابتدأ باعادة النظر في ترجمة مؤلفات الرازي . والفصد من ذلك انقاذ اولئك الذين يترشحون مثلي لنيل شهادة الصب وهو عمل جار . وفي الوقت ذاته لكي اتيح الفرصة للاطاء الذين يبحثون عن الدواء الناجع لكي بجدوه خالياً من الانحطاء الفاضحة التي ارتكمها بحقه الناقبون اللاتينيون ، اذ ان لغتهم اللاتينية المستعملة في هذه الرجمات غير مههومة اطلاقاً عند القارىء اللاتيني . فحاولت تبديل الحملة اللاتينية وصفتها بقالب مفهوم ، عيث ان تلك النصوص المقدة الغامضة الفاسدة في تركيبها أصبحت قريبة المنال واضحة سهلة الفهم فلا يجد القارىء ادني صعوبة في الواك المعنى المطلوب .

^{1.} Wanters A. qualques mote sur A. Vesale. . . Memoires couronnes. T. LV : pag. 22 Bruxelles 1898.

وينتهي فيساليو معرباً عن رغته في ال يجعل من هذا التاليف الذي اوصاه به معلمه سيلفيوس تاليفاً يوازي الشهرة التي ينعم بها الرازي . وهو يأمل ال يدافع عمه صد الحجج الواهية التي يتلزع بها خصوم الرازي . ويصون اسمه من التحقير والنميمة والتشهير . وأخيراً يضع فيساليو حاشية صعيرة يطلب فيها من القارىء ال يتظر إلى تاليمه بعين التسامح إلى ال يتاح له احراج تأليف جديد اوسع واوفى واكمل في الحقل الطبي السامى ..

انبين من هذه الرسالة التي كتبها فيساليو لفلورياس ان غرضه الأول هو تطهير كتاب المصوري من جميع الأخطاء اللغوية وغير اللغوية التي وقع فيها المترجمون اللاتينيون الذين نفلوا كتاب المنصوري من العربية إلى اللاتينية ، والناقل الذي اعرفه هو جيرارده الكريموني نقل هذا الكتاب في طليطلة في النلث الأخير من القرن الثاني عشر . ثم التحريفات الكتيرة التي ادخلت على النص نظرًا لكثرة الطلعات التي مرت يها المقالة التاسعة هذه من كتاب المصوري ، ولتلاعب الناقلين بالنص الأصلي محاولين ريادة فهمه ولكن بالحقيقة لايزيدون الا في ايهامه وعموصه .

ثم يوصح فيساليوس قيقول ان الأسلوب الذي استعمه لم بأحد فيه النص كلمة ، رعم انه يرى من واحب المترجم ان ينقل حرفياً الكنمات من العربية إلى اللاتيمية ، غير انه استعمل التلخيص او الشرح الذيعتبره الطريقة التي يفصدها ثم يصيف إليه ما يراه ملائماً وضرورياً لتوضيح النص والاسهاب في الكلام على تلك النصوص التي يعتبرها غامضة في نص الرازي. وعلى هذا النحو دين لنا فيساليو لماذا اعطى رسالته الطبية هذا العنوان . "Paraphrasis in nonum librum Rhazae "

و شرح المقالة التاسعة للراري و فانه قد خرج عن سريه من الأطباء الذين جاؤوا قيمه وتحلص من نعودهم وتأثيرهم .وينمح في الملاحظة الأحيرة من مقدمته إلى نواياه في اصدار كتاب آخر اكبر حجماً . وقد يكود شاء الاعلان عن كتابه الشهير الذي نشره فيما بعد وعنوانه : "De Humani Corporis Fabrica"

اركيب الجسم الشري و .

والغريب في الأمر ان فيساليو طبع رسالته لبيل الدكتوراه قبل ان بحصل على هاده

الدرجة ويدافع عن الرسالة امام لحمة فاحصة كما هو حاري العادة على الأقل في اسبالية وفي لمدان أخرى كثيرة . طبعت رسالته للمرة الأولى في لوفير . كان صديقاً لاحد دور المشر اسمه روبجر ريش Rutger Resch ان عنوان هذه الطبعة الأولى "

Paraphrans in Nomum librum Rhazas medici orabis clariss ud Ragoni Almansorem, de magularous cusporis partium affectuam cusatione, autore Andrea Wesslin Brunellensi Medicinae candidata. Lovansi ex officina Ruigeri Rosel Mense Februar 158?

وقد ارفقت هذه الطعة بقصيدة مهداة إلى فيساليو من يدوكوس فسيوس Adducus وقد ارفقت هذه الحلى وبخدماته الجلى Velsins من سان لاهاي. همد ان يشيد بالطبيب العربي الكبر الرازي وبخدماته الجلى للانسانية يسب إلى المرجمين اللاتيمين الفليلي الحبرة تشويه كتاب الرازي وجعده غير لديد القردة. والآن بمصل المواطن فيساليوس اصبح تأليف الرازي سهل المنال ومقدرا حق قدره.

بعد سنوات قليلة نال فيلسيوس هذا لقب دكتور في الطب مسن حامعة لوفين عام ١٩٤١ اثر عودمه مسن هولمدة . والطبعة الأولى لشرح المصوري نادرة الوجود ولا يعرف منها سوى ثلاث نسح في لندن وفينا ونسحة رابعة في لوفين التهمتها الناو في حرب ١٩١٤ . ولا يمكن القول ان هذه الطبعة جيدة من حيث الطباعة والحبر . ومن المدهش حقا انه بعد شهر تقريباً ظهرت في باسيل من اعمان سويسرا الطبعة

Parophrosis in Nonum Librum Rhasus Medici Arabis Cloriss, ad Regem Almansorem de sifectium singularum corporis partium curstiane. Andres Wesslin Bruxellensi autore Lerum ac verboram in hoc operememorabilium filigentusiums Index Egsilar.

وقد جاء في الصنحة الاخيرة رقم ٢٢٤ من هدا الكتاب ما يلي ؛

الثانية لكتاب شرح المنصوري تحت عنوان :

frigido experiatur prumum fricanda est, dende oleo costino et oleo institui et balanina paribus, modierque repartibus, circumbastur. At si hase quoque insficacia fuerint ingentie. Capito de nervoran resolutione superius comprehense, donce probe omni molestia aeger liberatus, faser angendum utemur.

Paraphrateca Androae Wesalii Bruxellensis in monum Rharne ad Regen Almansorem, de affectuum singularum corporis tertinin curat.one.

Finis

أما نص الرازي المطانق هذه الفقرة الأخيرة من المقالة التاسعة في باب الوجع الحادث في الأعضاء الظاهرة ، فيقول ؛

ووان كان العضوبارد اللمس فادلكه ثم امرخه بدهن القسط والزنبق الفاتر والمال ومحوها فان كفي والا فاستعمل المروخات (ما بدهن به من دهن أو غيره) المذكورة في باب الفالج حتى يبراه . لايوجد هرق بين المصين الا ماذكره الراري. ه والا فاستعمل المروخات المذكورة في باب العالج » وهذا النص غير وارد في النص اللاتيني لفيساليوس .

يوحد نسحة من هذه الصعة الثانية في بروكسين ، المكتبة الملكية الالبرتية ، والطباعة أفضل من السابقة وعلى كل حال فعلى الرعم من ان الاحرف واصحة على العموم عير أنها لاتصل إلى الدرحة التي وصلت ليها طاعة « تركيب الحسم بشري » من الحودة . فالورق فيها يتراوح بين الحودة والرداءة دون اي رسم أو صورة أو حدول . والحبر فيها أيضاً ليس بالحيد . يقع هذا التأليف في ٢٧٤ صفحة ، ويتكلم على جميع الاعراص الحدثة بالانسان من قرقه إلى الحمص قدمه مما فيه الصداع والشقيقة وداء الهيل والوجع الحادث في الاعضاء الظاهرة الخ . بكلمة انه شرح للمقالة التاسعة من كتاب المنصوري بحميع ابوابه ، وقد حاء النص اللاتيني مطابقاً مطابقة حسنة للمص العربي . بعرف من هذه الطبعة ثلاث عشرة نسخة موجودة في المكتبة الملكية الالبرتية وقد نسخنا عنها الصفحة الأولى والأخبرة، وفي المكتبة الحامية في غانت Gante ، وفي مكتبة الحيش في واسنطى وفي درسلو Breslar وفي المستردام وفي المعهد الملكي للجراحين في لندن وولير Waller .

والفرق بين الطبعة الأولى والطبعة الثانية قائم في الملاحظات المكتوبة على الهوامش .

هل يجيد فيسائيو العربية ؛ هذا سؤال تصعب الاجابة عنه بالفسط ديرى سيبغير ورابين أن هذا أدعاء باطل فالعنة العربية ، على قول ستغير ، كانت تستخدم في القرن السادس عشر فقط في الكتابات العبرية في أوروبة محيث أن اليهود فقط كانوا يحسنون اللغة العربية . وينتهي سغير إلى القول ، وركما أن فيسائيوس لايحسن العربية ولا العبرية . ويضيف قائلا : حتى بين عدماء اللعة يصعب وجود أناس يحسنون اللغتين العربية والعبرية ويعتبر من الأمور الحارقة معرفة هاتين اللغتين في دلك العصر فير أنه ظهر في عملة الفنطرة Al-Quatara المصادرة في عدريد سنة ١٩٨٤ المحدد الخامس من صفحة عمر وحد الله عنواله :

[&]quot; Los terminos arabes en la Osteologia de Vesalio "

I. Synger and Rabin Prelude to modern science. Cambridge, 1946, P. LXXVII

« المفردات العربية في علم العطام عند فيساليو » في كتابه « تركيب الهيكل البشري » كاتب المقال هو « خوان خوسه بارسيا فويانس » ، لا بأس في ايراد بعص هذه الكلمات التي يصل عددها إلى اربعير كلمة تقرياً .

منسان معودي الأكليلي hachlilij سفودي senasen سنسان الحلم alhalm مناه معلم الزوج osamot hazog اللجد مهم الزوج Alaga العجز Alchatin مقرات القطن Alchatin العجز Alfaic العجز المصعمى alhosos عظم الكتف Albazad عظم الكتف المصعمى

نكتفي بهذه الكلمات التي لا يشك في صحة نسبتها إلى اللغة العربية وقمد استعارها فيساليو من ابن سين وعلي من العباس والرازى . هذا ما يحملنا على الاعتقاد بانه كان على المام باللغسة العربية وبعد ظهور الطبعة لثانية لشرح المنصوري في باسيل ظهرت اربع طبعات أخر ، ففي آدار سنة \$251 ظهرت الطبعة الثالثة في باسيل وفي عام ١٥٥١ ظهرت طبعة أخرى في ليون بفرنسة ، أما الطبعة الخامسة فقد حصلت في ويتشرغ عام ١٥٩٦ بعد وفاة فيساليو ، وفي المدينة نصبها ظهرت الطبعة السادسة عام ١٥٩٢

المراجع العربية :

- الرازی: مخطوط المتصوري: الاسكوريال رقم ۱۹۸۸.
- ديمون الحايك : عروق اللهب في صاحم الروم والعرب المطنة اليولسه جونيه نبيان
 - الى المسمة : عبون الاقباء في طبقات الأطباء .
- بروكلمان: ثاريخ الافه الهرفي-خروالرابع ترجمة الدكتورالسد يعقوب بكر دارالمارف-القاهرة .
 - عطوط لمكتبه الملكية البر الاول بروكسيل بلجيكا رقم ٩٦٢٣٧ .

المراجع الأجنبية :

- ALDO MIELI . El mundo islamico y el Occidente medieval cristiano. ESPASA-CALPE-Mudrid.
- La eclosión del Renacimiento. ESPASA CALPE, Madrid .
- JOSE BARON FERNANDEZ : Andrés Vesalio C. S. I. C. Madrid 1970 .
- PIERRE ROUSSEAL . Histoire de la Science, Librairie bayard, Paris.
 - SIMON HAIK : Traduceiones medievales y su influencia Editorial de la Universidad Complutivore. Madrid 1981

ملخصت للِفلُوكِيث للكِنيتُورُة في للْفِيتِيشِمُ للفَوْمَبْنِي

المقالة تربيع الدائسرة الآبن الهيئم
 برهان فلسفي أم رياضي

تامارا البرتيبي

تعتبر مقالة ؛ في تربيع الدائرة ؛ لأبي على الحسن بن الحسن بن الهيثم(٩٦٥ ١٠٤٠ م) أول تجربة في حل هذه المسألة منذ القرن الثاني ـ ودلك نظريقة فلسفية وليس نظريقة رياضية ، وقد استعمل العالم العربي ابن الهيثم فكرة Concept الإمكانيــة ويظهر ذلك واضحاً بالاطلاع على كتابه المشهور كتاب المناظر .

الفليكون المسلمون في قصر جاي سينع

فيرنشرا شارما

برع ساواي حاي سيع الهندي كفلكي في القرن الثامن عشر واشرف عــــلى احمال فلكبين من ديانات مختلفة .

تبحث هده المقالة عن دور الفنكيين المسمين وعن اسهاماتهم في درنامج جاي سينع لتجديد عدم الفلك في اهند ، وقد شارك الهلكيون المسممون في نصب الآلات لمراصده ، وجمعوا وترحموا النصوص ، وجانوا البحار في مهمات علمية .

وكان داياناتا حان الفلكي المفضل لدى الراجا جاي سيمع ، وربما نعب دوراً هاماً في يوقامجه الفلكي ,

شرق الخريقية عند بطديموس من خلال الحمرافية العربية في أوائل العصور الوسطى

م . آ . تولما شاقا

كون الحمر اهية العربية مدينة لكنوديوس بطبيموسي بشكل معترف به أثر ذلك تأثيراً عميقاً على تطور عدم الحمرافية العربي الذي يدهب أبعد يكثير من مجرد ترجمات لكتامه Geography . من بدايات القرن الناسع وحتى نهايات القرن الحامس عشر معظم المؤلدين العرب الدين يكتون في أواح الحمرافية الوضعية أو الرياضية . حاكوا بطليموس كصدر الموصف المنهجي للأرض المأهولة .

وقد كان تأثير فطليموس قوياً على العدماء المسلمين في المجالات التاليسة : (١) الحقائق الجعرافية : وصف للمر والسحار . تسيق لمستوطنات ومعالم طبوغرافية . (٧) صريات جعرافية . (٣) من أو علم رسم الحرائط . (لاتناقش المقالة رياضيات وفلك فطلموس) .

هذه المقالة هي فحص ثال لطبيعة ومدى التأثير الاغريقي على الجغرافية العربية المسونة عادة إلى بطليموس ، تحصورة في الأعمال العربية حلال العصور الوسطى الأولى التي تطهر بوصوح تسبقاً مع نظليموس على المستوبات الثلاث ، تتضمن هذه. كتابات الرياضي الصكي والجعرافي الشهير محمد بن موسى الجواررمي (٢٣٢ه/ ٨٤٦ – ٨٤٨ م) ، والأقل شهرة منه المصنف سهراب (النصف الأول من القرن العاشر بعد الميلاد) بالإصافة إلى «كتاب الربيج الصابيء » للفلكي الكبير الناني (٢٣١ه/ ٩٢٩ م) .

ستدرس تلك المعلومات فيما نعد مع التركيز بشكل خاص على ما يتعلق بالجغرافيه التاريحية بشرق افريقية اللإصافة لدلك سوف تدرس بعص مسائل الميثودولوجيا العامة التسرر معلومات مستمدة من مصادر عربية محطوطة

رغم أن النطاق العام للاقتباس لعربي الحدراي من يطليموس قد درس بشكل حيد ـ عاب حاله شرق العريقيا تستحق الاهتمام خاص ـ ودلك نسب الاتفاقية الحرائطية عير المقررة لعد ، التي تمتد فيها البرالافريقي ارئيسي جنوب خط الاستواء على طول حص شرقاً ليشكل الساحل الحدوي للمحيط الهندي قي الحقيقة إن الحمرافيين العرب خلال العهد الاسلامي النعوا هذه الاتفاقية معتمدين على بطلبموس . وتلك الاتفاقية العربية العربية العربية كواصلة لتعاليم بطلبموس حلال القرون التي كانت فيها أعماله مهملة لأوربا . هكذا تبدو الحرائط المنسوبة لبطلبموس التي ظهرت في الغرب في القرن الحامس عشر متلائمة، ومعزرة بالنصوص والحرائط العربية التي طهرت في القرون الوسطى .

هناك معض الملاحظات التمهيدية لتقدير مدى التأثير البطسيوسي على المؤلفين لعرب بشكل عام وفيم يتعلق بشرق افريقيا بشكل حاص

آولاً . تعبيق موجر على إحداثيات خطوط العرص والطول ، إلى «حد الذي يعتبر فيه بطليموس الجغرافي الأول في تطبيقهم بشكل مسهجي . كل الجعرافيين المسلمين الذين استحدموا هده الاحداثيات يمكن اعتبارهم بأنهم احتبروا وتقبلوا مهجه إلى حد ما ، وربما ذلك ليس على قدر من الأهمية لأن هؤلاء المؤلفين يمثلون أقلية في محال الحمرافية الاسلامية ، مهما كان تتحهم هاماً .

ثانياً . استخدام نعض المؤلفين اللإحداثيات لايتضمن الموافقة على رسومات بطليموس أو حتى على طريقته في حساب الإحداثيات . هذا نحص بالذات خطوط الطول . طبيعة التناقص ونعض الأساب المؤدية لها مشروحة في المقالة .

قَالَتُمَّ : هماك مؤلفون يعترفون بأمهم مدينون لبطليموس الذي لايستحدم درجة الاحداثيات فقط بل يحول تصوراته الحرائطية أيضًا عندما يملأ الحريطة والنص يمعلومات حديثة .

رابعاً : لايمكن إيجاد ما هو بطليموسي صرف في النصوص العربية .

حتى الأعمال المترحمة عن Geography مثل كتاب صورة الأرض للحوارزمي وكتاب عجالت الآقاليم السعة سهراب لايحتويان على ترحمة عربية كاملة للنص أو للجداول الإغريقية ، بالإصافة إلى احتلافهم عن الكتاب من الناحيه النبوية. وبالإضافة إلى ذلك ففي القرن التاسع يعتقد بان الخواررمي صحح وأصاف إلى حقائق بطليموس معلومات حصل عليها من حلال حهود علماء من العاسيين الأوائل

علمهاً : أدخل نظام خطوط العرص الإغريقي لتفسيم الأرص المأهولة في سبعة

أقاليم في الحعر فية العربية مع إعادة الحواررمي لأعمال بطليموس وعلى الرغم من الوحود المماثل على لاق لنظامين آخرين في القرون الأولى للإسلام ، يصبح مسيطراً في مصادر لاحقة رعم عدم وحود تأثير اعريقي آخر

سادساً: إذا كان أثر بطلبموس أوصح ، ومقصوراً على الأعمال في الحعرافية الرياضية ، قب مهاهيمه الرئيسية المتعلقة بالبر والبحر المحيط ، والأقالديم السعة ، وتصاريس أفريقية تعتبر بوعاً من الجعرافية الوصعية ، أو قواميس وموسوعات ، سابعاً : صمن النية الحرائية والمفاعيم المقبولة إلى حد بعيد والمحجام المعطيات الوصعية والإحداثية المعزوة ماشرة للطليموس تسقط بعنف مسن دروة أعمال لا الملدسة الاعريقية ، في القرل التاسع – العاشر إلى العسام حوالي متصف القرل الحادي عشر .

علم المثلثات الإسلامي والبطليمومي ومسألة تحديد القبلة

ايڤرت . م . بروينز

تحن نعلم منذ اكتشاف لوحات سوسة أنه قد تم حباب جدول صغير للأوقار في العهد البابلي القديم . ومعد ألتي عام تقريباً أعطى يطلبموس جدوله الشهير للأوثار موضحاً فيه الأطوال صمن دائره نصف قطرها ٦٠ وحدة ، حينما يقابل قوساً معطى على الحيط . من هما كان من الممكن اجاد علم للمثلثات بابع الدقة

إد أعطى تطليموس التحويل تلازم من علم المثلثات المستوية إلى علم المثلثات الكروية بو سعة اتناع تصرية منيلاوس ودلك باستندال الأوثار تالأطوال ــ أي حيوب الزوايا ــ من ١٠٠ كانت العلاقات في المثلث التمائم واصحة

 $\cos C = \cos a \cdot \cos b$, $\sin c \cdot \sin A = \sin a$, $\cos A \cdot \sin c = \sin a \cdot \sin b \cdot \dots$ وقد اوقع العلماء المسلمون أنسيم في مشاكل وصعودات بالعمل على الكرة عوضاً عن ثلاثية السطوح البطليموسية . كما الهم لم يتوصلوا إلى اسممال حيب الكامل المساوي للواحد بل تابعوا العمل على نصف القطر البطليموسي المساوي لـ ٦٠ وحدة . ولما حلات الروايا الثلاث المعطرة أو الأصلاع الثلاثة المعطرة . ولما المعدرمات الثلاث عن المثلث تتضمن دائماً صلعاً وزوية مجاورة أي ٢٠٥ .

وهكذا يمكن للمرء ان يقسم المثلث بسهود إلى مثلثين قائمي الزاوية ناسقاط الارتفاع على الضع b . وامحسوب بالعلاقة -

sin h = sin a . sin C

وبالمسقط p على الضلع b ، والمحسوب بالعلاقة

cos p = cos a / cos h

وإذا اعطيت له فإن المره يحصل حينئذ من :

q = b - p

على العلاقة التالية :

 $\cos e = \cos p \cdot \cos q$.

واخيراً تحصل على الزواية A نواسطة قاعدة جيب الزاوية :

sin h = sin c . sin A = sin a . sin C

هده الطريقة هي الطريقة نفسها التي اتمعها الميروثي في كتابه : محد**يد الأماكن** من أحل *عديد القبلة في غزده وذلك بواسطة البيانات التالية :*

خط عرمس غزئه ∞ تع = 35′ • 35°

خط عرض مكة - b = 21° 40′ = b

المرق بين حطي الطول – 1 = 22°22°40 (وكأنه فد تم حساب إلى الثانية من الزمن) . تعتبر كل مرحلة مصدراً محتملاً للاختلاء . ولذلك توحه الحهود في علم لمثلثات للتقليل من عدد المراحل . احتاج البيروني لتطبيق طريقته لد ٢٠ مرحلة ويصعوبة لـ ١٧ مرحلة في الحقيقة طبق البيروني الطريقة الأساسية ندقة بالغة مما حعلته يهمل العلاقة المناشرة ، منجماً حسب : q .p. b

cos c = cos a . cos b . cos t + sin a . sin b

وقد حددت استائح الحديثة للقبلة Q بالعلاقة :

 $\mathtt{cot}\ Q \Rightarrow (\mathtt{sin}\ \mathtt{a}\ \mathtt{cos}\ \mathtt{t}\ -\!\!\!-\!\!\mathtt{tg}\ \mathtt{b}\ \mathtt{cos}\ \mathtt{a}\ \mathtt{)}\ /\ \mathtt{sin}\ \mathtt{t}$

(هـ . كيتج ، دائرة المعارف الاسلامية) .

وتكون حبنئذ مراحل الطريقه ٨ .

ويمكن تقليل المرحل إلى ست مراحل على اعتبار H stu H ويمكن تقليل المرحل إلى ست مراحل على اعتبار H ويمكن تقليل العلاقة .

 $\cot Q = [\sin{(a-t)} + \sin{(a+t)} + \sin{(a-H)} - \sin{(a+H)}]/2\sin{t}$

ال تقسيم صلح (أو زاوية) إن قسمين في حالات الأضلاع الثلاثة (أو الزوايا الثلاث) المعطاة يؤدي بسهولة إلى قواعله التجيب التي تحلم الروايا (أو الاضلاع)

ان دقة الأرقام المعطاة بواسطة الحواسيب المكتبية الصعيرة جعلت علم المثلثات غير ضروري .

اصل الانواء عند العرب : الفرق بير العام والتراث

دانيل مارتن فاريسكو

من النظم القياسية في عدم العلك الاسلامي لتقسيم السماء إلى مواقيت متعصلة هو تظام منازل القمر الثمانية والعشرون والذي يفارب دائرة الدروج القمرية عند أهل الهند وقد ناقش العلماء لمدة قرتن أصل فكره منارب القمر ومكن لم يعلهر بعد أي دليل حول بدايات تطورها في كل من الحضارتين اليونانية والسامية زعم علماء العرب الأوائل – كابن قتيبة أن منازل القمر قد أشتقت من النجوم التي عهدها أهل الحاملية في تفسير الظواهر الجويه كالمطر و .- د ، وسميت هذه النجوم الأنواء كانت تسيطر عني الأحوال المجوية ، وقد قدم سيدنا محمد عليه السلام هذا الاعتقاد في الحديث الشريف .

بحمول القرن الثالث الهجري اردهرت بعض الكتب العربية في فقه اللعة حول موضوع الانواء وقد احتوت هذه الكتب على مختارات من الشعر والسجع تشحدث عن تراث المجوم لأهل الحاهلية بينما اتفق عنماء العرب الهسدة قرون على وجود علاقة تربط بين الأنواء ومنازل القمر وتساءل عدة مستشرة يرعن صحة هذه العلاقة .

ترتكز هذه الدراسة على محص الأساس المصاحب والمناقض للفكرة المطروحة في الأدب العربي عن نشوء منازن القمر في علم الفلك من نظام الأنواء في الحاهلية . وفي دراسة للكتب الموجودة حالياً حول الانواء كد امها تشير إلى وجود عدة تقوم وفطم كثيرة نتراث النجوم عند العرب . غير أن الاساس الذي يشير إلى عدم الأنواء عند الحاهلية متاقض حيث أنه لايوجد أي ذكر لمعض منازل القمر في شعر الحاهلية أو سجعها لذا لايكون الحل لحده المشكلة من دراسة الكتب العربية فقص ، وإنما يحب ان يحتوي الحل على أمثلة حول كيفية استعمال تقويم بحوم مشابهة لتلك النظم القديمة في عالم العرب حديثاً أو حالياً ،

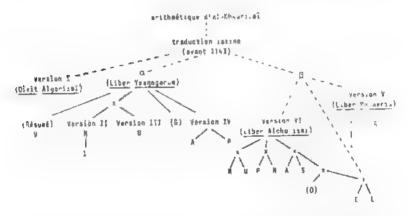
انتشار المؤنفات اللاتينية الأولى في الغرب المستمدة من كتاب « الحساب » الضائع للحوارزمي

اندريه الأر

بسبب عدم إمكانية الإسناد إلى النص الأصلي من حساب الخوارزمي . وعدم إمكانية المقارنة النامة بين تصوص القر . الثاني عشر الأكثر قدماً والمستمدة منه كان يعتقد حتى الآن ان نص (Dixit Algorizmi) — المعروف كالعادة عقدمته وانوارد في مخطوط كامبريج الوحيد الذي يحتويه الشاهد اللاتيبي الأكثر قدماً للنص العربي الضائع ، كما أوحى بدلك محققه الرئيس

إن فحص المحطوطات المحموطة التي ترحو بأن تكون اللائعة كاملة اليوم – - يقصح – بعكس ما سنق – عن ترجمات عديده مُعنَّدَة بدءاً من ترجمة لاترشية ضائعة منجزة قبل ١٩٤٣م .

ال الوضع التاريحي نختف هذه الرجمات . بعضها بالنسبة للأخرى ، يمكن تمخيصه بايجاز بالشكل التالي :



انه غير مجد ، الاعتقاد بأن كل واحدة من هذه الرجمات . تكول حالة لص متباعد أكثر فأكثر من النص الأصلي ، هذه الرؤيا ليست ممكنة إلا للرجمة الا التي يمكن عزوها قطعاً له Jean de séville ان مخطوطات معزولة أو مجموعات من المخطوطات لها أصالتها الحاصة ، ولكن مقارنة النصوص التي تحتويها وخاصة الأمثلة المنتخبة من قبل الماحثين . تشير ، من حهة ، إلى نقاط مشتركة لحميع الترجمات ، الا وهي انعكاسات أكيدة للترجمة اللاتينية الأولى . اذا لم يكن للاصل العربي ، ومن جهة أخرى علاقات غير متظرة ولكنها ليست عرضية بن نصوص متباعدة طهرياً بعصها عن بعص ، عبر أن هذه التقاربات ، التي ما استطاعت ان تكول حتى الآل إلا حزثية بنتيحة بصوص محققة غير كاملة ، وقد تأكدت نفحص الأرقام في المخطوطات .

يمكننا اليوم اعطاء ، مع بعض التأكيد ، لوحة عن محتوى كتاب ، الحساب ، الفائع للخوارزمي ووصف الطرق الحسابية التي تحتويه وتأثيره على العصر الوسيط الغربي .

The second secon

علم النفس عند ابن سينا « والكوميديا الإلهية » لداني

جوتهاره شتروماير

يمكن اعتبار داني أليجيري (١٣٦٥ ١٣٦١ م) علامة رئيسية بسب التأثير الفطيم لنفلسفة العربية على الفكر الأوروبي خلال القرل الثالث عشر . وكان هذا التأثير على وشك التراجع أثناء حياة داني ولكن الكوميديا التي ألفها ما ترال تكشف عن تطابق بعيد النطاق مع مذاهب ابن سينا على وجه احصوص . ولقد قام رو دولف بالجن مؤخراً وهو محتص دراسة الآداب عند دانتي بإنجاز عمل كبير لإيضاح الفقرات الغامضة في الكوميديا اوذلك بالإستعانة بالترجمات اللاتينية عن ابن سينا وحلاقاً للمنحى الذي سلكه جالينوس وفلاسفة مسلمون آخرون والمشكوك في صحته شكاً قوياً – فإن ابن سينا كان معياً بشكل خاص بإثبات علود اروح الشرية . هذا الإثبات تبنته الملسمة السكولاستية النصرائية . ففي عصل المطهر /١٥ / يعيد دانتي نسخ مفهوم ابن سينا حول الروح العقلانية التي يتم خلقها من انبثاق فيض إلهي عندما تصل المادة كالها الأحظم في الدماغ البشري . وبعد انفصالها عن الجسم فإن الروح العقلانية المادة كالها الإحضائص المكتسبة أثناء حياة المرء . ولقد وجدت فكرة ابن سينا هذه الجالاً واقراً في شعر دانتي .

وببعض التباين قياساً على ارسطو فقد أقر ابن سيما بالتقسيم الأفلاطوبي للنفس البشرية إلى جزء عقلاني وجزء حيوي وجزء رغبي ه وذلك لأن جالينوس في بحثه التشريحي عزاز هذا التقسيم الثلاثي . ويؤكد ابن سينا في الوقت ذاته أن هذه الأجزاء يجب أن لاتمهم على أساس أنها ثلاثة أنفس متواحدة بمعزل عن بعضها . كما أكد دانتي الفكرة ذاتها في فصل المطهر /٤/ .

وبصرف النظر عن هذه الأجزاء الثلاثة للنفس الشرية يصيف ابن سينا أن كل مركب من المخصصة أحاسيس داخلية الاتحداد نفسية رابعة متوضعة في الدماغ أو في نظياته ولكونها حقل الإنحداع والأوهام هي قصد الرمزية الحي بن يقظان المصور ابن سينا هذه الأحراء الأربعة للنفس كأرابع شخصيات منميزة الجزء العقلاني هو الراوي لذي يتحدث نصيغة المتكلم والمحاض بثلاثة أصدقاء أشرار الا تصور داني الاستهلالي لفصل الحجم المنظهر محططاً شبيها حداً لذاك في قصة الحي بن يقظاد الله وقصيدة وحوش تحمل يقظاد الله والمدي ذاته الأشرار الثلاثة تظهر هنا ثلاثة وحوش تحمل المعلى الرمزي ذاته المنال الكثير من التطابق بين قصة الحي بن يقظان الوقصيدة داني الصحمة الذاك يمكن اعتبار قصة ابن سينا هذه أحد المصادر المختملة الالكوميديا المحمدة الذاك المداد المحادر المحتملة الكوميديا المنال النوع المحادر المحتملة المكادر المحتملة المح

مراجعات البكييت

جداول الكواكب الثابئة من كتاب المجسطي لبطلميوس ثي ترجمةين عربيتين: ترجمة الحجاج بن يوسف بن مطر وترجمة السحق بن حنين باصلاح لابت بن قرة .

تحقیق : باول کونیتش ، اثناشر : اوتوهاراسوفیتش فیسبادن المالیا ۱۹۸۳ ، ۳۶۶ صفحة

مراجعة سامي شلهوب

الجنزء الأول وهو يتضمن النص العربي مع الترجمة الالمانية ويحوي حداول الكواكب الثابتة ويبلع عددها ١٠٢٥ كوكباً مرثبة في ٤٨ محموعة مع وصف لمواضعها . وهكذا اصبح لاول مرة النص العربي لجداول الكواكب معروفًا . وهذا له معناه التاريخي الهام ، ومن المعروف ان كتاب المجسطي لبطلميوس قد لعب دوراً هاماً حتى القرنَ الثامن للميلاد على الأقل ، ويقي الصدر الأساسي للفلك العربي والاسلامي ، واصبح في أوربا أيضاً مصدراً أساسياً للفلك هناك بعد أن ترجمه حيرهارد قون كريمونة إلى اللغة اللاتينية ، وبقي كذلك حتى كوبر نيكوس واعتمد بكل دلك على النرجمات العربية للكتاب ولكن رتما اعتمد على الترجمة السريانية وهذا ما وسم بالنقل القديم في كتاب الكواكب والصور لعبد الرحمن الصوني ويعتبر بالمحصلة كتاب اعجسطي من أهم المؤلفات اليوقانية في علم الهيئة ، بل ان الاساس الذي اعتمدت عليه كلُّ الكتب اللاحقة في هذا المحال ، ويعتبر هذا الكتاب الهام بانه دون كل فروع علم الفلك القديم ووصل العملي بالنطري في جميع المسائل فلم يأت بقاعدة الا وبرهن عليها . ولم يثبت شيئًا من حركات الاجرام السماوية إلا وبيسٌ كيف نرصل الفلكيون إلى معرفته وقياسه ، ولم يجعل جدولاً الا واوضح اصول حسابه وبقي المجسطي لبطلميوس لعشرات السنين في واجهة الابحاث وما كتب بالعربية منه كان مركز ثقل أبحاث الاستاذ ناول كونيتش وانجز ما بمكن امجازه ، وكان حدوں الكواكب الثابتة واعتمد بذلك على محلة قاريخ العلوم العربية الحيلد التاسع ، ١٩٩١ م - ص ٣٩ - ٠٠ ترجمتي الحجاج بن مطر وحنين بن اسحق باصلاح ثابت بن قرة مستخدماً الأساليب المعروفة بامور تحقيق المخطوطات ثم ترجم ذلك إلى اللغة الالمانية وارفقهما بملحقين لكتابة الفروق بينهما وبين ما حاء في النص اليوناني لطبعة هايرع .

وقد اعتمد الاستاد داول كونتيش على النسخ التالية " عمال تحقيقه المص العربي بالنسبة الرجمة الحجاج بن مطر اعتمد على :

- ١ نسخة لمدن رقم ١٨٠ والتي نسخت قبل ١٢١٨/٨٦١٥ م .
- ٢ نسخة لبدن المكتبة البريطانية رقم ٧٤٧٥ والتي نسخت ٩١٥ه/١٣١٨م ونسخة الاسكوريال رقم ٩١٤ بدون تاريخ .
 - ٣ ــ نسخة باريس المكتبة الوطنية رقم ١١٠٠ والتي نسخت ١٤٧٥ م .

وبالنسبة لترجمة حين بن اسحق باصلاح ثابت بن قرة اعتمد باول كونتيش عبى نسخ :

واعتمد الأستاذ باول كونتيش على ان يكون الجنزء الثاني مخصصاً للنص اللاتيبي والذي ترجمه جيرهارد فون كريمونة .

أما الجزء الثالث فهو محصص للمقارنة بين النصوص اليودنية والعربية واللاتينية والحدف انعلمي الأسامي من عمل الأستاذ باول كونتيش هو جعل نص بطلميوس العربي والنص اللاتبي في متناول البحث ، وقد انجز دلك ببراعة ودقة وبروح العالم الباحث وهذا معروف عن اعمال الأستاذ باول كونتيش في مجال تاريح علم الفلك .

أما عن حياته فهو قد ولد في ١٩٣٠/٧/١٤ في كروسوف . ونال شهادة الدكتوراه عام ١٩٥٦ من جامعة برلين ، وتابع ابحاثه في جامعات جوتنجن والقاهرة وكولونيا حتى عام ١٩٧٥ م والنحق بعدها كاستاد في جامعة ميونيح ولا يزال هناك وله مؤلفات عديدة في محال تاريخ علم الفلك (انظر النص الألماني) .

المشاركوري في خذا العدد

- أفاوية ألار : باحث في مركز الأبحاث العلمية البلجيكي ، وهو مهم بتاريخ الرياضيات عند الاغريق والعرب ، وأنه مؤلفات عاداة في ذلك الحال
- قاهوا البوتيني ، باحثة في مجال الصبحة والدراسات اللموية ، حائرة عن شهادة الدكتوراء في « ظرية المعرفة بي , تعمل حالياً كأستادة مساحدة في معهد شاريخ الفكر والصبحة المهيسة
- ايفوت ، م ، بروين ؛ كان استاداً ي جامة استردام في هولمدا ، وقد ثنن مناصب علميه عديدة ،
 برنه مؤلفات كثيرة بي ناريخ العلوم الرياضية والكيمناء والأثامة الكرب ، وقد تري و عام ، ١٩٩٩ م .
- م . أ . تولماشف , تحدر شهادة دكتوراه ي مجان الدراسات الحدرادية الوصفيه تعمل حدلًا كأستاذة مشاركة في حقل الثاديح في جامعة و اشتمل ولها دراسات و مؤلمات في ولمك الميدان .
- سيمول حايك حاصل على شهادة الدكتوراء ي الديسمة من حاسم مدريد المركزية ع يعمل في حقل
 تاريخ العلوم عند العرب و نقر هذه العلوم إلى الغرب و تأثيرها قيه .
- فيرفدرا ضارماء سند علم الفلك والتميزياء في مركز حدث ويسكومس وقد بشط في مجال تنويع علم الفلك على منتى السنوات العشر الماصية ، وخاصة العلك في الهند قبل الحكم البريطاني ، ونشر العديد من المؤلفات في هذا الحجال
- حد جرتهارد شتروماير معل مند عام ١٩٥٨ و حتى الآن كساعد عسي في أكاديمية العدرم في بمرايي . شر حوالي ٢٠٠ مطوعه في بجال تاريخ الطب والعلك والسيمياء وتأثير الحضارة الاغريقيه في التراث العربي والاسلامي وبالتاني تفاعله مع الحصارة القربية عن طريق العرب .
- صامي شعهومه : يعمل استاذاً مسعداً لمواد تاريح الرياصات والعلك والفيزياء لطلاب ديموم تاريح العلوم الأصامية في معهد التراث العلمي العربي بجامعة حلب ، بالإصافة إلى عمد كوكيل السمه، دائه ، وله مؤلمات في مجال تاريخ الرياضيات العربية .
 - دائيل مارش فاريسكو : عالم محتص بعلم الانسان ، وله مؤلمات عديدة في هذا الهان
- باوله كوليشش استذ في معهد الهمات السامية مجامعة ميونيج ، أنف عدة كتب عن العلك وعدم الهيئة
 عند العرب في القرون بوسطى المحتصاب الرئيسي في أسماء المحرم ومصطلحات
- مهدي على ؛ ستاد الله الايرانية والأداب والفلسد. لاسلامية ، وقد نال شهادة الدكتوراء في الله
 العاوسية وآدابها ، وكان استاداً زائراً في جامعه نند، ، وله مؤمنات عديدة في ممان عصمه.

ملاهظات لمن برغب الكتابة في الجلة

تقديم يسختين من كل محث أو مقال إلى معهد الرّب العلمي العربي . طبع النص على الآل الكاتبة مع ترك فرع مزدوج بين الأسطر وهوامش كبيرة لأنه يمكن أن تجرى بعض التصحيحات على النص ، ومن أحل توحيه تعليمات إلى عمال المطبعة . والرجاء ارسال ملخص يتراوح بسين ٣٠٠ – ٧٠٠ كلمة باللغة الانكليزية إذا كان دلك ممكنا وإلا باللغة العربية .

طبع الحواشي المتعلقة لتصنيف المؤلعات بشكل منفصل وتبعا للارقام المشمار إليها في النص . مع ترك فراع مردوح أيصاً ، وكنالة الحاشية بالتفصيل ودون أدنى اختصار .

- أ ـ بالنسبة للكتب يجب أن تحتوي الحاشية على اسم المؤلف والعنوان الكامل للكتاب والتاشر والمكان والتاريخ ورقم الجزء وأرقام الصفحات التي تم الاقتباس منها .
- ب. أما بالنسبة للمجلات فيجب دكر اسم المؤلف وعنوال المقالة بين أقواس صعيرة واسم المجلة ورقم المجلد وانسة والصفحات المقتبس منها .
- ج أما إذا أشير إلى الكتاب أو المجلة مرة ثانية بعد الاقتباس الأول فيجب دكر سم المؤلف واختصار لعنوان الكتاب أو عنوان المقالة بالإضافة إلى أرقام الصفحات .

المثليبية :

- أ ــ المطهر بن طاهر المقدسي ، كتاب البدء والتاريخ ، نشر كلمان هوار بريس ١٩٠٣ ، ج ٣ ، ص ١٩٠ .
- ب... عادل البولا ، لا قضية هندسية ومهندسون في القرن الرابع الهجري ، تسبيع الدائرة : ، مجلة تاريخ العلوم العربية . مجلد ١ ، ١٩٧٧ ص ٧٣
 - المقدسي ، كتاب البدء والتاريخ ، ص ١١١ . اليوبــــا ، و قضية هندسية ؛ ، ص ٧٤ .

Notes on Contributors

Alberton, Tangras a researchies in the field of philosophy and languation. Ph.D. the shout the epiatemology of Marsha Figure and his optical-geometrical models. Presently she is an assistant professor at the Institut für Geistergeschichte und philosophie der Renaissance.

Allard, André : a researchist at the Fonds Notional Belge de la Recherche Scientifique. He is interested on the History of Mathematics of the Arabs and the Greeks and has several books dealing with that field.

Brains, E. M. 1 was a professor at the University of Amsterdam in Holland, and had occupied several scientific positions. He had many profitentions dealing with the History of Mathematical Chemistry as well as the Cosmic Rays. Died in 1990

Chalbouls, Sami : besides his being a line Director of the Institute for the History of Arabic Science, he is also an assistant professor of the History of Mathematics, Astronomy and Physics at the Limitiate. He has books in the field of the History of Mathematics.

Fayek, Simon: obtained the PH D in philosophy from the Central University of Madrid. His research work is in the field of the History of Arabic Science and diffusing it to the West.

Kunitzsch, Paul : a professor at the Institut für Securitatik der Universität Munchen. He published several books on the Arabic Astronomy in the Middle Ages. His field of specialization is in star tables and nomentlature.

Mohaghegh, Mehôi: a professor of the Iranian language, Arts and Islamic philosophy Reabtained the PH. D. in the Persian language and Arts, and was a visiting professor at the University of London. He has many publications in his field of specialization.

Sharma, Virendra: a professor of Astronomy and Physics at the University of Wisconsin Conter. For the last ten Years be it a been active in Hutony of Astronomy and particularly in the astronomy of India before the British in le there. He has published several papers on the subject

Strohmany, Softhand . since 1958 to the present, he is a assentific assistant at the Academy of Sciences in Berlin. He published about 200 publications on the history of medicine, astronomy, alchemy and the reception of Orock science in Islam as well as the reception of Arabic science and its deflusion to the West.

Tolamehera, M. A. : obtained the PH. P. in the field of Etuo-Geographic studies Presently, the is an associat professor of History at Washington State University, and has several studies and publications in the field of Etuography.

Variano, Daniel Martin : PH D in Anthropology He has many publications dealing with the fields of Authropology, Ecology and Agriculture .

France in 1520 and finally in Basile, Switzerland in 1544. Meanwhile, the ninth article has been published alone in Venezia in 1483, 1490, 1493, 1497, and in Badova in 1480 under the name of Nonus Almansoris, de Curationes Aegrundinum Qui Accident A Capite Ad Pedes.

A great doctor named Andrers Vesalius, who has waked up the Anatomy of the middle ages after a long dream, is also an anatomist who has been born in Bruxels in 1514 and studdled in Louvain. Belgica, and lateron in Paris, due to the instructions of a friend of him. In the University there was a doctor called Sylvius who has got a good fame for his works that always marked the lim of Galen in a blindish way, and who believed that the mistakes of that where in a matter of fact due to the incomplete minuscripts written in the Greek language or due to the incorrect translations of the Latin language. Sylvius thinks that the misunderstandings between what Galen have soid and what really has been discovered later on is due to the corruption of the human bieng.

Vesalus became the doctor of the Emperador Carlos V and then the doctor of his son Philip II. He worked in the dissection of the bodies for what he was condemned by death as well as Miguel Servatius, but the intervention of the Prince Philip made that the sentence being changed to pilgrimage to Jerusalem. In his return he met with a storm which lead him to the shore of Zant where he died in 1564.

His doctorate written in latin under the name: Parafrasis In Nonum Librum Rhasue or the description of the muth article of the book of Rāzī, the book has been published later on many times during the Renaissanse the most important in Basile in 1537.

The book contained also a poem written to Vesalius by one of his releads called Jodocus Velsius in which he edmires the arabic doctor Rāzī and his valueous works to the human being and accuses the translators who had little experience and who made the reading of Rāzī seem boaring and unlikely while the book and works of Vesaliur showed the importance of Rāzī and made more likely the readings of that doctor.

The book known as the explanation of the ninth article of the Mansuri written by Razi is considered as the introduction of the book of Vesalius which was very famous and which has appeared in 1543 under the rame: De Humani Corporis Fabrica or The Composition of The Human Body.

Qatājanās, al - Quivā ul - Tabi'vyah, Fi anna Quivā al - Nofs tabi'at li - Mizāj al - Badan, Fi mā Ya'taqidu-hu Ray'un, Manāfi^c ol - A'ḍā', al - Minā, al- Mavāmir, and al- Nabḍ al- Kabīr.

Passages are also to be found in the Shukük from some works of Razi the originals of which have been lost, such as Sam' al - Ktyān, Fi al- Fadd olā al - Sarakhsi fi Amı al-Ta'm al - Murr, Fi unna Markaz al - Ard Yanbû' al-Bard, Fi Kayfiyat al-Abşār, Fi al - Azmınah wa - al - Ahwiyah, Fi Kayfiyat al - Ightidhā', Fi Wujūb al - Istifrāgh fi Awā'il al-Hummayāt, Ikhtijār K. al-Nobā al- Kabn, Fi al- Baḥth 'ammā Qila fi K. al - Ustuqussāt wa - fi Tabi'at al - Insān, Mā Qūlat al- Qudamā' fi al- Mabādi' wa- al - Kayfiyāt, Fi Jaww al - Asrāb, al - Nafs al - Şaghir, al - Nafs al - Kabir, Fī 'Illah allati Ṣāra al-Kharif Mumridan, Fi al - Illah allati Yadīā al - Nazar fi al-Nūr wa Yattasi'u fī al - Zulmah, Fi al-Ladhdhah, Fī ma Jara baynahu wa - bayn Shahta al-Balkit fī al - Ladhdhah, and Fi Miqdār mā Yumkin an Yustadrak min al-Nujūm' ind man Qāla anna-ha 4hyā' Nāṭiqah wa- mau lam Yugal dhālīka.

The value of the Kuūb al. Shukūk as a source for the works of Calen and al. Rāzī is increased further still by the fact that both Hunayn ibn Ishaq and Bīrūnī only give in their fibrists the names of various works, without an indication of the medical and philosophical topics to which they address themselves.

Razi and Vesalius

SIMON HAYER

Is Abn Bakr Muhammad ben Zakarin Al- Razi (865 - 932) the best doctor of his age, he has a book titled: Al- Tib Al- Mansuri, wrote it to the Prince Mungur ben Ishaq ben Ismail ben Muhammad, chief of Khurasan, in an abrevi ced manner. The book is of ten articles, of which the most important to us is the nit the The illnesses that happen from the head to the foot.

The article was known to the Middle Ages by the name of "Non Alarmaris" which deals with the different illnesses of the body.

The book has been translated to the Latin by Gerardo de Cremona, in Toledo, Spain, in the second half of the twelfth contury and the translation has been published in Milano in 1481 and in Venezia in 1497 and in Leyon,

Summaries of Arabic Articles in This Issue Al-Razī's Kitab Al-Shukūk 'Ala Jālīnus

MERDI MOHACHEGH

Muhammad the Zakariyah al-Rāzi was one of the greatest scholars of Islam. Although scholars in the last century have concentrated more on his philosophy, al-Rāzi was in fact originally best known for his medica and pharmacology. Al-Rāzi's eminence is attested by the fect that Abū Rayḥān al-Bīrūni, despite the fact that he was opposed to al-Rāzi', composed a bibliography of his works.

Al-Rāzī was one of the first Islamic scholars to turn his attention to the works of Galen and to make use of them. He even referes to works of Galen found neither in the bibliography of Hunayn ibn Islāq nor in Galen's own autobibliography. Al-Rāzī followed the views of Galen not only in his medica, but also in philosophy and othics.

Al- Rāzī had thus read all the most important works of Galen, and it is on this basis that he wrote the Kitāb al - Shukāk. His 'doubis' concern passages in various writings, and inconsistencies in various matters. Al- Bīrunī records the title of al - Rāzī's work as al - Shukāk' ala Jalinās, while Ibn Abī Usaybi'ah calls it al - Shukāk wa- al - Munāqadāt allai fi kutub Jālīnās.

In the Shukük Rāzī sets down some of the medical and philosophical pronouncements of Greek philosophers such as plato, Aristotle, and Hippocrates, as well as Themistius, Empedoclus, Diocles, Thales, Arclepiades, and Erasistratos, while also mentioning such Islamic scholars as Hunayn ion Ishāq and Muhammad ibn Mūsā. He makes reference to 'a distinguished and noble man' man with whom he used to read the works of Galen's but he does not give the name of this person. The works toward which all liāzī directs his 'doubts' are among the most important of Galen's vitings, and include Ārā' Buqrāt was Aflājān, als Akhlāq, als Idniyah als Mofradah, als Usugussāt 'alā Ra'y Buqrāt Asnāf al-Hurmayāt, als l'dā' als Ālimah, als rehdhirah, als imrād als Hāddah, als Buhrān, als Tapribah als Tīt svan Tadbir als lgelā Tashrih als Hayanān, Tofsir k. als Buqrāt is Tabi'et als Insān, Tafsir Kītāb als Fuṣāl. Tagdimat als Ma'rīfah, Harakat als 'Aḍol, Hilat als Burr' als Dhubūl, als Ka'shah wa-als Nāfah, als Ṣanā'ah Ṣaghtrah, als 'Hala was als I rad

Escorial 915 (dat . 4. September 1314 span. Åra = 1276) . 138' - 119" (europäisch gezählt, im arabischen Sinn gegenläufig).

Paul Kunstzsch promovierte 1956 an der Freien Universität Berlis. Er vertiefte seine Forschungen in Göttingen , Kairo und Köln. Seit 1975 ist er Professor an der Universität München .

Einige Seiner Veröffentlichungen:

- Arabische Sternennamen in Europa, Wiesbaden / Deutchland, 1959 .
- Untersuchungen zur Sternnomenklatur der Araber, Wiesbaden / Deutschland, 1961.
- Ibu aş-Şalāḥ ; Zur Kritik der Koordinaten#berlieferung in Sternkatalog des Almagest, Wiesbadon / Deutschland 1975 .
- On the Mediaeval Arabic Knowledge of the Star Alpha Eridanî, J. H. A. S.,
 Vol I / Aleppo / Syrien, 1977.

Dr. Sami Chalhoub I.H.A.S. Aleppo University

Book Review

Der Sternkatalog des Almagest. Die urabisch-muttelalterliche Tradition von Claudius Ptolemäus

Die grabischen Übersetzungen.

von al-Hağğağ u. von İshāq in der Bearbeitung durch Tābit.

Ina Deutsche übertragen u. bearbeitet von Paul Kunitzeb, Verlag Otto Harrassowitz - Wiesbaden / Deutschland - 1986, umfast 344 Seiten .

Rezension Dr. Sami Chalhoub

Band 1: Arabischer Urtext und deutsche Übersetzung

Sternkatalog - 1025 Sterne - angeordnet in 48 Sternbildern, mit Beschreibung ihrer Stellung innerhalb der Bilder und mit ekliptikelen Koordinaten verzeichnet .

Damit wurde erstmals das arabische Textmaterial, das Grundlage für den Sternenkatalog (seit dem späten 8. Jahrhundert) zugänglich gemacht.

Für die Geschichte der Astronomie in der arabischen Welt war der Almagest ein fundamentales Werk.

Inhalt, Form, Theorien, Methoden, Termininologie und Nomenklatur haben die arabische islamische Astronomic grundlegend geprägt.

Auch für Europa war der Almagest die Grundlage der Astronomie durch die Übersetzung von Gerhard von Cremona.

Benutzte Handschriften : al - Hağğağ

- Leiden, cod. or. 680 (vor 615 H = 1218 / 19) , 111' 125'.
- London, British Library Add. 7475 (dat. Sa'bān 615 H = Oktober 1218), 15° — 36°
- Escorial 914 (micht datient), 74" 92".
- Paris, B. N. hebr. 1100 (dat. 1475). 88^r 104^v (arabisch, in hebráischer Halbkursive).

ishåq mit den Verbesserungen vo Täbit

 Tunis, Bibliothèque Nationale 07116 (dat. Gumādā II 478 H = Oktober 1085), I17' - 134'.

To Contributors of Articles for Publication

in the Journal for the History of Arabic Science

- 1. Submit the manuscript in duplicate to the Institute for the History of Arabic Science. The text should be typewritten, double-spaced, allowing ample margins for possible corrections and instructions to the printer. In matters of paragraph-indentation and the indication of footnotes, please follow the style used in this journal.
- 2. Please include a summary if possible in Arabic, but otherwise in the language of the paper about a third of the original in length.
- 3. Bibliographical footnotes should be typed separately according to numbers inserted in the text. They should be double-spaced as well, and they should contain an unabbreviated complete citation. For books this includes author, full title (underlined), place, publisher, date, and page-numbers. For journals give author, number, year, and page-numbers.

Examples:

O. Neugebauer, A History of Mathematical Astronomy (New York: Springer, 1976), p. 123.

Sevim Tekeli, "Takiyüddin'in Sidret ül-Müntehâ'ama aletler bahsi", Belleten 25 (1961), 213-238.

After the first quotation, if the reference is repeated, then the author's name and the abbreviation op. cit. may be used. Alternatively, the books and articles cited may be collected into a bibliography at the end of the article, according to the above format, so that reference may be made to them in the footnotes by author or short title.

4. In the transiteration of words written in the Arabic alphabet the following system is recommended:

Hamza at the beginning of a word is omitted in transcription. The lâm of the Arabic article before sun-letters is not assimilated (thus al-shams and not ash-shams).

For short vowels, a is used for fatha, i for kasra, and u for gamma. For ong vowels discritical marks are drawn over the letters: ā, i, ā. The diphthong are is used for "j' and ay for "j'. Long vowels before hamsat al-wast are printed long (thus "abu"!-Qāsim" and not "abu'!-Qāsim").

active intellect. 20 but despite this difference there is one word in Dante which reveals the Arabic origin. He says that the soul "hecomes speaking" ("divenga fante", v. 61), and this must be an unsuccessful rendering of the term natio ("rational").

Ibn Sinā extends his psychology even to the heavenly spheres which, secording to his opinion, have souls that are aiming in love at their first tause, i. e. God, generating in this way their constant circular movement. Christian theologians like William of Auvergne (died 1249) rejected this as ridiculous.²¹ But Dante in his poetic fiction developped this Avicennian idea still further. After escending through the spheres at dicoming near to God he suddenly begins to revolve around him in the same manner as a star (Paradise XXXIII, 140 – 145).²²

So Dante may be regarded as a witness of a very broad reception of lbn Sīnā in the West, which went beyond the limits of the universities and was not affected by the polemics launched against him from the chairs of the miversities. He was one of the most prominent figures of our common cultural heritage.

Davidson (est above note 12), p. 152 (A. - M. Gorchon. La philosophie d'Aircenne et son influence en Europe médiévole, Paris 1951, p. 46 - 49.

L. Gardet, La connaissance mystique chez Inn Sinà et ses présupposés philosophiques (Mémoriai Avicanne II), Cuiro 1952, p. 36 - 38.

Cf. R. Palgen, Dante und Avicenna. In: Anxeiger der Ossterreichischen Akudemie der Wissensch ften, phil. - hist. Kl. 38, 1951 . p. 159 - 172 .

himself has clearly indicated. So she corresponds to the third friend and to the lower part in Platonic and Avicennian psychology. The lion is a symbol of the wrathful pact, and Abraham ibn Ezra had compared him expressly with a lion, "as did Plato in his dialogue The Republic." Now the first animal, the female pauther, must have something to do with falsehood and deception, as becomes clear from an allusion in It ferno XVI. 108, and there are other parallels in popular animal lore that point into the same direction. "

All the parallels between Ibn Sinā's tale and that of Abraham ibn Ezra and Dante's Comedy are much more closely related to each other than those produced by Asin Palacios and Cerulli, and they cannot be the result of more chance. Now we might also expect that some of Ibn Sinā's basic teners respieze in the Comedy.

In Purgatory IV, 1-11 Dante dissociates himself from the opinion that there exist three separate souls in man, and some commentators took this as a refusal of the whole Platonic tripartition of the soul But I think we have here instead an allusion to a chapter in the Kitāb al-shifā², where Ibn Sīnā draws a sharp distinction between the tripartition of the one soul and the existence of three separate souls in one body. This part of the Kitāb al-shifā² was accessible in Latin translation.

In Inferno III, 18 the souls in hell are described not simply as sinful but as those who have lost "the good of the intellect" ("il ben de l'intelletto"). This reminds us of Ibn Sinā's idea that the eternal happiness of the immortal individual soul is dependent on the link that she could establish with the active intellect during her life on earth and that her punishment in the other world consists in the deprivation of the knowledge of the intelligible substances."

In Purgatory XXV, 37 - 75 Dante describes the development of the human embryo out of the sperm of the father and the blood of the mother in accordance with Aristotle and Ibn Sīnā. 19 But when matter reaches the necessary perfection, then God. " the first mover ", intervenes from above making the embryo a real human being. Ibn Sīnā allots this function to his

¹⁴ Greive (see above note 7), p. 151 (v. 102)

^{13 1}X, 588d 589b the same in Galen. On the decremes of Hippocrates and Plato, ed. and transl. by Ph. De Lacy (Corpus Medicarum Genecorum V. 4, 1, 2). Berlin 1918 - 83, vol. 2, p. 369.

Strobmann in Dautsches Danie , Jahrhach (see above note 5) , p. 198 - 199 , cf. also Aristade History of animals 1, 5 ; 512 a 12 - 15

¹⁷ Al shifat, al-jobi iydt, o al-nafa, ed G. C Anawati and Satid Zayed Cairo 1975, p. 221 224

E8. Davidson (see above note 12), p. 172 175

Weisser, Zeugung, Vererbung und pränatale Entwicklung in der Medizin des arabiech- islamischen Mittelafters, Erlangen 1983.

until now defied all efforts of the commentators. But a look at the introductory vision in the " Khay ben Mekitz " proves to be helpful," Here Abraham ibn Ezra has not changed very much against Ibn Sina. The narrator is walking in the fields together with three uppleasant friends . The first going in front of him is a har, who mixes the truth with falsehood, nevertheless the narrator is dependent on his informations. The next friend, who goes to the right, is often in anger; the third, who goes to the left, is always greedy. These two are easily to be identified with the k wer parts of the soul in Plato's psychology, the so-called spirited part (to thymoeides , al-kinva al-ghadabiya) and the desiderative part (to epithymetikon, al-kawa al-shahwdniya). The narrator himself is the rational part of the soul (to logikon, al-kowa al-'akliya) . But who is the first friend, the liar? He represents the complex of the so-colled inner senses (al-hawass al-batina) which are located in the ventticles of the brain and which have the task of combining and storing the sense data coming from the sense organs. This doctrine seems to be in this particular form Ibn Sina's own suvention, and it became so famous that we find it again even in the " Arabian nights" in the words of the learned slave-girl Towaddud ." The sense data coming from without are liable to distortion and false combination by the inner senses, therefore this first frier d is called a liar. True knowledge comes directly from above, from the active intellect who gives matter its forms and who bestows these same forms directly upon the human intellect. In this way the reliability of human knowledge has its ontological basis.12 In the field the four friends meet a sheikh with a shining face who greets them kindly. His name is Hayy ibn Yakzán and he is the personification of this active intellect. In Ibn Sina's version he tells very much about his functions and his knowledge, but he refuses the wish of the nurrator to take him with him into the regions of the invisible world. He declares that this is impossible so long as one is in the company of these had friends , i. e. so long as he is in this life. But in Abraham ibn Eara the narrator is able to join the active intellect so as to begin a journey with him. Dante follows this pattern, but he has replaced the allegoric figure of Hayy ibn Yakzān by the wise Roman poet Virgil and by his beloved Beatrice, whom an Italian commentator of the last century has already identified as being here a symbol of the active intellect. 11 The three had friends are also present in Dante. but in the disguise of three wild beasts. Here the norrator first passes by a lonza. a female panther, then by a lion, then by a she-wolf, before meeting the spiritual leader. The she-wolf is a symbol of greed, as Dante

^{10.} Ibid., p. 149 - 153 (vv. 12 - 181)

If Ed Casto 1325 A.H., vol 2, p. 649

 $¹_{-}^{\alpha}$ A. A. Davidson, Alfarabi and Avicenses on the active intellect. In - Fietor 3, 1972 , p. 154 \cdot 427

^{13.} Francesco Peres, La Beatrice svelata, Palermo 1865.

that Dante revered Ibn Sinā as one of his philosophic authorities. In Inferno IV. 143 he gives him a place, together with Ibn Rushd, in the family of the ancient philosophers. Ibn Sinā's allegoric tale, despite its being difficult to understand, was widely known, also in Muslim Spain, and from there came Abraham ibn Ezra (1092 - 1167), the great herald of Arabic science among European Jewry, who spent some time of his life in Italy. He produced in his language an adaptation under the title Khay ben Mekitz, which has the same meaning as Hay ibn Yakzān ("The living one, son of the wakeful one"). He has introduced some decisive changes into the whole structure of the tale, and it is his version which reveals the most striking parallels with Dante's Comedy, to such an extent that some hitherto obscure passages become clearer.

When climbing the slopes of Mount Purgatorio and coming nearer to the summit where the garden of paradise is situated. Dante or the parrator who speaks in the first person suddenly stands before a wall of fire. He does not dare to cross it, he is full of fear, but Virgil his leader goes first and a voice is heard saying " Come, oh ye blessed of my father " (Matth. 25, 34) , and they come through the formidable heat unharmed. (Purgatory XXVII, 7 -60) Dante fails to give this fire any spiritual meaning, in the sense of the Catholic doctrine of purgatory, he just describes it as a natural phenomenon. The sense remained obscure. Abraham the Ezra has exactly the same scene. It is not found in Ibn Sina, i. e. Abraham has added it of his own. Here the narrator together with his leader, who represents the heavenly active intellect, is ascending through the realm of the four elements towards the sphere of the moon. After crossing the air, where the weather is made, they stand before the zone of fire. The parrator, who speaks in the first person, is full of fear, but his leader goes first and easts to him "Come, oh ye blessed of the Lord" (Gen. 24,31), and so they come through unharmed. Here the fire is at its right place according to Aristotelian cosmology, but in Dante it is somewhere at the upper rim of a mountain and not close to the sphere of the moon. We cannot avoid the statement that the great poet appears, in this particular instance, as a plagiator, and not even as a very skilful one.

The first canto of the Comedy contains some allegoric mysterics that

Cf also about the qualutions in Dante's" Convivio" Munica Shakhidi, Abu Ali ibn Sine-obstatel' limba. In: Dantevskie chieniya (Moscow) 1985, p. 151.

German translation in H. Greive, Studien sum f\(\textit{dischen Neupletonismus.}\) Die Religionephilosophie des Abraham ibn Exra, Berliu, New York 1973, p. 149 - 165

G. Strohmaier, Chaj ban Mekitz - die unbekannte Quelle der Divlna Commedia. In : Deutsches Donte - Johrbuch 55 · 56 , 1980 / 81 , p. 191 - 207 , id. , Avicennas "Hayy ibn Yaqaba" und Dantes "Commedia". In : Acta Antiqua Academiae Scientiarum Hungaricae 29 , 1981 , p. 73-80 .

^{9.} Greive (see above sete ?), p. 157 - 158 (vv. 364 393) .

Ibn Sina's Psychology and Dante's Dwine Comedy

COTTMARD STRORMAIRE*

In 1919 the Spanish orientalist Miguel Asīn Palacios published his famous book. La escatologia musulmana en la Divina Comedia. It became the object of a great strife among European scholars. On the one hand the grabists considering the great impact of Arabic learning on Christian scholasticism found it very plausible that the Italian poet should have borrowed some features of his poem from Arabic literature. On the other side the specialists on the Romance lauguages in Italy and outside pointed to the fact that similar parallels exist within the Latin literature of the Middle Ages And how could Dante take notice of the works of Ibn al-Arabi and al-Macarri's Residet al-ghufran , which were never translated into Latin ? The stalemate between the arabists and the Romance scholars seemed to be overcome in 1949 by Enrico Cerulli who discovered that the mi rady - legend was, indeed, translated into Latin and was regarded even as an important document of the Muslim creed second after the Our'an. But the great specialists on Dante remained unimpressed, they emphasized that Dante depicted the prophet of Islam in a very unfavourable way (Inferno XXVIII, 31), how should be have followed his footsteps on his journey to the other world?

Unfortunately, a very important remark made by the Russian tranist Evgeniy E. Bertel's in 1938 remained unnoticed in the West. He observed that the introductory vision of 1bn Sina's allegoric tale Hayy ibn 'lakzān' resembles to a certain extent the first canto of the Divine Comedy. And here we are within the framework of philosophy and not of religion, and we know

* Akademie der Wissenschaften, Berlin .

Paper given at the Fourth international Symposium for the History of Arabic Science, Aleppo, April, 1987.

1.44 ed., Madrid 1984 (Arabic translation by Djalal Maghar, Athir of Islam ft 'l. Kümidiya' 'l. Hidriya, Cairo 1980), of id., Dante y el Islam, Madrid 1927.

 Il Libro della Scala e la questione delle fonti arabu - spagnole della Divina Commedia. Città del Vaticano 1949.

 Cf. 'my review of E. Cerulli , Nuovo ricerche aul libro dallo Scala a la conoscenza dell' Islam in Occidente, Città del Vaticano 1972. In Doutsches Danta-Juhrbuch 55/56, 1980/81, p. 237-340.

4. Avierana i persidakaya literatura. In: fiversiya Akademii nauk SSR., otdelenie obehchestvennykh nauk 1938. p. 80.

5. Traités mystiques d'Abou Ali el-Hosain b Abdallah b. Sind, ed M. A. F. Mehren, ter fasc. L'Allégorie mystique Hay ben Yaqzân, Leiden 1889; cf. A. M. Gorchon, Le réris de Havy ibn Yaqzân commenté par des textes d'Avicenne, Patie 1959.

J. H. A. S. 1991 : Vol 9 : pp. 107 - 111 .



Historical Studies in the Physical and Biological Sciences

	Volume 20	, Part 2
KOSTAS GAVROULU		he British physicists and chemists of corly work and to the law of ates
DAN KEVLES	Cold war and ho the American ste	t physics: Science, necurity, and etc, 1945-56
ERIC L. MILLS	Usaful in many e American physic	apacities: An early career in al occunography
ALEX SOOJUNG-KIM PANG	Edward Nowles : 1920-1940	and radio engineering at MIT,
S.E. SCHWEHER	The young John of quantum chem	Clarke Slater and the development olstry
	Reviews and bibl	llographic essays:
LEWIS PYTINSON	Over the boundi	ng main
HERY LOWOOD	Selected bibliogra	• •
Institutions: \$36 (c	tion to HSPS (2 fames) matside U.S. add \$3).	,
Payment enclosed	Send invoice, C	hargemy 🗌 Visa 🗀 MC
Card #		
Signature		
Name		
Street		
City	State	Zlp
Send orders to:		ernia Press, Periodicale Department Berkeley, CA 94720 hee2

Reste enfin une dernière comparaison possible qui concerne la graphie des chiffres dans les manuscrits des versions latines dont il a été question. Dans le Monacensis lat. 18927 (Ly) et dans le Vaircanus Palat. lat. 1393 (LP) apparaissent des chiffres qualifiés d' "indiens ", qui semblent heaucoup plus proches des chiffres arabes originaux que ceux qu'on rencontre dans les manuscrits latins habituellement cités qui contiennent les oeuvres les plus anciennes connues issues de l'arithmétique arabe : 12

1 P	3994	G or	8	9	0
1 P	ه عرس	40	9	9	

Vatle, Palat, lat. 1393

		1	S	3	4	5	Б	7	8	9		0
(1)	127	1	3	3	R	4	G)	8	9	٥	7
(2)	AC.18927	1	γ	۳	T	-0	4	~	9	7		
(3)	MON	1	7	F	9	9	6	7	8	9	O	τ

- (1) " Toletane figure "
- (2) " Indice Sepre "
- (3) (Tables astronomiques)

On ne peut donc espérer que les textes latins du XIIe siècle suppléent entièrement à la perte du texte arabe d'al-Khwārizmī. Ils en sont cependant indéniablement le reflet. Du point de vue historique, ils sont même irremplaçables dans la mesure même où élaborés en Occident à une époque où la science accusait un retard considérable par rapport aux ocuvres arabes de leur temps, ils témoignent d'un état ancien de la science arabe qui ne peut être révélé antrement.

^{12.} Cfr A. ALLARD, L'époque d'Adélard et les chiffres arabes dans les manuscrits lanns d'arithmétique, dans Adelard of Bath, on English scientist and Arabist of the early twelfth century (ed. c. BURNETT), The Warburg Institute, Surveys and Texts 14. London, 1987, pp. 37 - 43.

entiera.º Il en va exactement du contraire pour les fractions et l'extraction de racine carrée. Ainsi, parmi les quelque 25 exemples qui pourraient être citéa:

DA LY3 LA LP 1 26 × 2'

DA LY LA LP : 11/2 × 11/2

DA LY LA LP: 10": S'

DA LY LA LP : $3/7 \times 4/9$

DA LY LA LP: 31/2 × 8 3/11

(DA) LY LA LP : V 5025

On peut oroire dès lors que le texte d'al-Khwārizmī ne comportait pas d'exemples pour les nombres entiers, mais en décrivait plusieurs lorsqu'il s'agissant de fractions ou de l'opération d'extraction de racine carrée, plus délicate et utile pour l'astronomie. On remarquers de même qu'aucun texte ne parle de l'extraction de racine cubique, contrairement à ce qu'on trouve, par exemple, dans l'Arithmétique d'al-Uqlīdisī. 10

Nous estimons cependant qu'un moyen révélateur consiste à comparer les procédés eux-mêmes . La duplication des nombres entrers en fournit un exemple probant $z^{\rm H}$

DUPLICATION

- caractéristique présente - caractéristique absente)
- t. Poser le nombre à doubler dans l'ordre de ses pupitions
- 2. Doubler chacune des positions
- Poser les unités à la place de chacune des positions et reporter les duaines à la position suivante
- 6. Début de l'opération per le droite
- 5. Début de l'opération par la gauche
- 6. Proceder par addition
- 7. Prenys par médiation
- 8. Preuve per neuf

DA LY LY2 13 LA , LP	_
	. 1
2. 7	T
3.7	T
	†
	+
	+
	. +
-7: -1	. 1
	. 1

LY constituant le seul texte où on procède par addition, on peut considérer que l'oeuvre originale procédait, en commençant par la gauche du nombre, de la manière dont ou trouve le reflet fidèle dans DA, LA et LP.

Le soul exemple commun est ceius de 1 800 divisé par 9 (A. ALLARD, op. eis., p. 15; 120 121).
 Les exemples sont dans tous les autres cas particuliers à chacune des ocuvres étudiées.

^{10.} A. S. SAIDAN, op. cit., p. 315 - 327.

Cir A. ALLARD, A Propos d'un algorisme latin de Frankenthal : une méthode de recherche, dans Janus 65 (1978) , p. 119 - 141 .

d'arithmétique qui leur sont antérieurs, on ne constate aucune correspondance ui dans les textes, ni dans les exemples. Il n'est cependant pas interdit de penser que la publication d'autres arithmétiques arabes des Xe et XIe siècles éclairerait le question d'un jour nouveau. Dans l'état actuel de la question, on peut se livrer à quatre types de comparaisons.

La première comparaison possible visc les textes latins eux - mêmes. On pout l'illustrer dans la multiplication de trois septièmes par quatre neuvièmes où c'est la leçon courte, celle du Dixit Algorizmi (DA), qui sans doute est la plus proche de la première traduction latine perdue :?

"Ains, si tu voulais multiplier I septionos par quatre neuvièmes, et si ces septièmes et neuvièmes étaient en première position de fractions comme des numutes, tu les multiplierais entre eux, et ils deviendement dans leur position dans l'espèce des secondes. Lorsque tu veux les élever à un nombre outier, et les diviseras par l'une et l'autre positions qui sont des septiemes multipliés par des neuvrèmes. Si autre chose est divisé et résulte de la division, ce sera us nombre autret, et « on ne peut diviser, ce « « out des parties de la même espèce que ve pur quait tu divises. Et trois septièmes par quaire nouvièmes seront 12 parties de 60 trois parties d'un "

Le même type de réflexion peut être fait à propos de la multiplication de 1½ par 1½, par le biais des fractions sexagésimales ; cette fois, le texte le plus concis, quoique complet, est celui des versions du Liber Ysagogarum :³

" Si nous voulous multiplier un et un dems par un et un demi, rédusons un et un dems en minutes, pour faire 90. Et de même pour l'autre. Multiplions entre elles ces 90 minutes pour faire 8 100 secondes, qu'on divise par 60 paur faire des minutes, et par une deuxième division par 60 on obtieut 2 degrés et 15 minutes.

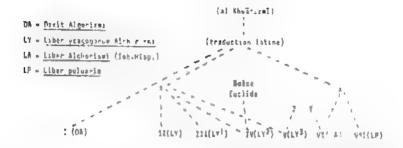
Il apparaît ainsi dans un premier point que le texte de l'arithmétique arabe d'al-Khwārizmī, comme celui de son Algèbrs que l'on connaît, devait se limiter à l'énoncé des règles des opérations fondamentales hien connues, telles qu'on les retrouve dans les ouvrages postérieurs tant arabes que latins , mais là sous une forme plus éluborée et illustrée d'exemples .

Si on compare entre eux les exemples d'unés par les textes latins, on constate qu'ils ne correspondent pratiquement jamais pour les nombres

7. Quasi nelles multiplicare III septimas to quatuor nousnis, essentque ille septime et nousne in prima differentia fracticoum quasi minuta, multiplicaresque ess in innicem, et fierent in sua differentia ex genere secundorum. Cumque uchiere eas subleuere ad numerum integrum, divides eas per utrasque differentias que sunt septime in nouenis. Quod se aliud dimisum fuerit et exient de divisione, numerus este integer, et si non poterit divide, crunt partes unius ensadem generis par quod divisisti. Ecuatque tres septime in quatuor nouenis XII partes ex LX tribus partibus unius. Cfr A. ALLARD, op. cit., p. 22.

8. At si noum et dimidium per unum et dimidium multiplieure voluerimus, auam et dimidium minuta faciomus et ceunt 90; cimiliter de alia Que inter se multiplicemus eroutque 8100 secunda, que si per 60 dividuatur, ad minuta redibunt; que iterum endem divisione 2 gradus et 15 minuta erunt.

Cfr A. ALLARD, op. cu., p. 41.



Il est certain d'abord - on peut regretter le fait, mais il est sudéniablequ'aucune de ces oeuvres ne peut prétendre être une traduction exécutée directement sur le texte arabe d'al-Khwārızmī, pas même le Dixit Algorismi, malgré son incipit particulier qui ressemble su mieux à calui des ouvrages arabes :

"Al- Khwarzmi a dit : rendona à Dicu, natre guide et notre protecteur, de justes hommagre qui lai rendont son dà et répandent sa ploire en la faisant s'accroître. . ""

Tous ces ouvrages reflètent au moins une et peut - être plusieurs traductions latines perdues qui leur sont antérieures et qui furent exécutées dans un des centres qui vit naître les premières traductions, soit le sud de l'Italie, soit plus vraisemblablement l'Espagne. Il est d'ailleurs rare qu'en dehors de son titre, une ocuvre se réclame d'al-Khwārizmī. Le fait se présente à deux reprises dans le Liber Alchorismi de Jean de Séville, une fois à propos de la division des fractions (rdinaires, et une fois à propos de la multiplication des fractions ordinaires, où on trouve explicitement:

" C'est la mâme chose que semble dire al-Khwarismi à propose de la multiplication et de la division des nombres enuers et des fractions, lorsqu'il propose. . . "4

On pourrait craindre dès lors que ces versions latines, que trois siècles séparent de leur modèle arabe supposé, soient en fait le reflet d'autres oeuvres arabes rédigées par les successeurs d'ul-Khwārizmi. On songe évidemment, par exemple, aux Principes de calcul indien (Kitāb fi uṣūl hisāb al - Hind) de Kūshyār ibn Labbān⁵, ou à œux d'al - Uqlīdisī⁶, ou encore à l'oeuvre d'al-Karajī. Si on compare les versions latines du XIIe siècle aux ouvrages arabes

³ Dixit Algeriano launes Dre rectori nestre atque defensori dicamus dignas, que et debitum ei reddant et augendo multiplicant laudem. . . Cft A ALLARD, op. cit. , p. 1

Rue idem est illud cuam quod de multiplicatione et dinisione integrorum et fractionum Alcherisonus dicere indetur et si aliter, cum — Oft A. ALLARD, op cu , p. 163.

^{5.} M. LEVEY et M. PETRUCK, Küshyär ibn Labban Principles of Hindu Rockoning, Mudison, 1965.

^{6.} A. S. SAIDAN, The Irithmetic of Al- Uglidist, Dordrecht, 1978.

La Diffusion en Occident des Premières Oeuvres Latines Issues de L'Arithmétiqe Perdue d'Al-Khwarizmī

ANDRE ALLARD*

La diffusion dans l'Occident latin du calcul indien hérité de l'arithmétique arabe et hé par sou nom même d'algorisme (algorismus) au premier auteur arabe, al-Khwārizmī, qui eu écrivit les principes, peut être envisagée sous plusieurs aspects. On peut s'étonner d'abord de la lenteur de cette diffusion, puisque trois siècles séparent la rédaction arabe aujourd'hui perdue des plus arciens témoins latins qui en conservent le reflet. Plusieurs causes peuvent être envisagées. Certainement d'abord une longue tradition médiévale du calcul sur abaque et du calcul digital. Sans doute aussi la difficulté des rapports entre le monde musulman et le monde chrétien. On peut rappeler la phrase fameuse d'Ibn 'Abdūn à la fin du XIe siècle à Séville:

"Il ne faut pas veutre des livres de sesence aux Juife et aux chrétiens ... parce qu'ils voudront traduire ces hvres de sereuce et les attribuer aux leurs ou à leurs clercs, alors qu'il s'agit en réalité d'ouvrages musulmans. "

Au début du XIIe siècle, et pour le plus grand profit de l'Occident médiéval, la leçon d'Ibn 'Abdün ne fut heureusement pas retenue. Toutefois, la question des origines mêmes de cette connaissance reste complexe. Avant de tenter un rapprochement quelconque avec l'ouvrage perdu d'al-Khwārizmī, il fallait d'abord résoudre les problèmes posés par les manuscrits latins, leurs filiations et leurs rapports. Tontrairement à ce qu'on pensait généralement, il existe non pas deux ou trois, mais sept traités latins écrits dans le premier quart du XIII siècle. Leurs rapports entre eux peuvent être sohématisés de la manière suivante:

F. N. R. S., University of Louvain, Belgium.
 Paper given at the Fourth International Symposium for the History of Arabic Science, Aleppo,
 April, 1987.

E. GARCÍA GÓMEZ. Sevilla a comienzas del siglo XII, Madrid, 1948, p. 173. Texte cité par M-T. d'ALVERNY, Translations and Translators (R. L. BENSON et G. CONSTABLE, Renaissance and Renewal in the Twelfili Century), Oxford, 1982, p. 440, p. 79.

2. Sous réserve d'une découverte, toujours possible, d'une nouvelle ceuvre latine meannue, l'étude des premiers algorismes latine du début du XIIe siècle est aujourd'aui terminée. Les différentes versions sont en cours de publication. A ALLARD, Al-Khwārumi. Artihmétique. Les versions latines du XIIe siècle, Louvain-Tunis, 1987.

It is still necessary to explain why the authors of the unua genre did not lay claim to their synthesis. Why did they insist ou reading back the formal concept of the lunar roduce into the lunnal period before Islam? Despite an intense interest in the philology of the anna' tradition, there was a general reluctance to probe into the origin of the anna'. Aba 'Ubsyd once remarked: "I asked al-Açmā'i about (the star mijdāh), but he did not say anything about it and was loathe to see anything good from the anna' system." Al-Damiri related a similar tale contains.

"Abd - al- Hakam relates that when "Umor b. "Abd - al - "Aziz started from ol - Madtuah, there was a man belonging to the tribe of al-Lakhm with him, who related, "I looked up and saw the moon in the Fourth Mansion (i.e., Aldebaran), but did not like to tell him so; so I said to him, "Do not you see how beautiful the moon is to - night!" upon which "Umor looked up at her (sic) and seeing her in the Fourth Mansion replied, "As if you wanted to tell me that she is in the Fourth Mansion, but we start neither by the sun nor by the moon, but by God the only One, the all-powerful."

These two anecdotes suggest that the pagen character of the unwā' was so well known that Mushum were reluctant to refer to them. Thus, it was necessary in describing the anwā' to cleanse the concept of its pagen association in order for the anwā' to be a suitable subject for Islamic scholars.

I submit that the annoi' were cleansed in two ways. First, the variant star calendars relating to the periods of rain were unified in the neutral frame of a lunar zodiac. Second, it was necessary to assert that the practical element of the annoi' as a reckoning system ordained by God existed in pre-Islamic Arabia independent of its use in pagan invocations. The concept was justified as Arab because it was a harmonization of Arab star lore; it became distinctively Islamic because the pagan and magical elements were exercised. As a result we have only fragmentary information on what stars were in fact annoi' and how the system was used before Islam. To the earliest generation of Muslim scholars it was not necessary or expedient to describe the annoi' in full. As modern historians of science we are unable to reconstruct the pre-Islamic usage of the annoi' with any precision. Yet there is a value in looking beyond the concept to the ways in which it has been formulated and communicated, for this is where the distinction between science and folklore must be drawn.

^{106.} Quoted in 61-Marstigl, 1: 179

Al-Damiri. Id Damiri's Hayar al-Hayaredn (A Zoological Lexicon). (London, 1906 1908).
 2 248.

It would be tempting to say that the concept of manasil al-qamar was simply borrowed from India and Arabized by incorporating Arabic star names and love into it. To say that the lunar zodiac, of which there are many variants, is not indigenous to tribal Arabia is not to say that its formal definition in Arab Islamic scholarship was not distinctively Arab and Islamic. The lunar zodiac, like the solar zodiac of twelve signs, spiced throughout a number of cultures as a coherent frame for defining the cosmos. The idea of the zodiac was but the shekton, the features which made the concept distinctive were the flesh and blood of Arab star love.

The concept of anird as equivalent to the twenty - eight lunar stations is both Arab and Islamic . As a scientific concept it came into existence only when the variations within the oral lore of Arabia were fused to the unifying frame of a lunar zodiac. The early Islamic scholars who heired define the direction and components of Islamic science, forged concepts by combining the legacy of previous scholars in other cultures with their ewn distinctive traditions. The folklore was little more than an undifferent and mass of information , a universe of particulars with no support cherent frame of reference. These scholars approached the anua not as the scientific product of a certain generation, but an evident truth about the cosmos. As part of a cosmic scheme deemed to be basic to Islam , the Muslim scholar would have expected such a concept to be known to earlier scholars and prophets. But Mand noted that the prophet Daniel was credited with a book on the manaul al - gamar and the burds. Certainly Hermes, the thrice- wise sage of old, or Seth, the patron patriarch of astronomy , would have known such a concept. The fact that information collected from the Bedouise and their poetry was full of contradictions and variant traditions could not invalidate a belief that the lunar stations were ordained by God as a guide for men

It is not that early Muslim scholars sought to deliberately mislead; rather, they participated in a milicu in which science was concerned with the harmonization of information within an avowedly Islamic framework. In this respect a scholar like Ibn Qutayba, who was not in fact an astronomer, wanted to describe the anical without reference to the influence of foreign philosophy or scholarly astronomy. His goal was to make sense of what the Bedouin did and this was accomplished not by a critical assessment of the data but by harmonization. It was assumed that the conflicting information was a result of the Bedouins' ignorance in not seeing the lunar stations as part of a cosmic scheme set in motion by God and validated by corlier scholars.

Science and Folklore

The issue of the origin of the anwa" in Arab tradition highlights a fundamental problem in reconstructing the history of scientific concepts. When we slide back along the scientific scale to reach the ultimate origin of a concept, eventually we arrive at that himmal and undefined point where science emerges from mere lore. Unfortunately, it is precisely at this point that the evidence usually cludes us. As bistorians of science we are reliant for the most part on texts. Early Muslim authors provided an analysis of the anwa" and in the process proserved samples of pre-Islamic poetry and lore. Yet we know almost nothing about the people who actually used the anwa" and only fragmentary glumpses of the use to which they were put.

There is a danger in relying so much on a textual tradition that the "prehistory" of an idea – as it reverberated in men's minds and on their lips – is not only lost but, by definition, insignificant. The history of the concept becomes only the history of what learned men have recorded about it for posterity. Equally, it is unwise to rely too heavily on analogy from contexts we can observe. Ethnographic data on star calendars among Arab tribes can help us understand if a particular calendar is practical or relevant, but we cannot assume it has remained unchanged or is representative for a similar context some fifteen hundred years earlier.

In this study I have attempted to sift through the variety of conflicting information and variant records on the anwā'. There is no reason to doubt that a system of stars linked with rain and other phenomena was developed in Arab tradition. However, there is no compelling evidence to think that any specific Arab tribe or community followed a lunar zodiac of twenty eight asterisms. There is in fact no origin for the anwā' no distant Arab tribesman who hit upon the idea on a remote, star-lit night in the desert. There were no doubt many star calendars suited to particular needs, some practical and others magical. It would also appear that the meaning of the anwā' was understood as a pagan and unIslamic system, a system that the prophet himself condomned.

The formal scientific concept of the mondail al-qumur can be traced back through the literature, but not to a single, ultimate source. We may be able to discover the first textual reference to the concept, but far too many works have been lost to be definitive. The evidence is clear that certain elements of the Islamic scientific concept of the stations were taken from India and perhaps from other traditions as well, yet we do not know who was the first to combine these elements with the Arab lore.

auspicious of the anu'a', yet Aldebaran following it is considered the most detestable. This cannot be explained in terms of the rain being plentiful during the setting of the Pleiades but being absent or harmful during Aldebaran. I would suggest that Aldebaran, referred to as mijdah in pre-Islamic usage, may have figured prominently in pagan rites of divining rain. Al - Marzūqi in fact described it as a star associated with rain. 29 *Umar ibn al - Khattāb once referred to majādih al - somā' in a rain invocation (istisqā'). 100 When he was criticized by his fellow Muslims for referring to such a pagan nau', he had to justify the use as appropriate and not legitimizing the divination by the anuâ'. If it was so necessary to explain his use of the term, it must have been because mijdāh (mujādih, plural) was well-known as part of a pagan rite. When the authors of the anuâ' genre refer to Aldebaran as detestable, they make a conscious statement about the magical uses to which this naw' had been put.

Divining the rain and other weather phenomena would clearly have been an important part of pre-Islamic cults. Among the pre-Islamic Bedouins, as among recent Bedouin tribes, knowledge of rain and hence pasture would have been vital for prosperity. The Qutayba quoted verses concerning the most favorable times for rainfall. The most favorable time was said to be at mid-month, i.e., the full moon; the first night in which the new moon is seen (i.e., ghurra) was also considered favorable for rain. Among some Arabs it was considered to be an inauspicious time to travel when the moon was in Scorpio ("agrab"). This is apparently a reference to the so-called "agarb of winter as determined by the new moon being seen in Scorpio during the cold winter months. 102 While references to fortune and the anita" or manāzil are common, it is often difficult to determine what stems from Arab lore and what has been horrowed from India and other cultures.

The conclusion is inescapable that the anuā' refer to a system of rain invocation that saw the stars as influential in bringing the rain. It would be wrong to think that all pre-Islamic Arabs followed such a system or were willing to accept it. Yet, it is equally wrong to assume that pre-Islamic Arab tribes so dependent on the rains would have looked to the stars simply as markers of when a rain might occur. The impression given in the anuā' genre is that one can isolate a reckoning system based on twenty - eight anuā' from a variety of conflicting and often magical lore on the stars. Thus, the origin of the anuā' has been filtered for us by a generation of scholars who were wary of the magical and unlabanic use of the stars by their pagan ancestors.

^{99.} Ibn Qutayba, p. 37 , recorded a hadith on mijdih a- a naw' for rain

^{100.} Al-Marsuql, i: 179.

^{101.} Ibn Qutayba, pp 180-162.

^{102.} For this term, see the discussion in my forthcoming The Medieval Agricultural Almanoc. .

pagan error along with defamation of ancestry (ta'n ft al- ansâb) and lamentation (niyāḥa). The prophet argued that those who said they were rained upon by a certain star were attributing the power over rain to the star and not to God and this had to be condemned in the strongest terms. This school a major theme in the Quran that the people of his day had rejected God and ascribed His power to idols and Nature itself.

Abu 'Uhay d said that the Arabs in the Days of Ignorance (Jähiliya) would attribute rain or wind to the influence of certain stars, saying " we twee rained upon by the now' of the Pleiades, Aldebaran or simék." 193 In his compendium on religious and sects, Al-Shahrastāi i described the anud' as a practice of the pre-Islamic Arabs associated with divincre. A Certain idols set up in the ka'ba were in fact prayed to for rain. There is even evidenc of a rain cult associated with the sacred geography of the ka'ba in which the rain reaching a certain door would indicate plentiful rain and fertility for a land associated with the location of that door. We are also told that certain of the stars, including the manāni, were worshipped before Islam.

The anwä' must be understood first and foremost as a system of divining ram. The strong condemnation by the prophet suggests that such a system of ram invocation had become engrained at Mecca and may have centered on sanctuaries such as the ka'ba. Al-Marzuqi remarked that the anwa' were also believed to have influence over other aspects of life. 28 Some of the Arabs, he claimed, exceeded proper bounds in their oaths by the anwa' and attributed events to their influence until they deluded themselves into thinking that all fortune or misfortune, good or evil, profit or loss was according to the anwa'. In responding to their use in divining ram. Muhammad was condemning the wider process of making the stars into "gods".

The pre - Islamic poetry which has survived does not describe this magical use of the aniod. No doubt such verses would have been deemed offen sive to the authors of the aniod genre. Yet, it is clear that some aniod were considered more favorable than others. The Pleiodes was considered the most

⁹¹ In addition to al-Bukhārī and the standard hadish collections this tradition can be found in Ihn al-Ajdābī, p. 136, 1bn Qurayba, p. 14. Lisān al- "Arab (article neto-").

⁹² See Ibn al-Ajdābī, p. 136; Ibn Qutayba, p. 14 , Abū Ishāq al-Zajjāj in Lizān al-"Arab (article nette").

^{93.} Quoted in Lisan al-Arab (article n-w-1)

^{94.} Ann al Fatah Muhammad al Shohrastani, Kathi al- Mulai wa-al-nold, (Beard, 1984), 2, 241

^{95.} Ibn al-Kalbî in Nabib Faris. The Book of Idols (New Haven, 1952) , p. 7.

⁴⁰ Abû l'abman 'Umar al-Jahiz, Kuab al-Hayawan, (Caro, 1968) , 3 : 43 .

^{97.} Al-Quiqarhandi, p. 452. Cf. the discussion in al-Shahrastaul.

^{98.} Al-Marghol, i : 178 .

system of agricultural marker stars (ma'dim al - mrā'a) which parallels arbitrarily the twenty - eight lunar stations. Evidence for this calendar is quite recent, yet certain stars were chosen as markers as early as the 9th century. The Yemeni sultan, al-Malik al-Ashraf 'Umar ibn Yosuf, writing in the 13th century observed that the anial in Yemen were different from those of Syria and other areas because the timing of the rains varied accross the general region. On My ethnographic research in a central highland valley showed that while most Yemeni farmers know about a few major stars, only a few claim to know the system as a whole. In the valley where I lived there was in fact no division of the year into discrete units, but rather stars were chosen to mark only seasons of rain and major agricultural activities. A system of twenty-eight united or a lunar zodiac would have been irrelevant to the needs of the formers.

Much of the discussion on the ance has assumed that the system of twenty-eight lunar stations was a practical calendar for pasterelists or fermers. To my knowledge the division of an entire year into discrete (and often equal) units is arbitrary and unrelated to a practical context. For most communities it was only necessary to mark periods of local importance. Even so, most people probably could recognize only a few stars, with certain individuals having expert knowledge. It is not that pre-Islamic Arab tribesmen were too ignorant to comprehend a system of twenty-eight anion or manion; it would simply not have been relevant. While certain stars, such as the Pleiades, Canopus or Sirius, would have been useful markers to a bread spectrum of groups, I would argue that a variety of star calendars was to be found.

Rain, Fortune and the Anua'

The anied' genre portrays a star calendar of twenty-eight lunar stations as a basic feature of pre-Islamic tradition. Based on the available literary evidence and by analogy to ethnographic examples, it must be concluded that the anied', as a system of stars linked with periods of rain, were not simply an Arab varient of the lunar zodiac. In trying to reconstruct the nature of the anied' hefore Islam it is important to set aside the claims made by scholars of the genre and focus on the few fragments of documentation available.

The primary evidence for the interpretation of the anna' comes from the tradition literature of the prophet Muhammad. Although there is no reference to the anna' in the Quran, Muhammad bitterly criticized the anna' us s

D. M. Varnece, The Adoptive Dynamics of Water Allocation in al-Ahfur, 1 enten Arab Republic, {Ph. D. diesectation, University of Pennsylvania, 1982), pp. 554 576

^{90.} I discuss this in my forthcoming . The Medievol Agricultural Almonac of a Yoneni Sultan, (Cambridge).

The range of pre-Islamic star calerdars recorded in the anxid genre shows that to one system of twenty - eight anxid was universally recognized. Furthermore, the seemingly arbitrary fit between the stations and seasons or rain periods suggests that the Arab tribes were not aware of the full contingent of hunar station. While reference is made to the conjunction of the moon and the Pleiades, there is no reference to the poetry or soyings to the general stationing of the moon in a different asterism each night. Finally, it is clear that both the settings and risings of certain stars, not always of the lunar stations, were cited as markers.

The textual evidence is too fragmentary to reconstruct an actual star calendar of a given tribe. The early authors of the anea' genre were not ethnographers faithfully documenting a tradition of fore and its variants. It is useful, therefore, to look at the types of star calendars actually used by contemporary Arab tribes. It should be noted that in some cases the tribesmen may have absorbed elements of the formal concept of mandail, but such sophistication is rarely encountered.

Information on the stars linked with rain periods among the Rwals Bedouins was collected early in the century by Alois Musil. Musil recorded that the Bedouins began their year with the rains associated with the rising of Canopus in October. This was the season of safori and the rain was called wasm. This is remarkably similar to the Canopus calendar recorded by Ibn Qutayba. After forty nights the Rwala observed the evening rising of the Pleiades, followed by the rising of jauza' (Orion or Gemeni). Both of these stars were said to reign for twenty-five days each. Winter (shuā') was heralded by the evening rising of Sirius and lasted for forty nights. Simāk was the star associated with the next fifty days, followed by the spring (rayfi) rains in mid - April. The four hot months of summer were referred to as qayz and included no rain.

The Rwala calendar, which is similar in many respects to that of the Smai Bedonies, se shows that both morning and evening risings of stars were cited as markers. The stars used as markers were not limited to the formal lunar stations but were the sen because they coincided with the general limits of each season. As the rains were not of the same duration or timing every year, nor over a wide area, the seasons and cain periods represented a general sequence and not a calendar thing the tene date year after year.

In his bland Yemen the tribal farmers have looked to the stars for centuries in morting rain periods and symboliumal activities. One finds today a

87. Alois Mussl. The Mannees and Castoms of the Rusala Bedouins, (New York, 1928)

88 Choton Builey, "Benouin star-lore in Smar and the Negev. " B. S. O. A. S. , 1974, 37 580 - 596 .

when these two conjuncted on the fifth day after the hild. This Pleiades calendar has survived among tribal groups in Palestine. The tement and Afghanistan. All Yemen a period of nine months is said to commence when the moon and the Pleiades are linked at the ninetcenth day after the new moon in autumn until the Pleiades is said to disappear in April. These months were referred to by an odd number representing the days clapsed between the new moon and conjunction in each of them. Although admittedly an approximate system, the number - months thus formed served to time agricultural activities and describe the weather.

Finally, a star calendar oriented toward the pastoral cycle was formulated from the later summer rising of Carripus (suhayl). As described by the Qutayha, the Bedouins first trekked to pasture in August with the dawn rising of Canopus. A Marzūqī quoted a similar calendar in which this season is called sofariya. By the setting of al-fargh al-mu'akhkhar (≈ 27) in September most of the berders had left for the pasture. In general the winter rains and pasture thus produced allowed the Bedouins to remain in the more arid areas until April and the rising of sharatayn (≈ 1). At the dawn rising of the Pleaides in May most had returned and the last were said to come into the settlements by June. Al-Marzūqī presented a variant of this calendar according to five seasons of rain :

Season or Rain	Stations
qayz (summer)	rising of the Pleiades to rising of Canopus
mfariya (autumu)	rising of Canopus to rising of simak
shuta' (winter)	rising of simāk to setting (wuqū ^c) of jabha
dafa'i	setting of jabha to setting of sarfa
sayf (spring)	setting of Spica to setting of Arcturus (ca. forty nights)

The variant recorded by al-Marzūqī combines risings and settings of stars, only some of which are among the twenty eight and a'.

B? Ibn Qutaybu, p. 87

⁸² Gustav Dalman, Arbeit und Sitte in Palastina (Cutersloh, 1928) , 1 : 23 .

Eduard Glaser, "Der Sternkunde der Süderabeschen Kabylon," Sitz. d. Akad. d. Wiesenschaften d. Wien, 1885, 91: 89 - 99.

^{84.} Alescandro Bausani., "Oescrivasioni sul sistema calcudariula degli Hazāra di Afghanistan..." Oriente Madarno, 1974, 54: 541 - 354.

^{85.} Ibn Qutayba, p. 96.

^{86.} al- Marzūqi, 1:199 .

The system described here is clearly not a reference to the lunar stations, but one does find those stars which are cited in the pre-Islamic poetry.

I suggest that the anica' system of the Qushayriyān represents a variant of actual tribal usage and that this system was modified by early Islamic authors to fit the formal system of a lunar zodiac. The basic reference point in this and the other variants is the start of the usami rains at the naw' or setting of two stars in Pegazus commonly referred to as al-fargh al-mu'akhkhar, fargh al-dalu al-suffā or al-arquintān al-mu'akhkharotān. The stars referred to one either clearly visible or associated in their risings and settings with an important part of the seasonal cycle. As such these anica' were not used to delineate the year in discrete calendrical units, but rather to mark only those seasonal phenomena of relevance.

The sources indicate that certain stars or asterisms were far more important than others. No star is more famous than the Pleiades (thurayyā), which was even called najm because it was the star par excellence. 77 According to Ibn Qutayba the Bedouins divided the year according to the November setting and May rising of the Pleiades. 78 The setting of the Pleiades marked the time of the wasmi rain. At the rising of the Pleiades the hot bāriḥ wind blew and dried up pasture. This was the time when the Bedouins had to return from herding in the desert to settlements with water.

In addition to its rising and setting, the Arabs also noted the timing of the moon's conjunction or stationing in the Pleiades. Once a year the new moon (hilāl) was seen to conjunct with the Pleiades; this was in April just before it disappeared from view for about 40 -- 50 days. The disappearance of the Pleiades from view due to effacement from the rays of the sun was generally considered a bad omen. Indeed the rising and setting of this star is commonly associated with diseases in traditional Arab medicine. 79 The conjunction of the moon and the Pleiades was taken as an auspicious sign, especially that with the new moon. 100

The conjunction (from quana rather than nazula) of the moon and the Pleiades was used as a marker of time by counting the number of days elapsed between the first of the lunar month (i. e. the hilal of the moon) and the conjunction. Ibn Qutayba quoted a verse that referred to the arrival of winter

^{77.} Ibn Qutayba, p. 23., Ibn Sids. 9. 9; al-Marsaqi, 1:185. Al-Najm in the sense of the Pleiades is the title of a surah in the Holy Quran.

^{78. 1}km Qutayba, pp. 50, 96.

Al-Suyûţi in A. M. Heinen, The Place of ol-Suyûţi's al-ţlay'at al-Saniya fi al-ţlay'at al-Sunniya in the History of Arabic Science. (Ph. D. dissertation, Rarvard University, 1978), p. 596.

^{80.} Ibn Majid, p. 85

This system appears to be a variant of one attributed to Mālik ibn Anis.⁷³ who began the year with the *masmi season* at one - third of station = 28, a reference to the setting rather than the rising.

All of the variants described above, to which numerous examples could be offered for later periods, involve the linkage of seasons with the twenty-eight aneal. The system described by Ibn Kunāsa and Abū Ḥanīfa al-Dīnawarī, however, must be based on a smaller number of aneal stars. Such a system was ascribed to the Qushayriyin by Abū Zayd and Qupub, two of the earliest authors of the aneal genre. This system neutions about 13 asterisms, some of which are not part of the lunar stations, as the signs for six main periods of rain throughout the year. Furthermore, some of the names could further be combined to form more common names for the groupings:

Rain Period	Anwā'	Comments
wasm?	al- ^c arquwatān al-mu`akhkharatān	15 days for each star period at wasmi, this asterism is part of dalw
	sharat	
	thurayyā	
shatawi	jawai	
	dhirā ^c ān or dhirā ^c	
	nathra	
dafa'î	jabha	also part of shotosvi and some say part of payfi
	* ด เขายดี	not mentioned by some
	şarfa	not mentioned by some or perhaps a separate Season
payfi	simākān	40 day period
ham im	dabarān	20 day period, but said to be no naw' at this time; some combine
		hamim with kharif
khar If i	nasrān akhdar	Altair and Vega
	al-tarquwotān al-üla	yān

^{75.} Quoted in Ibn al-Ajdabi, pp. 98 99 .

^{76.} The system of Abū Zayd is cited in al-Marsūqī, 1 · 198 - 199 and E. W. Lane, 2 · 2861 - 2862 That of Qutrub can be found in al-Marsūqī, 1 198 . A similar calendar attributed to Abū Mansūr is mentioned in Lisān al-*Arab (article n-w-*)

Another attempt to relate the twenty - eight anua' to a sequence of seasons is recorded by al-Alüsī, '3 although this would appear to be more recent than those mentioned in the early anua' literature. Once again the calcular begins in autumus, although this time with the setting of ≈ 26 , and the seasons are of irregular length.

Season	Anwa'	Starting Date	
 badr i	26 - 28	IX : 8	
n asm [1 -4	X:17	
walt	5 - 14	XII:9	
ghamir or mudd	15 - 18	1V : 18	
busri or nuffākh (?)	19 – 20	VI : 9	
da).\$	21 - 23	VΠ:5	
i/trāq al- hawā	24 - 25	VIII: 13	

The fit here is clearly arbitrary and appears to be adapted for the cultivation of dates in Iraq. While this is clearly not a pre-Islamic calendar, at shows the tendency of scholars to fit indigenous systems into a common model.

Some variants seek to link the anwa' with the morths. Al-Margabani (?)²⁴ divided the year into six seasons of two months each. This forces the anwa' periods to be divided into four and two-thirds stations per season. It is hard to imagine the start of hamm, for example, in the autumn at two-thirds of the length of station = 3 (the Pleisdes), especially when the Pleisdes is always associated with the later period of the wasmi rain:

Sea	140E	Stations (dawn risings)	
100	ami	13 - 1/3 of 17	
shi	te"	2/3 of 17 - 1/3 of 22	
ral) fc	2/3 of 22 - 26	
وبتام	ď	27-1/3 of 3	
has	min.	2/3 of 3 - 1/3 of 8	
khi	urif	2/3 of 8 - 12	

^{73.} Al- AlGar. 3 : 235 .

^{74.} Al-Alûsî, 3 244. The same system was quoted by al-Qalqashandī, 2:415 -416 .

seasons as defined by the equinoces and solstices were of unequal length; most were unaware of precession of the equinoces. **O

Another way of dividing the year into seasons without having to fraction the periods of the anica' is to have seasons determined primarily by the weather rather than an equinox or solutice. One variant of this system was provided by Ibn Kunāsa, who claimed it was used by the Banī Māwiys of the tribe Kalb and the Banī Murra of the Banī Shaybān. The year is divided into a number of rainy seasons with certain anica' apparently added only to fill in gaps:

Rain or Season	Atiwā'	Courments
wasmî	26 – 3	26 and 27 mentioned only as dala. 28 said to be not used because of importance of dalw; 1 referred to as shara; 2 referred to as bain or bujayn
wali(?)?2	$4 = 5$ 4 is said to be hated as π now an mentioned only as part of joint $4 = 5$	
shatiya	6 - 9	6 is said to be not mentioned; 9 mentioned as part of asad (Leo)
dafi'iya	10 – 11	10 is famous and 11 seldom mentioned in this form
	12	overshadowed by importance of asad
sayf.	13 - 17	15 - 17 not mentioned as anwā"
homim	18 - 19	not mentioned as ansea'
kharif or qayz	20 – 26	20 - 25 not mentioned as anwā', 20 - 24 considered as rain called shamsiya, while 25 - 26 considered kharifiya

The sequence of rain periods parallels much of the information on pre-Ialamic designation of seasons for rain. The comments of Ibn Kunāsa and his transmitters, however, show conclusively that the fit with the twenty-eight anus is contrived. The sequence of rain periods associated with certain stars could have been that of a particular tribe, but the link to the lunar stations certainly was not. Virtually the same correlation, albeit with minor variations, was given by Aba Hanifa al-Dīnawarī.

^{70.} Ibo Mājid, p. 160, wrote: "The people who make tables and almanaes take this into account, but ignorant navigators, sailors and bedouin persist in the traditional error and they all reason to this day that the first of al-Sharatān is the first of Aries."

^{71.} Quoted in al-Marzugt, I : 199 - 200 .

⁷² This rate is not meetioned in the passage in al-Macenque, but it is in a similar calendar attributed to Abū Haulfa al-Dinawar! in Ibn Sida, 9:80 - 81

Season	Stations	Starting Date	
rabt' (spring)	1 - 7	III: 20 (equinox)	
(summer)	8 14	VI: 23 (moletice)	
(autumn)	15 – 21	IX:24 (equinox)	
shitā' (winter)	16 28	XII: 22 (solstice)	

As Ibn Qutayba observed, this reckoning based on the course of the sun through the zodiac was not practiced by the Arab tribes. The association of station ≈ 1 as the beginning of spring refers to its conjoining with the sun (i. e. , halfi al- shams); the now at this time would be ≈ 13 .

Having acknowledged that such a model was not indigenous to the Arab tribes, some authors still proceeded to state an Arab version of this model. Al-Quiquashandi recorded a variant of the four season model adapted to the Arab practice of beginning the year with the wasmi rain in autumn. In this each season is arbitarily assigned an equal number of days and linked with seven anwā? :69

Season	Anwā'	Comments
<i>jafariya</i> (autumn)	27 - 5	contains <i>wasmi</i> rain; some call this season <i>rabi</i>
shitā' (winter)	6 12	
sayf (spring)	13 19	
qayş (summer)	20 – 26	

Abu Ishāq al-Zajjāj mentioned this system of dividing the year into four quarters, but he preferred to begin it at III: 20 (i. e., the vernal equinox) rather than in autumu. The major problem with this method is the arbitary fit which would have been of no practical use to any herding or farming community. A number of the authors in the anwā' genre ignored the fact that the

stars in Orion, a distinction not mentioned in the pre-Islamic portry, again parallels the identification of the fifth station in the Indian system. The astrological prophostications besed on the stationing of the moon in each station are also taken from India, a fact at times noted by the Islamic authors.

There can be no doubt that the Islamic concept of the manavil consists of foreign elements, yet a conscious attempt was made to Arabize the system and to see it as an indepenous tradition of the Araba. The fact that borrowing of cortain elements to refine the concept has occurred does not rule out the possibility that a lunar zodiac was used by the pre-Islamic Araba. However, the evidence for such a zodiac cannot be found in the very interature cited by early Islamic scholars to prove the indege of the manavil with the anavil. The numerous disagreements and conflicting information show that the concept of anavil so not to be understood as equivalent to the formal astronomical system of the manavil. The question then arises: what can we learn about the anavil from the literary evidence and star lore? Setting aside the interpretations provided by the compilers of the genre, what aspects of the anavil as a practical star calendar emerge?

Pre- Islamic Star Calendars

It has been assumed by most Muslim scholars that the pre-Islamic Arabs developed one major system of the anwä', which are seen as nearly identical with the manäxil al-gamar. This assumption is unwarranted based on the available literary evidence and ethnographic information on star calendars among contemporary Bedouin and other Arab tribes. In examining the anwä' genre and related sources it becomes clear that a number of variant systems were in use. While many authors tried to harmonize these systems with the model of twenty-eight lunar stations, the resulting number of major disagreements indicates many Arabs followed alternative models. It may not be possible to determine the precise star calendars used it pre-Islamic Arabia, but one can distinguish between those calendars related to the twenty-eight anwā', the anwō' system of the Qushayriyīn, the Pleiades calendar and the Canopus calendar.

If one examines the star calendars linked to twenty-eight anxâ according to the number and sequence of seasons or ram periods, it is evident that a number of variants are referred to. The classical model of the four seasons as expressed in the astronomical literature would associate each station with seven anwa*, as noted by Ibn Qutayba:

its rain. The presence of these more limited numbers suggests that the duration of a new has thirteen days to an arbitary fit rather than a reflection of pre-Islamic usage.

Another point which calls into question the association of the anta' with the manāzil is the lack of references in the poetry ard sayings to conjunctions of the moon and the stations with the rotable exception of the Pleiades. As will be discussed below, the stationing of the moon in the Pleiades (thurayy ā, ~ 3) was part of a seasonal calendar in pre-Islamic Arabia and one which has survived among contemporary Arab tribespeople. If the manāzil constituted an important calendar for the Araba before Muhammad and at his time, why are there so few references in the poetry and other lore to the moon stationing in these manāzil? The literature primarily reflects the risings and settings of the anta' at down or twilight and not in terms of a lunar zodiac.

Finally, there is no doubt that certain elements of the Islamic concept of the manazil were borrowed from the Hindu concept of the lunar zodiac. Knowledge of the lunar zodiac may easily have penetrated the peninsula in the century or so before the prophet Muhammad, since the Sassanians had earlier adopted the Indian luner zodiac. During the period of conquests, Arab scholars came into contact with the scientific tradition of India. By the 2 nd / 3 th century the Hindu Siddhanta, which describes the lunar zodiac, had been translated into Arabic. It was not long after this that the earliest texts in the anna' genre began to be compiled. The earliest Islamic astronomers, such as al-Farghān'i and al-Eattān'i, include the lunar stations in their discussions of Islamic astronomy. Abt Ma'shar would have been aware of the hemerological use of the stations in Indian astrology.

A comparison of the mandail al- qumar with the Indian lunar zodiac, usually referred to us a system of naksairas, does not show a simple one-to-one correspondence. The main element borrowed from the Indians was the division of the mandail into equal units of arc; thus, the stations became a scientific coordinate system rather than warking the locations of actual stars. The choice of sharajayn clearly parallels the start of the Indian system with ascent, the identical asterism. The distinction of hag's as three specific

⁶⁶ Cf Colabrouke: Jean Felliosat, "L'Inde et les échanges scientifiques dans l'antiquite, "Cohiers d'Histoire Mondiale, 1953, 1, 1, 357. Nallino, 5: 180-181; Pellat, p. 523; Louis Pierre Sediflot, Matériana pour servir à l'histoire computée des sciences mathématiques ches les Grees et les Orientaux, (Paris, 1869), 2: 435.

^{67.} Abu Ma'shar is attributed with an unusit text which was translated into Latin Cf. R. Y. Ebicd and M. J. L. Young, "A Treatise on homerology accribed to Ga'far al-Şâdiq," Arabica, 1976, 23: 298.

and al-Qādirī mentioned a naw of the shepherd $(r\bar{\sigma}^{\epsilon}i)$; a both of these are said to be known to sailors, but the reference is clearly much later than the pre-Islamic usage.

The idea of the lunar zodiac as formalized in the manāzil al-qamar presupposes knowledge of the solar zodiac. Al-Şūfī argued that the Araba did not use the twelve signs of the zodiac, although they did have the lunar zodiac. The system of manāzil, however, assumes that the first station begins at the start of the Ram and the vernal equinox. Indeed, one of the reasons cited for the meaning of sharalayn (= 1) is that it was the first of the stations and thus a sign or marker (shara!). Yet, the Araba did not begin the year according to the equinox or solatice, but with the start of the rains in autumn (rabic), particularly the masmi rain which was considered the first rain of the year in many sources. The astronomical concept of the manāzil thus is linked to the solar zodiac, which is clearly not an indigenous concept on the peninsula.

The classical model of the four seasons, where each season is defined according to the solar zodiac, is also linked to the stations, but the fit is arbitrary. Only in the case of sharalayn does the beginning of a season coincide with the start of the thirteen - day period represented by a lunar station. For the astronomers, however, each season was linked with seven stations, although the seasons themselves were not of equal length. Since the pre-Islamic Araba did not use the four-season model articulated in Islamic science, the fit of the manāzil to these stations necessarily involves a tampering with the concept of anwā' as employed by earlier Araba.

In describing the system of anwa', there is a disagreement over the number of days attributed to a star's naw'. **Some assumed that the naw' referred to the entire period of thirteen days. The major anwa' texts, however, also record the length of each naw' between 1 - 7 days in the sense that this represented the time of its influence. The latter usage associates the naw' not with the simple process of a star's setting, but rather with a more limited time of the influence of such a setting. These lengths can hardly refer only to rain, since for several of the anwa' there could not possibly be rain. No satisfactory reason is given for the limited number of days assigned to each naw.' A higher number is not necessarily associated with a naw' famous for

^{62.} Al-Qadirl, f. 10 z.

^{63.} Al-Şafî, p. 11.

^{64.} Ibn al-Ajāthī, p. 100, Ibn Qutayhe, pp. 103, 121; al-Marsūni, 1; 186; Shāriha thu al-Sayyid in al-Alūsi, 3, 244. For a discussion of the wasmi rain and other pre-Islamic rain periods, see my "The Rain periods in pre-Islamic Arabia," Arabica, (forthcoming).

^{65.} Ibn Qutayba, p. 9 ; Ihn al-Ajdābi, p. 136 .

eavesdropped on the conversation of angels.⁵⁰ yet snother interpretation was given by Ibn Mājid, who claimed the phrase was only used for sharajayn since from this first station the longitude of other stars was measured.⁵⁵ While the first explanation seems the most plausible, it hardly proves that a full lunar zodiac of twenty-eight asterious was referred to.

In examining the literary evidence recorded in the gawa' genre, one does not find a single reference to a system of twenty-eight lunar stations. Indeed, the authors of the anua" genre admitted that a number of the lunar stations were not mentioned in the poetry or only mentioned as part of a larger esterism. In his discussion of each of the lunar stations, Ibn Outavba found that several stations (= 2, 4, 13, 20) were not mentioned in the older poetry. several were only mentioned as part of a larger grouping of stars (= 5.6. 7, 11, 12) and for some (= 15, 21, 23, 28) no poetry is in fact cited. Ibn Kunāsa argued that some stations, such as bain al-hūt (\$\approx\$ 28), were not mentioned because they were overcome by the importance of a station preceding or following. 56 Ibn Sida noted that zuband, iklit, galb and should (= 16, 17, 18, 19) were usually referred to simply as 'agrab of which they were a part. " Similarly, had a and han a were known as iguza" (Orion and part of Gemeni) in the poetry. Ibn Majid quoted a line of poetry on the fanc of the Pleiades, Orion, Spica and Arcturus (simakan) and Surus (microm); the other stars, he explained, were of little use14.

While not all of the so-called anwā' are to be found in the pre-Islamic poetry, some stars which are not part of the lunar zodiac are mentioned as anwā'. Some of these are exterisms in which the moon is said to periodically station when it deviates from the usual course, suche as khibā' instead of al-simāk al-a'zal(= 14) or Spica. Ibn Qutayba quoted a verse in which shi'rā is referred to as a naw'. *9 Shi'rā is commonly used as the term for Sirius, the brightest star in the sky, but Ibn Qutayba rejected this identification in this case because Sirius is not one of the lunar stations. However, he noted that the naw' could be attributed to Sirius in conjunction with one of the lunar stations. The rising of Sirius in summer was in fact associated with a bārth wind and the coming of the heat. Although Canopus (suhas l) is not identified as a naw', ite rising in late summer is marked in many areas as a time of rain .60 Ibn al-Ajdābī noted a naw' of the forty witnesses (arba'in shāhid)**

⁵⁴ Ibn Qutayba, p. S. E. W. Lanc. 1:30.

⁵⁵ Ibn Majrd p. 80 .

^{56.} Quoted in al-Maraûgl, k + 199

³⁷ Ibn Sida, 9 - 14 .

^{58.} Ibn Mand, p. 85.

^{59.} Ibn Qutayba, p. 91

^{60.} Cf [be al-Ajdabi, p 173 In Yemen Canopus is a marker of the summer rains.

^{61.} Ibn al-Ajdābī, p. 152

which has been interpreted as follows. He it is W ho has made the sun a source of light and the moon shedding luit, e, and ordained for it stages, that you might learn the merked of calculating the years and determining time, 30.

The second reference is in surch Yasin (36 - 39): We have appointed stages for the moon, till it nanes into the shape of an old are branch of a palm tree. Most of the authors of the anita? genre, as well as Quranic commentators, take the reference to manazil (translated here as stages) as meaning the twenty-eight linear stations. Al-Zamakhshari, for example, provides the menting as the manazil al-gamar which are said to be equivalent to the anita' of the Arabs.

A closer reading of the two passages, however, brings into question the identification with the formal linear zodiac. Ibn Kathir in his commentary preferred to define manazil as referring to the phases of the meet in its waxing and waning.32 The passage in surah Yasin is clearly concerned with the moon's phases in describing the moon as reaching the stage of an old palm branch ("urjun). The idea of phases also makes more sense because these determined the lunar month so important in Islamic timekeeping. Observation of the moon entering the stations did not a fact define the time of the nonth, since the new moon would appear in a different station each month. While the lunar stations could be used for reckoning the year vis-àvis their risings or settings with the sun, the sidereal circuit of the moon in some twenty-seven and one-third days was not a basilifer the calendar in Islam. This Qurante usage should be seen as an echo of the biblical tradition, where God is said to have appointed the moon and sun for marking seasons (c. g. . Genceis 1:14, Psaim 104:19). In Hebrew as will as Islamic cosmelogy the phases of the moon were the basis of the calendar, not the lunar zodiac.

A second line of evidence is lexical. One fit ds in some of the pre-Islanue poetry the phrase nujūm al-akhdh, which is defined as the moon taking up (akhadha ft) its place in a station. ¹³ Abū 'Amr and al-Shayhānī explained the use of akhdh here as the stationing of the moon in one of its stations (nuxūl al-qamar manzilih). There is, however, disagreement on this usage. Some have mentioned this as a reference to certain stors cast at devils who

⁵⁰ The Koran (New York, 1971), Withinmiad Zafralio Khan, teachlater Mondal is one translated as ""stages" by No. 1. Dawood (Middlesex, Penguin Book, 1968). Arborry translates the term in "biatrins."

⁵¹ Among the nuthers who interpret this as a reference to the lunar 4 store are. Abb Hamfa al-Dinawartin Ihr Sida, 9-79, Ibn Queeyba, pp. 16-17; el-Mareúqu, 1-184-185; al-Qalqasbandi, 2-373, Shamrin Luan al-* 4rob (article a-e-*), al-Zamako-bari, al-Kashshif, 2-3-3-3-323.

^{52.} Ibn Kathir, Mukhtajar tafsir Ibn Kathir, (Berrut, A.H. 1399) , 2 184 , 3 123.

^{53.} Abū 'Ubayda ii al-Marsūqī, 1 : 185 .

Ibn Qutayba explained the meaning of the saying in terms of the season in the pastoral cycle. This station rises at the begins up of May as pasture begins to dry up and the nomads are forced to return to permanent water sources and larger encampments. As the smaller herding units come together it is a time to meet obligations, such as the paying of debts. They dress in finery because they are meeting old friends. Similarly, it is the time to wear perfume and to seek out smiths to restore implements used during the year. Abu lshāq al-zajjāj in his annā' text noted that pasture dries up because of the end of the spring rains. At this time the barley harvest was over and the wheat harvest commences in Iraq.

When one examines the collection of sayings so a whole it becomes clear that it is not relevant to a particular tribal group practicing pastorsism or agriculture. Rather, the references seem to sum up a variety of economic and ecological contexts on the peninsula. If one looks only at the poetry relating to the anuā', the focus is almost entirely on rainfall associated with their risings and settings. At the very least the literary evidence assembled in the anuā' genre is ambiguous. All of this prompts one to question whether Arab tribesmen used a lunar zodiac as defined for the twenty-eight anuā' or if the nature of the anuā' must be found in an indigenous calendar relating to the risings and settings of certain stars?

Anuā' as Manāzil al-Qamar : the Evidence

The belief that the formal set of twenty- eight lunar stations was part of indigenous Arab star lore is held by virtually all of the early authors on the anwa' genre. It must be remembered that this was a time when concepts of a given time were often seen as universal truths evident since the beginning of creation. It is not surprising that a work on the lunar stations is attributed to the prophet Daniel⁴⁹ of Israel and knowledge of this system is ascribed to the legendary sage Hermes. Sincere Muslims at this time would have had no problem in associating a concept such as the zodiac with Adam's son Seth, the patriarchal patron of stor-gazing, nor to Adam himself

Apart from the belief in the general validity of counce truths, one of which the lunar zodice would have been, these early scholars collected poetry, sayings and lexical information which they saw as supporting their views. What then is the major evidence in support of pre-Islamic usage of the lunar zodice in Arab tradition?

The thief support comes from two references to manazil in Qurante passages describing the moore. The first reference is in surah Yūnus (10:6),

the north side of the ka^*ba , thus linking it to the sacred geography of Islamic belief in the ka^*ba as the center of the cosmes. Ibn Sida added that it could have been named because it picks up dust as it blows 'o If $b\bar{a}ri\bar{p}$ originally meant the wind appearing at the rising of certain stars, then by analogy rain may have originally meant the rain appearing at the setting of certain stars.

According to the anich' texts, each naw' came to be associated with a thirteen- day period that occurred the same time each year in relation to the seasons. In this sense the game? served as a kind of almanac in which each period of a naw would be known for certain meteorological phenomena. pastoral or agricultural activities and events in nature. The primary literary source for information on this almanac lore is the collection of rhymed sayings for each of the twenty-eight stations, as well as a few other important stars such as Sirrus and Canopus These savings, which invariably begin with the word idha, were interpreted by Fahd as parallel to an Akkadian form in Assyro - Babylonian presages.47 The implication is that this type of saying has a long and widespread history in the region. While it is usually assumed that the savings are part of an earlier pre-Islamic Arab tradition, there is no evidence that the sayings for all twenty-eight anna' were in fact pre-Islamic. It would have been relatively easy to copy the form in order to arrive at a saving for the full complement of manazil al-gamar. One finds a number of variations in the texts as well as numerous errors which were introduced by later copyists and authors.

An example of the kind of information provided in these sayings can be taken for the rising of bujayn (station ≈ 2), as related by 1bn Qutayba:

When bulayn rises,
debts are paid,
finery appears,
the perfumer and the smith are pursued.
(idhā talaca al-bulayn
uytudiyn al-dayn
wa-zahara al-zayn
wa-uqtufi bi-al-cațiăr wa-al-qayn)

^{46.} Ibn Side, 9 13

^{47.} Toufic Fuhd, La Divenution Arabe, (Paris, 1966), p. 413.

^{48.} Ibn Qutayba, p. 21.

early Islamic poetry. A verse quoted by Ihn Qutayba refers to the now of rabi', clearly a reference to the rabi' rain in the wider context of the verse. The sense of rain is further implied in the form islamia al-masmi (the expected the masmi-rain). The use of now for rain is common in a number of dislocts for the Arabian Peninsula and North Africa. The lexical sources also indicate that now could refer to the herbige produced by rain.

The linkage between naw' and rain is clear, despite the dibate over the origin of the term. Ihn al-A'rāhī soid that it cannot be a naw' unless there is cain with it; if there is no rain with it, it is not a naw' (lā nakān naw' hanā yakān ma'ah matar wa-tliā fa-la naw'). Shamr observed that the Arahs did not expect rain at the risings or settings of all stars, but only with the anwā'. Further, the reference to the anwā' in the tradition literature clearly associates these with rain in a magical sense. Al-Zamakhsharī even noted that the pre-Islamic goddess Manāt, mentioned in surah al-najm (53:21), may be derived from people who sought rain from her while looking for her blessing; manā't being in this case the maf'ala form of naw'4.

It is possible that the term now was not originally related to the sense of nā'a as recorded in the lexicons. While there is no evidence of the term naw in the pre-Islamic dialects of Arabic or earlier Semitic usage, it may have been associated with rain as part of an earlier magical rite of rain invocation or simply as a term for rain. In this respect it is interesting to note the usage of naw and bārih in the formal system of manāril al-quara as representing the dawn setting and dawn rising respectively of a star. Ibn Qutayba mentioned that rain and cold were associated with the settings of certain stars, while heat and wind were linked to the risings of certain stars. Thus, in the poetry we find that at the setting of jawzā' (Orice) comes the vinter rain and at its rising six mouths later comes the summer heat. The term bārih, which came to be associated with the rising of a station, was originally a term for wind, particularly the hot summer wind. One of the possible derivations of this meaning is that this wind comes from (tabrahu)

^{39.} Landberg, 3 2830 : Nall(no. 5 . 189

^{40.} Ibn Qutayba, p. 111

⁴⁾ For Dublian in Elidramswit see Londberg, 3. 2830 for Diofar, see T. H. Johnstone Jibbols Lexicon (Oxford 1981), p. 198 where cone'ts referred to as a dark carecloud, for North Africa new Mahamed Ber. Hadpi Servady, "I Pautamino et Physics chez les follabs Agailis, Institute der Belles-Loures Arabes (Ture), 1973, 10. 314, and H. P. J. Rousand, In Calendrier d'Ibrail Bone 31 d. Marakreh, (Para, 1. 8), p. 4. note 2. C. Pellat. Institute 1, 2013 claimed that the sense of sun war a later 1 age, but it a accepted to the c. ellest sources.

^{62.} Quoted in Lieda al- "Arab (article new-")

^{43.} Quoted in Ludn ul-"Arab (article n-10-1) .

^{44.} al-Zumukhahari Al-Kochshaff, 4 : 80 .

^{45.} Ibn Outayba, pp. 88 - 89 .

discussion of the term. Ibn Mangur recorded that naw' was so-called because it referred to the star rising in the cast and then noted that others linked it to the setting.³¹

A number of scholars offered ingenious solutions to the controversy, but these appear to be contrived, Ibn Kin ass said that the new appeared or rese up as the star itself set. 22 In this case the now does not refer to the movement of the star but rather to its influence. Abu lahan al-Zajjāi clained that the verb na's referred to rising with difficulty as though it was inclined to set. 31 The key to this explanation is the sense of na abt al-him!, explained by al-Zomakhshari as male by ite al-sugat (it inclined me to a setting).44 An example of this is a woman with luttocks so large that they cause her to rise with great difficulty as though she would sit down at the moment. In this sense it is a rising constrained to go down again. This fits the sense of rang'u used in surah al-gasas (28 : 76) as to be a heavy burden so that something 18 80 burdened that it is inclined downward (idha othqulah hatta omaloh).35 Lane has suggested an interesting figurative use of the term here as rising and setting stars which appear to have been nearly overcome by the glimmer of dawn. to One could perhaps speculate that the light was seen as burdening the movement of the star, but such a view cannot be documented in the lexical sources.

It is important to stress the fact that these early compilers of lexical works, who had far more information on dialect usage than we can reconstruct today, were not in agreement on the origin of the term. This confusion is also evident in later sources. Ibn Majid, for example, wrote that "Some say nail" was its culmination, some its middle position, some its most easterly position, some its most vesterly position, some make it a rising position. Some say it is when it appears at daten and some when it appears in the twilight".

In a variant interpretation, Mu'arrij claimed that nan' referred to the rain at the setting of a star because the rain "rose" (nakuḍa) is the star set, but that by extension naw' came to mean the setting star itself. ** The identification of naw' as rain or a time of rain is found in the pre-Islamic and

^{31.} Lisdn al- Arab (article n-w-2) .

³² Quoted in Ibn Qutayba, p. 9.

^{53.} See the forthcoming "The dawn store.

³¹ al-Zamaklishari, 1sas, p. 473

³⁵ al-Zamakhshari, Al-Kashshaf, (Berrut, N. D.) , 3 , 190

^{30,} E. W. Lane, 2 : 2861 .

^{37.} Ibn Majid, p. 79 .

^{38.} Quuted in al-Mark0qi, 1:186.

Anteá

The term and a (now, engular) is well strested in the earliest lexical sources, although there are significant differences of opinion on its meaning. The primary's use, divocated by the authors of the unital genre is an astronomical definition of now as the cosmical setting of ore of the twenty eight mandail alignman. One fields a number of variations of this definition, which like Outsi be expressed as follows: 26 the setting of an asterism from the lunar stations to the west at dawn and simultaneous rising of another (steriam) opposite it to the east (single alignmental field in magnification and alignmental field in magnification and alignmental field in the setting star, thus is a variably placed in opposition to an opposite star time at the same time. The term name is never used for the setting of stars perse, but is restricted to accrete rise of stars center no op the mandail alignment.

Abū Hauffa further refined the meaning of nan' as the first setting attained in the early morning before the stars are lost from view in the light of dawn (animal sugūt yadrukuh fi al-afaq bi-al-ghadāt qabl immihāq al-kawakib bi-daw al-pubh). Thus, the naw refers to the interval of time in the early morning between the dawn (fajr) and the sun's actual rising (fulū).

As the lexicographers themselves noted, the series of now as a setting appears to contradict the more common usage stemming from the root n-w- as a rising (nuhād or ţulā). Abū "Ubayd argued that the meaning of setting was only applied to naw" in reference to the lunar stations. 28 Several scholars suggested that in fact the original sense of naw" was for the rising, but it was later changed by the Arabs to refer to the setting 19 Ibn Qutayba recognized that both senses were to be found in the love, although he thought the idea of setting to be more common and justified by the usage of the verbal form in the Quran (surah al-qasas 28 , 27).39 At one point in his extended

For textest discurs tons of the term snuds, see Lordo Landberg, Glassaire Datinous (Leiden, 1942),
 : 2829 - 2830 . Catho Nallino, Raccolia di Scritte Edita e Incidett (Rome, 1944),
 : Long, 2 2850 - 2851 C. Fellat, Anuds, The Encyclopundia of Islam (Leiden, 1960), new edition 1 523 erre in defining the non-as an acromy chalacting, which would refer to the evening setting, rather than a comment estrong.

^{20.} Ibn Qutay bat gr 6

Quoted in Lirón al-* Arab (acticle a-v-*). Ibn Sida, 9. 13, and Abn *All Ahmad al-Marzagi, Kubb al-Asmina wa-al-ankana, (Dyderabad, 1914), † 180.

^{28.} Quated in Lindu al-Calcab (articl- n-m-1) .

^{-9.} Mubarrad in Mahmud Shukri al-Alūr.. Bulāgh al-arab fī akwāl al-"Arab, (Baghdad, 1882) 3 270, and Ihn al-Ajdābī, p. 134.

^{30.} Ibp Qutayba, pp. 7 - 8

through Latin translations of Arabic texts into the West. 9 In addition to this prognosticative aspect, the form of each station in an arrangement of dots was adopted into geometric magic.20

As many of the Muslim authors Lavenoted, there is a compelling magical aura about the number of stations in the context of Islamic cosmology. The most obvious connection is with the twenty-eight letters of the Arabic alphabet. As the letters are distinguished as light (nār), for the fourteen which begin surahs in the Quran, and dark (zulma), for the letters which do not, so there are fourteen visible and fourteen hidden stations. In Similarly, fourteen letters are formed with dots (i. e., mangāt) and associated with inauspicious stations, while fourteen are formed without dots and are associated with the auspicious stations. The number 28 happens to be a perfect number in the Pythagorean sense, i. e., it is equal to the sum of its parts (28 = 14 or a half + 7 or a fourth + 4 or a seventh + 2 or a fourteenth + 1 or a twenty - eighth \(\)^{23} It also equals the cosmic sum of the 7 plancis, 9 spheres (aflāk) and 12 zodiacal houses (burāj) or the product of the four elements (earth, wind, water, fire) and the seven planets. Not least, 28 is an important sum in Jabir's magic square of the nine primary numbers.

In sum, the manazil al-qamar represented for the Muslim both a practical astronomical concept for time reckoning and establishing coordinates for navigation, and a magical astrological concept for divining the fates in a cosmic order perceived to be set in motion by God Himself. One finds innumerable charts and discussions in manuscripts, including references to the risings and settings in Arab almanacs. When the Arabic concept diffused into medieval Europe, it was only the astrological use which persisted. References to the lunar stations, usually hopelessly garbled, are even found in the occult literature of the present day. Some believe, despite the lack of historical evidence, that the concept of the lunar stations was shared by a wide range of early civilizations and extended back into the hoory mists of man's earliest history.

- See Hellmut Ritter and Martin Planner, "Pleasure "Dan Zeil des Weisen von Pseudo-Magriff. (London, 1962)
- Savage-Smith, Emilie and M. B. Smith, Islamic Geometry and a Thirteenth-Century Disconting Degree, (Mallisa, Calif., 1980), pp. 82 - 33.
- 21 Daw ud ibn 'l mar al-Antaki, Tadhkirat illi al-albab. (Berrot. 1982) . 2 97
- 22 "Abii al-Qidir ibn Muhmud al-Nahatiti al-Qāduri, Rīsāla fi tawai" 5t ayyām al-sona al-Suryāniya, (ms. Musiafā Fādil Miqār, 198, Dār al-Kutub, Catro, co. 1640 A. D.), f. 2x.
- 73. The numerical significance of the statues is discussed by the Ikhwan al-Şafa.
- Cf. Lynn Thoradike, History of Magic and Experimental Science. (New York, 1923.), 1 * 712 171.
 112 115.

longer period of time, moreover, more days would be lost due to precession of the equinoces. It is also true that the timing of risings will differ for different regions, as noted by early Islamic scholers such as Ihr Qutayba. As an approximate re sonel reckoning system, as apposed to a long term calerdar, the thirteen-day periods represented by the stations could serve for fixing the tuming of meteorological pheromena, pastoral movements, cycles of plants and animals, and sgricultural activities. It is in fact this sense of the stations as a seasonal almonac that was associated by Muslim scholars with the anical of pre-Islamic Arabia.

As a system of coordinates the lunar stations appear to have been important to assigntors. Many of the twenty eight stations, however, were too small or insignificant to bother observing. Thus, it was the coordinate as a segment of are that was valued. The author of one of the major medieval ravigational treatises. Ibn Möjid, described the relevance of the lunar stations as determinants for sailing. In The concept of the twenty - eight stations was combined with a system of 32 rhumbs commonly employed on ships sailing the Indian ocean. The stations would also be located on the astrolabe. Once again the approximate nature of the stations as coordinates must be stressed. As Ibn Möjid versified¹⁷

These stars and rhumbs with the Arabs

Are only approximate. Oh my captain

If you set course exactly on them

in a narrow place, then you will have difficulty,

In addition to the astronomical use of the stations as coordinates for time reckoning or navigation, the mandail al-quarar were of great importance in the astrological literature. One finds hemerological references to auspicious or inauspicious times for events or tasks when the moon enters a specific station. When the moon stations in the Pleiades, for example, it is appropriate to travel, to enter into the presence of rulers with potitions, for purchase of slave girls, for commerce and a variety of other activities. A woman who becomes pregnant at this time will have aboy who will be good looking, tall in statute, with wide shoulders, brave, generous and one who likes people. This tradition was borrowed from India and was transmitted

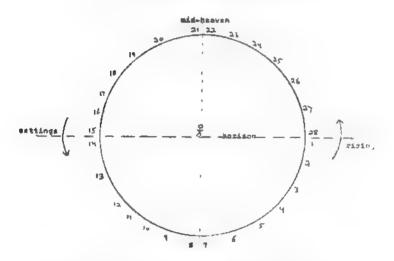
^{15.} Ibn Outayba, p. 9 - 11.

^{16.} Ahmad ibn Mājid, Kitāb al-Fawā'id fi uşāl al-baḥr wa-al-qawâ'id , translated by G. R. Tibbetts, Arab Navigation in the Indian Ocean before the Coming of the Portuguese (London, 1971) , pp. 79 – 120.

^{17.} Ibn Majid, p. 75.

For divining by the stations, see Ikhwan al-Şafa, Rasa'il Ikhwan al-Şafa, (Beirut. 1957), 4 -427 ff

Figure 1. Observations of the Manazil



will be the first station seen to set in the evening. Thus the main coordinates in the system are fixed at the beginning of daytime and the beginning of nighttime.

Referring again to figure I, it is possible to see how the risings and settings of the stations can be used as a reckoning system for time at night. If one observes the station rising at the beginning of the evening, it is obvious that it will reach mid-heaven in six hours and set in twelve hours. To be more exact in an approximate system, one and one-sixth stations will rise every hour of the night, or a new station will rise every 6,7 of an hour. In this manner, weather permitting, the stations can represent a sky clock once a reference point has been established. As the astronomers noted, this is only an approximate system, but it could serve well in an age before our modern clock.

The twenty-eight stations can also be viewed as a seasonal reckening system when plotted against the rising of the sun. Each station was said to rise at dawn for a period of thirteen days, with the exception of one period of fourteen days in order to round out a year of 365 days (27 stations × 13 days + 14 days). Once again one finds an approximate system, since a day will be lost every four years due to ignoring the leap year. Over a much

Table 1. The Arabic Manasil al-Qamar14

Number	Name	Identification	Date of Setting
1	sharajayn	67 Arietis	X : 19
2	bujuyn	edn Arietis	X : 31
3.	thurayyā	Pleiadea	XI : 11
4	dabarān	« Taurus.	XI:24
5	hagea	λΦ'φ' Orionia	XII:7
6	hanea	γξ Geminorum	XII : 20
7	dhird	as Geminorum	1:2
8	nathra	ryð Cancri	I : 15
9	tarf	x Cancri , à Leonis	1:28
18	inbha	tyna Leonis	II : 10
11	zubra	80 Leonis	II : 23
12	sarfa	\$ Loonis	$\mathbf{HI}:7$
13	Eawwā	Bmyde Virginis	HI : 20
14	simāk	a Virginis	IV : 3
15	ghafr	ud. Virginis	IV : 17
16	xubānā	ad Librae	IV:30
17	iklel	Son Scorpii	V : 18
18	galb	a Scorpil	V : 26
19	shawla	hy Scorpii	VI: 9
20	na câ îm	οφτζγδεη Sagittarii	VI : 23
21	boida	(vacant space)	VII: 6
22	sa ^e d al-dhābiḥ	αβ Capricorni	VII: 19
23	sard bulge	ne Aquarii	VIII: I
24	sacd al-sucid	Capricorm, βl Aquarii	VIII: 14
25	sacd al-akhbiya	γηζη Αquarit	VIII: 27
26	al-fargh al-muqa	IX : 10	
27	al-fargh al-mu'al	hkhar by Pegasi	IX : 23
28	bain al-hu	β Andromedae	X:6

^{14.} The identification is taken from P. Kunitsach, Unior-suchungen our Stormnomenklatur der Araber, (Witebladen, 1961). The dates are taken from the anadi text of Abū Ishāq al-Zajjāj. The numbering here is the standard order of the stations and will serve as a reference for further discussion in this paper.

of the solar zodiae. For the astronomer each zodiaeal sign covered two and one - third stations, commenting with sharajayn, the so-called two horns of the Ram (banial). The choice of sharajayn as the first of the stations, as noted by the astronomer 'Abd al-Rahman al-Şūfi, was due to the Rom being the traditional stating point of the zodiaeal year. If In fact the correspondence between the stations and each zodiaeal sign is not exact, even though the general sequence is similar. The second station, turayn, is indeed part of the Ram, while the third station, the Pleades (therayya), is not part of the zodiaealthough it is in the vicinity of the Bull (thurs). The turth station, Aldebaran, is part of the Bull, but the following station is octually in Orion. The further correlation between the stations and the zodiaeal signs can be seen in table 1, where the stations are identified,

Some astronomers sought to delineate the precise amount of space occupied by each asterism, but this results in a series of staticus of unequal lengths. The most common division paralleled the system of the solar a diac in which each station was defined as an equal amount of are along the noon's course. Thus, starting from the first of the Ram each of the twenty-eight stations comprised 12° 51′ (1. e., 360° + 28). As a system of equal units the twenty-eight stations resulted in a coordinate system useful for time reckning and in navigation. Some Islamic scholars noted that the position of the station as a coordinate could be helpful in determining the qibia, although practical examples of this are limited.

The concept of the lunar zodiac implies that on any given night the moon will appear to station or conjoin with one of the twenty-eight stations. Regardless of the position of the moon, however, observation of the risings and settings of the stations at night focused on certain key positions in thour use as a coordinate system. This can best be illustrated by reference to the ideal horizon shown in figure 1. By definition, fourteen or half of the twentyeight lunar stations would be visible at any given time at night. Those visible were often referred to as zāhira , while the stations beneath the horizon were known as jdfiya. If station = 1 in the figure represents the station which rises at dawn (i. e. , manzila al-fajr or tālic al- fajr), this would represent the last station visible before the sun appears above the horizon. Stations = 2 and = 3 will be obscured by the sun as they rise in turn; = 3 is referred to as manula al-shams because it is in this station that the sun airives (i. e., hald al-shams) at dawn . Assuming an ideal twelve-hour day , the station which will give at the beginning of evening (tali' awwal al-lay!) is = 15; this is the same station which sets at dawn as as I rises at dawn. The station located at mid-heaven at the beginning of evening will be ≈ 8 , while ≈ 1

^{13.} Abū al-Husayo "Abd al-Rahmān al-Şūft, Kitāti Smoor al-kawākib, (Hyderabad, 1954), p. 142

the fernament (falak). While the lexical sources include much information on the stars identified as mandril there is no precise explanation for the origin of the term. One can surmise that the sense of manzil or manzila refere literally to a place of alighting (mandia al-nuzal) in the course of a journey.9 As the manzil is where a n on and his mount stop for the night, so it is where the moon comes to rest at night. Translation of the Arabic term manzil should be as "station " or "stept " in English, as suggested long ago by Sir William Jones. 10 The term " monsion " . which is commonly found in the literature," is mich ading and reflects a later Arabic usage of marail as a dwelling. Perhaps the tenderes to see the manual as a mansion is due to the translation of bery (in reference to the soler zodiac) so a house.12 If indeed the system of manazil al anmar is to be associated with tribesmen, the original sense must have been that of where the moon alights. The verbal form yanzilu in this context can best be translated as "to station " . This is evidenced by the common expression vahullu al-gamor bi-al-manzil (the moon arrives at the station).

The fully developed system of manāzil al-qamar in Islamic astronomy refers to a lur or zodiac, although it closely parallels the solar zodiac of twelve signs. On any given night, regardless of the moon's phase, it appears to station (yanzilu) in the area of the sky accupied by a star or group of stars. After its revolution of about twenty-seven and one-third days, the moon more or less follows the same course again. Thus, the choice of twenty-eight stations represented by stars is a result of repraced observations of the moon's circuit. It is not an arbitrary or fanciful division of the beavens. Such a system is admitted'y approximate, since the stars are not evenly spaced and at times the moon alters course. As a practical star calendar the lunar zodiac could have been developed by any culture, yet it is clear that not every culture found it useful or significant.

Although not all of the natorisms recognized as lunar stations were from zodiacal constellations, they represent to a large extent an expansion

Al-smuskhshari, Asia al-baldgha (Borrat, 1982), p. 655. Cf. E. W. Lane, An Arabic-English Lexicon. (Cambridge, 1984), 1: 1289.

^{9.} Ibn Side as quoted in Listin old "Arab (article n-a-l). The definition of mandail as the lunar stations i not in fact discussed by the author of Listin al. "Arab under the article. While manual is the common singular form, the form manuals is also found.

William Jones, p. 304. In German this would be Mondatationen (plural) and in Italian stanion; lunure.

¹¹ In German the plural is Mondhauser: in French, mansions lumning, in Tatin, mansiones lumne. W. M. O'Neil, Time and the Calendar (Sydney, 1975), p. 53 mistakingly calls these "the mass of the moon."

¹² The parallel meaning of bury and monent was polited out by al-Qalquahandi, Subh al-a chi fi sind at al-rusha' (Caico, 1913 ff), 2:372.

Manazil al-Oomars

Islamic astronomy dealt with the theoretical and the practical. It is the theoretical focus that engages the attention of most historians of science, particularly those interested in the relation of the Arabic sciences to the scientific traditions of neighboring cultures. Yet it is the practical side of astronomy, as well as astrology, that appears over and over again in the bulk of surviving manuscripts. While a few scholars pondered astronomy for its own sake, most were more concerned with practical matters of time reckoning, determining coordinates in novigation, fixing the location of the qibia and decephoring one's fate. In this sense the heavens were approached as a map, a gaide for accomplishing given tasks, rather than an object of scientific curiosity.

One of the more practical concepts in Islamic astronomy and astrology is the idea of the zodiac. The solar zodiac, with the sun coursing through the twelve signs, had become almost a universal frame of reference by the beginning of the Islamic era. Many of the same stars in the zodiacal constellations could also be plotted along the monthly course of the moon. Thus, the system of lunar stations (manāzi al-qumar) comprised the round of stars in which the moon stationed each night of its sidereal revolution of about twenty-seven and one-third days. It is important to remember that the concept of a lunar zodiac refers only to the revolution of the moon vis-à-vis the sky and has no direct relation to the phases from new moon to new moon. It was the latter which was the basis for the lunar calendar elaborated in Islam.

The origin of the term manāxil in reference to stars along the moon's course is obscure. Many commentators have argued that this usage is intended in the Quranic passages of surah yāsīn (36: 39) and surah Yūnna (10:5). In these passages manāxil refers to the place through which the moon glides (yasbaḥu), just as one finds reference to the sun gliding or passing along

^{5.} There is no complete, up-to-date study of the manded al-quasar. The discussion by J. Kuska in The Encycloperdia of Islam (first edition, Leiden, 1936). 5: 232 is indequate. For example, al-"sawad" is misspelled as al-sawad". I am at present compiling a survey of the stations in a work to be entitled. Anad Mandell The Lunar Stations in Arab Tradition.

Paul Kunitzsch. Irabische Sternnimen in Europa (Wiesbaden, 1959), p. 33, erred in noting that
the lugar stations pertain to the synoptic month based on the phases.

^{7.} Fritz Hommel, "Uber den Urspring und das Alter der arabischen Sternnamen und insbesonders der Mundstationen, "Z D. M. G., 189., 45., 008 clanned that the term mareil was derived from the Akkadian and was in are by the pre-Islamic Arab. Bowever, the line of poetry he quates to prove his point refers to main, a term for abundant rain and not for the stations. Hommel and others also related manual to the Hebray muzzaloth or mazzaroth in Job. I have not encounterest use of the term manual to refer to a star or asterism in the pre-Islamic poetry.

a practice condemned by the prophet Muhammad as pagen. The stars associated with periods of vain came to be known as crited' (nan', singular). During the first three centeres of the Islamic era a literary genre on the anica' flourished. This genre described the pre-Islamic folklere about the stars as reflected in the peetry and rhymed sayings of the Arabs. Although different beliefs and usages were noted, the scholarly consensus held that the formal manazil al-gamar were equivalent to the anica' of tribal Arabia'.

In this paper I assess the evidence for and against the identification of the anica' as equivalent to the manazil al-gamar of 'm ar zodiac. The bulk of the evidence, primarily that sesceted by authors of the anica' genre, is literary and lexical. There is also a motter of exegusis, since the term manazil occurs in the Holy Quran and the term naic' in the traditions of the prophet Muhammad. The solution to the problem, however, cannot be drawn from the textual evidence alone. It is necessary to show how certain Arab tribes use star calendars as described in the ethnographic literature. Regardless of what is claimed for the pre-Islamic Arabs, is it reasonable to consider the linear zodiac as a practical star calendar for Arab tribeswen?

In seeking to determine the origin of the anuā' it is important to distinguish between the v. rious interpretations reflected in the folklore and the scientific concept adopted for Islamic astronomy and astrology. This raises a methodological problem for reconstructing the history of scientific concepts. How do we recognize the point at which an idea from the vist erray of a culture's accumulated fore becomes scientific? Perhaps it is more accurate to ask: At what point in we villing to recognize an idea as being identific? This problem is even more acute in approaching the Islamic sciences, because most historians approach the subject from an admittedly hissed. Western viewpoint. In looking at the ways in which early Muslim scholars dealt with the anuā'. I argue that the equation of the anuā with the lunar zodiac was a decidedly Arah and Islamic act of scholarship. The earliest Muslim scholars were not simply describing a system of reckning four d in their folklere. They in fact created the concept by placing a myriad of conflicting information into a legitimate, coherent frame.

^{3.} The smad texts are noted by I and Stagm. Geschichte der Arabischen Schriftums. (Leiden, 1979).
7. 3... 370 Annung the major punished texts are, Ibn Qutayba, Kath al- Innot., (Hydershad, 1951). Ibn al- Ajakbi, Anth al- Leitra in a-ol-unioh. (Damascus, 1964). Abū Ishāq al-Zajjāj, Kuth al-Annoh. abrudged in Abū Mansūr Mawhūb al-Jawāliqī, Skorh adub al-kātsb, (Casro, 1350), pp. 175. 181, and translated in D.hi. Varisco, "The Annoh. stars according to Abū Ishāq al-Zajjāj," forthcoming.

Almost all the authors make this lins, Cf. Abū "Ubayd and Shamr in Lisän al-"Arab (article n-ie-");
 Abū Handa al-Dinowari in 1br. Sidu, kitáb al-Mukhagas, (Berrut, 1985), 9—79; 1bn al-Ajdābī, p. 134. [bn Qutayba, p. 16.

The Origin of the ANWA' in Arab Tradition On the distinction between science And folklore

DANIEL MARTIN VARISCO*

One of the standard modes in Islamic astronomy for dividing the heavens into discrete reckoning units is the concept of twenty-right lung stations (mandail al-gamar), which constitute a lunar zodiac. The origin of the lunar zodiac, which was present in both India and China as early as the second milleunium B. C. E., has not been determined despite a spirited debate among scholars in the 19th and early 20th centuries. It is clear that the lunar zodiac was not part of Babylonian, Assyrian or Greek science; nor is it found in the early Hermetic sources. While Ptolemy, for example, was well versed in the twelve signs of the solar zodiac, he did not mention the lunar stations. Similarly, there is no reference to the lunar zodiac in the biblical narratives or ancient Hebrew cosmology.

The earliest evidence for the system of twenty-eight lunar stations in Semitic tradition comes from early Muslim scholars, such as Ibn Qutayba, who claimed that this system was part of the meteorological lore of pre-Islamic, tribal Arabia. The pre-Islamic Arabs regarded certain stars or asterisms² as seasonal markers of rain, wind, heat or cold. Some went so far as to attribute the power over rain and similar phenomena to the stars,

- American Institute of Yemoni Studies Westburg New York, USA.
 - Paper given at the Fourth International Symposium for the History of Arabic Science, Aleppo Annil, 1987.
- 1. The debate was mainly directed at whether the Chinose or Indian system was oldest. A review of many of the ideas proposed can be found in Friedrich Karl Guzel, Handbuch dar Mathematischen und Technischen Chronologis (Leipzig, 1906), 1—20—77, and William Whitney, "On the views of Biot and Weber respecting the relations of the Hiodu and Chinere systems of exterisms," J. A. O. S., 1864, 8:1-94. See also the arguments made by William Jones, "On the antiquity of the Indian zodiack," Assutic Researches, 1790, 2:239—306: H. T. Colebrooke, 1807, "On the Indian and Arabian divisions of the zodiac, "Anutic Researches, 1807, 9. 323 376. Max Müller, Cn Ancient Hindu Astronomy and Chronology (Oxford, 1862), Jean Baptiste Biot, Endes sur l'astronomie Indianne et sur l'astronomie Chronos, (Paris, 1862), I ropold de Saussure, "Le symétric du politique lunaire resutique, "J. A., 1919, 11th series, 14—141-148.
- 2. The term asterism is more appropriate than star or constellation, since most of the stations are pairs or small groups of stars Cf. W. D. Whitney, "Reply to the strictures of Prof. Waber upon an essay respecting the asterismal system of the Rindus, Arabs, and Chinese, " J. A. O. S., 1865, 9.388

```
to richly in a strepton of most one, taken and gold total Topon now a may make a tree in
     " Should give in for the governal optional Humple Butter on these our country, grown observe the dies,
    only many the crown and a will me there. Though shortly any trickes in correct . In some was
Mondrich much do 100° ; " for the single House my Devention, up to the to-th typile
                            do aspert - prime - capping 25, 21 feel 2
                                                                                                                                        [044,01]
           the come intereston in a a chestopeix
                                                                                dething a miles is it is
        and commenced facionism and for 1207341
                                                                               Az146 . . +1-160.14.65
                                                                                                                                        Electrica mail
                    - - - - - O 1/4 Read = 6 21-762500
                                                                                12 70 09 47 4 A 20 3 4 1 1
                                                                                                                                        871 14 m.
      Real factionalist fraging - by ; - 12212
         constant / Notes - charmens
                                                                                                                                       [91 - 41]
                                                                                Ref. 9124170 " 4001 3
         ent Arm laspun interpoper
                                                                                 Late to come the second of the te
                                                                                                                                        1 1 23
         enest aperous a) in - - - 2 0782000
                                                                                    CAND MERENDON WAY & WAS
II - + 1 11'9 -
                               41 1 Jan 12 12 12 11 11 110
                                                                                  PERSON AND
                           a same of state by thereof court a profile to a good
     Adult on appropriate water extrapolation is in a
                                                                                                                                        . 22
                Late + 2, 8 492 12 By Set yELLERY + JET & OF " =
        as the entitled Belove off
                                                                                  5 - 18-34 - 16-16
          49 ( x - 50 = 50) x + 60 x = 2 4 x + 2 - 5 x + 3 x + 5 + 6
                                                                                  Booth Pres, a office 1 to a
                                                                                                                                        C & A . /
     ALLET COLUMNIES & STANSFORM TO STANSFORM
                                                                                                                                           100
                   a to have tell a na radinger, over la a con
                                                                                                                                           . . . . ]
E for a thing do to the
                                                           26,00 1 21
                                                                                  11,200 12 12 15 16 80 15 y 30 mc
          1 a - 12778 M. F. of 21 188 1874 W. M. Miller Contagno
                                                         - covered a deposposate an following work a to an try
          full we re being
         5 - 7 6 4 27 4P /20
                                                         a layering a familie and supplied to a training
     MERCE WARRENTHER THE ETT STA
                                                                  a of how more in a first
                                                                                                                                    ( D P 1 )
                   aprat, kills
                                                               8,727, 1246 127 " "" " " " " " "
                   Genzamine 777-6
                                                                in application was placed on the all
                                                                                                                                    F 16 " 172"
                   cape in forther
                                                                 promotion or gen it is
                                                                                                                                    6 47 74 E ]
         of a 76 cs + 76, 1112 112
                                                                 April 1 To a
         soft's - sackets of a smaller & loop
                                                        and the state of t
              159214 20/29 cm and
                                                       daily last mestres a state out for
                  1 = 66, 675 41 45
                                                       as I to a [Bistonia] , plant proportion of a read of the story
      Metal !! me array 4
                                                                 01 = 17 Surgery 2 57 20 39 16 25
                                                                                                                                    [57:24:17]
                     MILL A THEOLY ROPER
                                                                the set we conserve out at the edition
                                                                                                                                    Cre of wal
                     KARPAN, CREEKSTA
                                                                 at 150 Granage a 125 with 2 co
                                                                                                                                    CHE WEST
                     RESERVED
                                                                15 100 265 1077 - 100, 10 00 28 W
                                                                                                                                    $ 162 m 24 3
    We done , so or racked police recogles. The Z.Z. I to the portion that excess done
     Special topic in courses mystamete For II, III we are
              there - there's gast - gast - grade grade 10 store - now institute in an
```

and he was expect me holes " and he is

Third Stated

Idm (G-14) - (4-cost) con to son G) + (dont con T) = contact on G - dont cost to donce

The values the section than it is in in the second section by always in it is the second of the second attention

1 0104059530 6.24157 122 6 14 36 14 40 6.4 16 21 32 446 0553,49239 ... 20 33 11.20 -5.1809 .x 13 1 60 48 2012170104 201 - 225 " 2 18 20 .57 1156 113 : do 0 0575 60 450 3. 4526.625 227 13 3 28 2214 2411 4000 0793511107 47 -1062119 97 26 2 455 57 633 11161 + 0,0510+16-2 17064-1010 513 81 43 21 3 50 50 1 2 T- & 0 170920364 8 36 A 2 C 2066 1 106 @ 935 102104 A 4032119650 14 56 · 3-2 6 44 5 n 19 34626637 £ 0 12506546 18 1 168 V 28 857.31.4660 7 12 45 , . . 4 4,2047 66204 737.1502712 727 9 mg V 0 452510999 27 15055776 47 5 - 24 c 1 2 274 41 41 1 1 1 2 -1 BN 8,94429689 56 657 2012 1 976 86 19 19 2 46 1 pr + " , fe 47 18 . 19 18 Q 71.78490394 70 4/ 54 3 15 7049 344

In alead of dis (11-11) Fire by in hond you do the section of the and a second

god 100 (go in 1) = 2 - 1 = 1")

and outlines it - the since the 2 that with an artif

East Min

Swand Helland

[[cost k-11]/cosk - (1-cont)cost) sin & - sin 11/cosk + (sint as 11) = we 20 A - sent on It / some 50 70 6977 10 50 41 24 56 52 58 42 . dintes 0.920 440961 3872,416261 3522,24 48-27 25.2 .2 1 box 49.90493084 43 54 5 48 3 44. 5 5 0 8330 4101 See B 70 46926286 10 28 10 28.45 1-174 927.6 S 26 2 1100 2, 50219.61 27.15 13 73 23 0 459 75 AF LZ 164 1 : 8231450 6 43 0 37 54 6 1. 6.1119,0521 Frank! 55 760 BSIVS . 2 45 39 3 54 SF 4 , 39 1 4274 47 524 65 1 1830 11 7 3 17 1536 420 1423 205 x 1 5.00 29. 20 17 7 7 2 .6150AA12 25, 0 % 144 6 4-73P1470 279.26 21 9 324 84 17 1 374. 6. 43 x 61 - 219 6.20353.772 6 14 36 81 30 6, -A+ 6.0408481 64 13 33 39 13 60 , 24 1 4 64 22591.76 ,070433196 d-c 33.11.20 14.0 ara fran 6 55 1149 234 33.18095433 106 213,3016,771 2.31 572500 15 1 34 35 52 60004Z 35.31 30 3h 31 Jr 11 . 5 , 4/4 0. Cy 2109300 0309206147 22 19236004 22.9 \$ 11.40 1 4 0 Lott 1329, 0 31 40 7 1329 192131 60 ----磁车 49 SW 5" 97-3 49 , c 6 54 8 0 611102101 49.40493009 1 1 47 0 443104944 26 49008664 26.35 27 5 % 20 15 22 1 (1) 0 1 1-21 0.1. 4920364 \$ 73870 1080 A 56 6 31 35 1 7 0.022179698 19 04676219 89.50 40 21 42 79 50 1044 20 - 4 49 £. 657 876 52 0.182506546 657 3118666 657.10 40, 20.16 t . 1684 110-6414 73% 1500,50 719 4 10 0.21 737 4 17 21 C ÷ 0.204266204 0.4525/0549 27 15065994 27. 9.2 22.32 2721 27.9.2 0 8 44 209 659 56.65710132 56 39.26.34.21 Sé Sque. u v 50 39 -9 70 18490394 70.73490394 70 48,5 19.14 70 47 8 10 07 18

cotg 70° 45′ = 0.349216 ; cotg 71° 0 344328 ; arc cotg 0.348504 being 70°47.II.6.

These values are very near to the results given by al-Birûni .

A table with an interval of l' yields

tg 70° 47′ = 2.86891; tg 70° 48′ = 2.87161; erc tg 2.86940 = 70°.47.10.41 cotg 70° 47′ = 0.348563; cotg 70° 48′ = 0.348237 and then are cotg 0.348504 is 70° 47, 10, 40, and we see that both values should again lead to the eleven seconds.

The final results of al-Birûni computing with tg and cotg show definitely the use of a table with an interval of 15', a "ptolemaic table". The great difference then found in 70°.47.9 and 70°.47.12 is then in accordance with the given results, which al-Birûni could never have obtained from a table with a smaller interval.

By this analysis we have shown that the use of the tangens function causes difficulties, because of the not being allowed of linear interpolation with tables of an interval of 15'. The conclusion must be that sticking to the sine values and not using tables of tangents has NOT been a drawback for the Greeks, and that people like al-Birūni, computing really very accurately, met indeed with this difficulty in having different results. . Inner interpolation not being allowed. In certain intervals.

Al- Birûnî obtained the best results possible with the tools he had available - just the ptolemaic tools in trigonometry..., and that the "efforts in trigonometry" were in the "Islamic Period" not concerned with "theoretical problems" but only with the numerical precision, the search for computational schemes causing the least possible error. In fact al-Birûni obtained the same accuracy as still about 1900 AD in the then used text books could be arrived at. Only the modern simple electronic pocket computer working at 10 decimal places eliminates all these "ptolemaic-islamic" problems. This caused the disappearance of trigonometry - plane as well as spherical—but for one simple relation, a correctual.

For people like of-Birûnî helds true Schiaparelle's statement, that the greatest proise a scientist can obtain is that with the tools available in his period he obtained the best possible results. His first method for the qibla can be simplified from numerical degree 17 to degree 7... but even modern mathematicians did not yet see that D. A. King's quoted scheme can still numerically be simplified from degree 9 to degree 7.

and his rounding off leads to tg Q = 172.9.50 = 60 times 2.869398148

His value for the cotangers follows from

cotg
$$Q = 536.6.0 / 25.38.17 = 60 \cdot (8.56.6 / 25.38.17) =$$

= $20.91032211 = 60 \text{ times } 0.348505369$

The rounded value 20.54.37 is 60 times 0.348504630 The more precisely taken values for the quotients, which should in their product evidently lead to 3600 are

172.9.49.35.29 and 20.54.37.9.34, product 3599.999999 in decimals. AJ-Bîrûni's rounded off values give 3599.994741 and divided by 60 the value 0.999998539, instead of the evident 1 000000000. There remains an accuracy of at most six decimal places.

The quantity 8.56.6 should be at least 8.56.8, the ten place decimal values lead then to

the product of the two values being 1.000000000, and in sexagesimal degrees

The round values obtained by al-Birûnî lead to

tg
$$Q = 172.9.50 / 60 = 2.86938148 =$$
= tg 70° . 78629155 = tg 70° . 47 . 10" . 38"

cotg $Q = 20.54.36 / 60 = 0.348504630 =$
= cotg 70° . 78631755 $\frac{1}{2}$ cotg 70° . 47 . 10" . 44"

which results should both be 70° 47′ 11" at two sexagesimal fractional parts, equal to al-Biruni's result for the cotg, but more than the 70°.47.9 obtained from the tangent.

If, however, we use a "ptolemaic table", with an interval of 15' we would find at five decimal places by division

We showed above that by introducing ω by tg $M=\sin\omega$ the degree of numerical difficulty can be reduced to 7.

§ 5. Analysis of the numerical computation by al - Birûni

In the Appendices I, II, III we show the computations according to the first, second and third method.

To the first method we remark that suddenly a discrepancy between the two place values and the value of al. Birûnî occurs: 36.46.48 instead of 36.47.7. This caused instead of a highly correct result, which only differs in 0°.0.0.20.45 from the ten place value in decimals al-Birûnî's result of 70° 48.14, somewhat more than 1' too great. In order to show the influence of the rounding off's to two sexagesimal parts we computed in the last column also the decimal value of the rounded off values.

To the second method we have in the first four columns the ten place decimal, four place sexagesimal and the two place rounded off values, parallel to al-Bîrûnî's data given. Again here a suddenly arising discrepancy 6.14.40 instead of 6.14.36. Not a very great discrepancy seemingly, but having its repercussions. The rounded value would have led to 70° 47.7, and the last columns, giving al-Bîrûnî's result shows 70°.47.13, about 8° too great. In the line with the quantity h = r - g we see the value 8.56.8 coming to 8.56.6 with al-Bîrûnî.

To the third method the table makes clear how al-Birûni carried over the too great result 6.14.40 from the second method's computation, and also that instead of the more precise value 8.56.8 he gives his former value 8.56.6. In the 6fth column till the third values from below everything is then correctly computed., and then suddenly the sugars root is given as 27.8.41. What was caused by the transfer of the deviating values would have led to the final result of 70°.47.13, as with the second method. The last three values in the most right column below the wrong square root 27.8.41 lead to the result then obtained 70°.49.14, a deviation of more than two minutes.

§ 6. The tangens and cotangens with al-Birani

A few remarks on al-Birthni's results in the application of the tg and cotg. He computes the tangent of the qubia from

tg
$$Q = 1538.17 / 8.56.6 = 60 \cdot (25.38 \cdot 17 / 8.56.6) =$$

= 172.1637754 = 60 tymes 2.869396257,

The third formula used (G. M indicating the latitudes of Ghazna and Mecco, and the difference in longitude) reads sleaving out the numecossary "dotour" $\{1 \text{ sin vers } (90^{\circ} G \rightarrow M)\} = \sin(G - M)$

$$(\sin(G-M))$$
 $(1-\cos t)\cos M \cdot \sin G)^2 + (\sin t \cdot \cos M)^2$

which is the same value as

{
$$\cos t - \cos M$$
 . $\sin G - \cos G$. $\sin M$ }* + $(\cos M)^2 - (\cos t \cdot \cos M)^2 = (\cos t \cdot \cos M \cdot \sin G)^2 + (\cos G \cdot \sin M)^2 - 2\cos t \cdot \cos M$. $\sin M \cdot \cos G$. $\sin G + (\cos M)^2 - (\cos t \cdot \cos M)^2 = 1 - (\sin M \cdot \sin G + \cos M \cdot \cos G \cdot \cot f)^2 = 1 - (\cos u)^2 = (\sin u)^2$.

The second formula reads

[
$$\{\cos (G-M) / \cos G - (1 - \cos t) \cos M \} \sin G - \sin M / \cos G \}^2 + (\sin t, \cos M)^2$$

which makes evident, that for complete equivalence one should have

$$\{\cos(G-M)-(1-\cos t)\cos M\cos G\}\sin G-\sin M=$$

= $\{\sin(G-M)-(1-\cos t)\cos M\sin G\}\cos G$

Here the terms with 1 - cos t cancel and there remains the evident

$$\cos (G - M)$$
, $\sin G - \sin (G - M)$, $\cos G = \sin M$.

The three different formulas are by simple goniometric relations shown to be equivalent, and leading to the first cos a. The only difference is the degree of numerical difficulty.

The first used relation can be derived by

cotg
$$Q = \sin q / \operatorname{tg} h = \sin (p - G) / \operatorname{tg} t \cdot \sin p =$$

$$= (\sin p \cdot \cos G - \cos p \cdot \sin G) / \operatorname{tg} t \sin p$$

which is

$$(\cos G \cdot \cos t - \cot p \cdot \sin G \cdot \cos t) / \sin t$$
.

and leads to

which is the relation used by D. A. King , as stated above. The degree of numerical difficulty in this way is 9.

He did not consider both , supplementary , values of h possible. Perhaps al-Birûnî knew that t acute requires h acute in an orthogonal triangle. Then

$$\cos p = \cos a / \cos h$$

gives p uniquely and thus q = p - b is determined. Finally

provides the distance Ghazns - Mecca, and from that by the sine rule

yields the value of Q. This computational scheme has a degree of difficulty 17.

Using only uniquely determining relations - the computation of h is then not necessary - gives less sources of errors

tg $p=\cos t$, tg a yields directly p, then q=p-b, and finally $\cos q$, $\cos a/\cos p=\cos u$. A scheme of degree of difficulty 12.

Next to this al-Birûni gives two other methods, only operating with sine functions and at last applies also tg and cotg relations. He obtained in this way from the same data five different final values:

In fact 1s is in "time difference" one fifteenth of a second, 1/54000 of an hour. Again, a qubis for religious purposes has no need of a precision better than 10', Ptolemy's limit for measurement of ongles, corresponding to 40 sec. of time.

The problem is purely geographical, and al-Birûni gave first the systematical spherical trigonometrical solution. Then he derives two other relations, and refers to analoguous relations as "the triangle of time", the "are of daylight", which do NOT mean that astronomy is involved by any phenomenon. The fact that al-Birûni computed sin Q for the qibla from a rectangled triangle, of which tg Q and cot Q could be obtained directly, without computation of the hypotenusa, by one division, makes it plausible that at first al-Birûni wished to avoid the tangents and considers the last two functions more as a check for the tangens and cotangens function.

He leaves out the proof that these latter two formulas obtained are equivalent with the first one. We add here the simple proof for that!

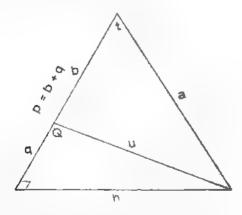
For further reference we compute the qibla of Ghazna, mention made of the fact that taking M as exactly 21° 40° the decimal value of = 23°.470790951 and the value for the difference in longitude of Mecca and Ghazna as 27° 24° 22°

$$G = 33^{\circ} 35' = 33.58333333$$
 $I = 27^{\circ} 22' 24'' = 27.37333333$
 $I = 27^{\circ} 22' 24'' = 27.37333333$
 $I = 27^{\circ} 22' 24'' = 27.37333333$
 $I = 27.373333333$
 $I = 27.3733333333333$
 $I = 27.37333333333$
 $I = 27.3733333333333$
 $I = 27.37333333333$
 $I = 27.37333333333$
 $I = 27.373333333333$
 $I = 27.3733333333333$
 $I = 27.373333333333$
 $I = 27.37333333333$
 $I = 27.37333333333$
 $I = 27.3733333333$
 $I = 27.373333333$
 $I = 27.37333333$
 $I = 27.3733333$
 $I = 27.3733333$
 $I = 27.3733333$
 $I = 27.373333$
 $I = 27.373333$
 $I = 27.373333$
 $I = 27.373333$
 $I = 27.37333$
 $I = 27.37333$
 $I = 27.37333$
 $I = 27.3733$
 $I = 27.3733$
 $I = 27.373$
 $I = 27.$

§ 4. The gibla computations of al-Bîrûnî

In a first and direct method al-Bîrûnî computes* (fig. 7)

$$\sin h = \sin a \cdot \sin t$$



There is, having at disposal Ptolemy's reduction in the Almagest I, 13—16 NO THEORETICAL PROBLEM in spherical trigonometry. The only problem which remains is TO OVERCOME NUMERICAL DIFFICULTIES in solving problems. THESE were leading to the "jungle of formulas" and still about 1900 AD- as can easily be shown checking results given in former textbooks, where problems to clucidate the situations are solved leading to errors of 5" and more in results which were estimated as exact to the seconds. These difficulties were not mastered until the small electronic dosk computers arose: no difficulty any more in multiplication, division, having logarithms or exponentials, sincs... at ten places exact... just by pushing a button. One must be still careful for the last digits: the rounding off at ten places might even affect the result of a, b, c, when calculated by a, c, b. For the difficult tangens function one can obtain different first and last numbers in a \rightarrow tg \rightarrow are tg a.

Remains to remark that even the sailors, having to compute their first "course" used a ready for logarithmic computation formula - :

$$\cot C = \tan b_1 \cdot \cos b_1 \cdot \csc L - \sin b_1 \cdot \cot L$$

where b, and b_1 are the latitudes of the place of depart and the destination and L is the difference in longitude. This asks to look for five values of logarithms (adding and subtracting are not counted !) – three multiplications for non-logarithmic schemes coming to these and two antilogarithms to have the value of cotg C, which being found from a table of cotg gives numerical difficulty 8, and if one works via logcotg a numerical difficulty 9.

If one substitutes coser $L=1/\sin L$, cotg $L=\cos L/\sin L$ one comes to take the denominator $\sin L$ and the formula for the supplement of the course, the OIBLA, becomes taking $b_1=G$, $b_2=M$ and L=t,

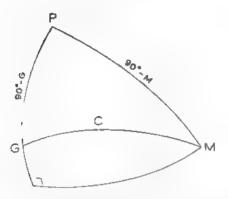
$$\cot Q = (\sin G, \cos t - tg M \cos G) / \sin t$$
.

This is the same formula as used by D. A. King, loc, cit. in the *Encytopasdia* of Islam. We have here a numerical difficulty 9, as above. Observing that the latitude of Mecca is a "world constant," one can reduce the numerical difficulty by introducing an angle wauch that

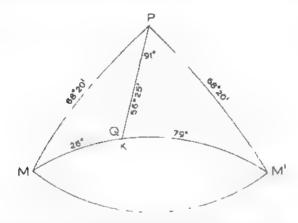
$$\operatorname{tg} M = \sin \omega$$
.

The reduction to

cotg $Q = \sin(G + t) + \sin(G - t) + \sin(G - \omega) - \sin(G + \omega) / 2 \sin t$ is then possible and makes the degree of numerical difficulty 7.



i. e. the place at distance c₁ to the west of Ghazna's meridian or the place at distance c₁ to the east, and at the same latitude of Mecca, 21° 40'. NOTHING of the former checking of " possible or madmissible" results remains in this way". (fig. 6.).



7. Q in fig. 6 is the supplement of the qible of Ghann. The "puradoxal result" is caused by the fact that a place can be reached on the sphere travelling a distance of forwards or 306°-ar hackwards. Taking the qible of Channe 180°. Q for M one reaches M after having travelled a distance of 26°, and M' at distance 280°, i.e. travelling backwards with qible Q over 79°. The conventions on spherical transgles climinate a negative angle or side, as well as an angle or side greater than 180°. The traveller shall reject to go more than half of a great circle of the carth for his destination. This last is, however, an extra condition, which does not follow from the definition of the qible. The choice is then be made by the acceptance of the difference in largitude!

and substitute (6) into (7) . Then reducing by a factor $\sin a \neq 0$ is possible and we arrive at

$$\sin a \cdot \sin b = \sin c \cdot \cos \beta + \sin b \cdot \cos a \cdot \cos \gamma$$
.

Applying the sine rule and interchanging, a. b and α , β leads to

$$\sin \alpha \cdot \cos b = \sin \gamma \cdot \cos \beta + \sin \beta \cdot \cos \gamma \cdot \cos \alpha$$
 (8)

$$\sin \beta \cdot \cos \alpha = \sin \gamma \cdot \cos \alpha + \sin \alpha \cdot \sin \gamma \cdot \cos \delta$$
 (9)

and substituting (8) into (9), a division by sin $\gamma \neq 0$ is possible and leads to

$$\sin \beta \sin \gamma$$
, $\cos \alpha - \cos \beta$, $\cos \gamma = \cos \alpha$.

§ 3. Numerical considerations

The cases I, I', II, II' are solved by the cosine rules: three sides lead directly to the cosines of the three angles; two sides and an angle, to a third side, and mutatis mutandis two angles and one side to a third angle in the cases II, II'... and thus reduce all problems to I.I'. In fact there remained three types. — and the sets III, III' are, using the sine rule aquivalent to two sets of the type $\{a,b,a,\beta\}$.

In the last period of spherical trigonometry this case was solved by considering many possibilities, having used a sule rule. All these troubles can be avoided by solving one goniometric equation for the third side, or the third angle! As this remark is not to be found in many of the formerly used textbooks; we give an example. It reduces the problem of the sailor who wished to determine his destination from the course given at the harbour of depart for an other... which is the reverse of the problem of the qibla!... In order to treat case III we ask for the possible positions of Mecca, latitude 21° 40° if the qibla is (decimally) 70°. 78490394 and the latitude of Ghagna is 33° 35°. We have (fig. 5)

$$\sin M = \sin G \cdot \cos c - \cos G \cdot \sin c \cdot \cos Q, \text{ or }$$

$$0.369206147 = 0.553149239 \cos c - 0.274180233 \sin c$$

$$\tan \varphi = 0.553149239 / 0.274180223 = 2.017465859 = \tan 63^{\circ} \cdot 63370345$$

$$\sin (\varphi - c) = 0.369266147 / (0.553149239^{\circ} + 0.274180223^{\circ})^{\circ} =$$

$$= 0.598028115 - \sin 36^{\circ} \cdot 72880193 = \sin 143^{\circ} \cdot 27119807$$

and thus

$$c_1 = 26^{\circ}.90490152$$
 , $c_2 = 79^{\circ}.63749455$

a. A plane perpendicular to OC at C makes the angle γ visible, according to Euclid's definition 6 in Book XII. Then we have by plane geometry

$$AB^2 = 0A^2 + 0B^3 - 20A \cdot 0B \cdot \cos c = AC^2 + BC^2 - 2AC \cdot BC \cdot \cos \gamma$$

and replacing in Euclid II, 12, 13 the "rectangles to be added or subtracted" using the cosine for the projection we apply the theorem of Pythagoras to

$$\partial C^2 + AC \cdot BC \cdot \cos \gamma = \partial A \cdot \partial B \cdot \cos c$$

yielding $\cos c = \cos a \cdot \cos b + \sin a \cdot \sin b \cdot \cos \gamma$.

b. If one makes visible the three angles, again using Euclids definition 6, Book XII one has to take a point inside all dihedral angles given. P, and to fall the perpendiculars on the sides of the trihedral, say O. ABC. Then it is evident that the sides of the trihedral P. A'B C are the supplements of the angles of O. ABC, and the angles are the supplements of the sides of O. ABC. The "polar trihedral" is a mere evidence. The Araba caused themselves great troubles in working ON the sphere and not using ONLY the last two points a, b. The reducing of one type of the cosine rules to the other consists in merely changing the signs of the cos, and keeping the sines with the same sign.

For sake of completeness we add that from one set of cosine rules just as in plane trigonometry - all other relations follow merely algebraically. After having seen what was obtained in the section a.. there is no need to consider the "polar trihedral", nor polar triangles.

A.
$$\cos a = \cos b \cdot \cos c + \sin b \sin c \cdot \cos \gamma$$
, thus

$$(\sin a \cdot \sin b \cdot \cos \gamma)^2 = (\sin a \cdot \sin b)^2 - (\cos a - \cos b \cdot \cos c)^2 = S^2.$$

Here
$$S^2 = 1 - (\cos a)^2 - (\cos b)^2 - (\cos c)^2 + 2 \cos a \cdot \cos b \cdot \cos \cdot c$$
,

and this is invariant under permutation of a, b, c. Thus, as in the square root we have to take always the positive sign, as all sines are positive:

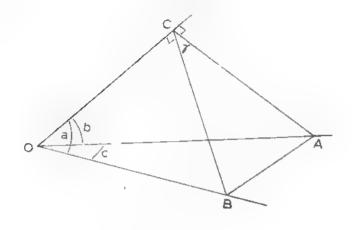
$$\sin \alpha / \sin \alpha = \sin \beta / \sin b = \sin \gamma / \sin c$$
; SINE - rule.

B. We take two out of the three cosine rules

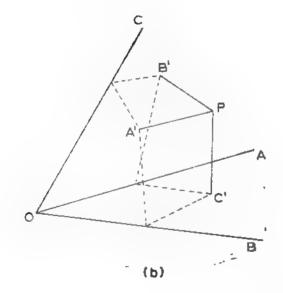
$$\cos a = \cos b \cdot \cos c \cdot + \sin b \cdot \sin c \cdot \cos \alpha$$
 (6)

$$\cos b = \cos c, \cos a + \sin c. \sin a. \cos \beta \tag{7}$$

vide N. G. Khayretdinova, Ist. mat. isel., 28, 154 - 159.







$$c = p + q$$

or eventually a difference. Then

$$\cos a / \cos p = \cos h = \cos h / \cos q$$
.

and immediately follows

$$\cos a (\cos c \cos p - \sin c \cdot \sin p) = \cos b \cos p$$
.

an equation for p leading to

$$\cos b - \cos a$$
, $\cos c = \cos a$, $\sin c$, $\tan p$.

Here the right hand side is equal to $\sin \alpha$, $\sin c$, $\cos \beta$, and we arrive at the three cosine rules of the first type

$$\cos b = \cos a \cdot \cos c + \sin a \cdot \sin c \cdot \cos \beta$$
.

It is not necessary to compute the value of h!

The angle is decomposed by the altitude from C into two parts,
 P. Q leading to

$$= P + Q$$

whereas $\cos \alpha = \sin P \cdot \cos h$, $\cos \beta = \sin Q \cdot \cos h$, or

$$\cos \beta \sin P = \cos \alpha (\cos \gamma \cdot \cos P - \sin \gamma \cdot \sin P)$$

$$\cos \beta + \cos \alpha \cdot \cos \gamma = \cos \alpha \cdot \cos \gamma \cdot \cot \beta = \sin \alpha \cdot \sin \gamma \cdot \cos \delta$$

leading to the three cosine rules of the second type

$$\cos \beta = -\cos \alpha \cdot \cos \gamma + \sin \alpha \cdot \sin \gamma \cdot \cos b$$
.

We followed exactly the rules as applied also in Arabic Science. The Arabs systematically first consider the problem on the sphere, which caused them many difficulties. Though the systems I and I sutomatically lead to the two types of cosine rules a strict "cuclidean solid geometry" in the trihedral leads directly to one of the types of cosine rules AND to the so called "pular triangle" which allows to reduce the second type cosine rule from the first, and vice versa. We give the few lines necessary for that here explicitly (fig. 4).

- 3. (a, β) $\lg c = \lg a / \cos \beta$, $\lg b = \sin a \cdot \lg \beta$ $\cos x = \sin \beta \cdot \cos a$
- 4. (c, α) cotg $\beta = \cos c$, tg α ; tg $b = \cos \alpha$, tg c; tg $\alpha = \cos \beta$, tg c
- 5. $(a, \beta) \cos c = \cos \alpha + \cos \beta + \cos \alpha = \cos \beta + \sin \beta$. $\cos b = \cos \beta + \sin \alpha$

whereas (a, α) leads to sin $a = \sin a$ sin α . There is none, one or a pair of solutions corresponding to the condition sin $a \le \sin \alpha$. The datum sin $a = \sin \alpha$ leads to $a = \sin \alpha$.

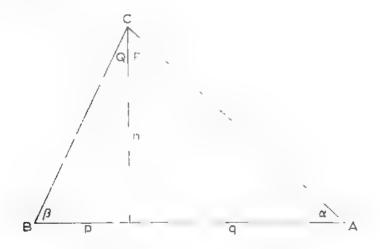
If now we go over to general triangles we have the "example" of plane geometry - known from the Old Babylopian Period - that any triangle can be decomposed into two orthogonal ones.

The "very many different cases" for three data on a spherical triangle are not different from one of the six cases:

I
$$(a, b, c)$$
 I' (α, β, γ) II' (α, β, c) III' (α, β, c) III' (α, β, c)

The simplest cases are I and I':

 If the side c is decomposed by the altitude from C into two segments p, q we have (fig. 3)



No side, neither an angle, of a general spherical triangle needs to be greater than 180° in problems. If so the problem to be selved can be treated using "an adjacent triangle". The Greeks, just as in place geometry, did not allow angles greater than 180°. If an angle would turn out" greater than 180°" in modern terminology the "gauge" was observed and the angle was measured at the other side of one of the legs.

A direct consideration of the arthogonal trungle shows, and we have as sin b is positive that tg a ard tg c have the same sign, and thus that a side and its opnosite angle are either both acute or both obtuse. We don't know of a statement of this fact before "modern times.".

Not knowing negative numbers one can go over to "positive values only" taking the halves of angles and sides. This led in later times to a "jungle of relations between halves and quarters of angles and sides". The relations, present in the Almagest for the following first two relations, from which the third follows immediately:

can be checked—easily in Manitrus, 1962, or I, 10, I, pages 28,29. They allow also values a+b exceeding 180° to be reduced to angles smaller than 90°, in the goniometric computations.

Finally we have see Manitius , I. 10. II. page 30 $2 (\sin \frac{1}{2} a)^2 = 1 - \cos a .$

These last sets of relations do refute S.H. Nasr's statements, quoted § 1, sub d.

The sine value being given one has always two angles, smaller than 180° , for any positive value. This makes the arc sine to be avoided as much as possible. On the other hand cos a (and tg a) determine an angle uniquely in the given interval, and thus in numerical work one has to prefer the cosine (and the tangens). Except for the combination (a, a), and its analogue we have for all combinations of two elements for an orthogonal triargle a unique solution. We specify:

- 1. (a, b) $\cos c = \cos a \cdot \cos b$: $\operatorname{tg} a = \operatorname{tg} a / \sin b$; $\operatorname{tg} \beta = \operatorname{tg} b / \sin a$
- 2. (a,c) $\cos b = \cos c/\cos a$; $\cos \beta = \operatorname{tg} a/\operatorname{tg} c$; $\operatorname{tg} a = \operatorname{tg} a/\sin b$
- 5 K. Manitius, Piolemäus, Elandbuch der Astronomy, I., II. Leipzig, 1963

which using the tangens function is

$$\cos a = - \operatorname{tg} b / \operatorname{tg} a$$
 (3)

and here applying (2) reducing by (1)

$$\cos \alpha = \sin \beta$$
, $\cos \alpha$ (3')

Finally POC / RAB gives PB . OR . CA = PR . QA . CB or

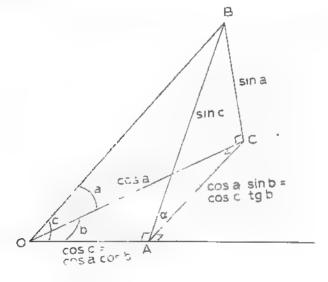
and with the tangent function

$$tg = tg \circ / \sin b \tag{4}$$

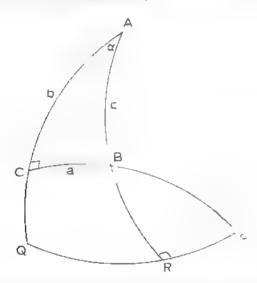
Immediately follows from (4)

$$\cot g \propto . \cot g \beta = \cos a . \cos b = \cos c$$
 (5)

In this way we have all relations for the orthogonal triangle, which all can be read immediately from the orthogonal trihedral angle, (fig. 2), as a more evidence.



the six segments as a ratio of two being equal to the product of two other ratios. This is equivalent with the equality of the products of three segments to the product of three other segments (fig. 1).



If the triangle ABC has the points on the transversal P (on BC), Q (on CA), R (on AB) we indicate this by ABC/RPQ. We have then just to permute P, Q, R cyclically to obtain the uniquely possible equality.

$$AR \cdot BP \cdot CO = AO \cdot BR \cdot CP$$

or

1. $\cos a \cdot \cos b = 1 \cdot \cos r \cdot 1$.

as here PC = PQ = AR - AQ are 90°, and for the orthogonal triangle we have demonstrated the "spherical pythagorss"

$$\cos c = \cos a \cdot \cos b$$
 (1)

Again

$$PRB / QAC$$
 leads to $PC \cdot RQ \cdot BA = PQ \cdot RA \cdot BC$ or

$$\sin a \cdot \sin c = \sin a \tag{2}$$

Then

$$ARQ / BPC$$
 yields $AC . RB . QP - AB . RP . QC$ or $\cos b . \cos c = \sin c . \cos a . \cos b$

The computational technique with "Muslim Scientists" is in no way different from that of Ptolemy, even carrying on the "aims totus" as we already mentioned... removing that in the same way as Ptolemy did.

The aim of the present essay is to show this and by that to come to the reason for the sudden disappearance of "trigonometry". The accuracy of the tables, available up till very recently, was not allowing great accuracies, using only one basis-relation. The simple relation can, however, be used directly due to the great accuracy of the small electronic desk computers. We shall discuss in detail al-Birûni's methods for the qubia of Ghazna, and shucidate the difficulties he met with. ONLY the organising of computational schemes in such a way that with the available tables the error was not too much increased led to the "jungle of formulas in plane and spherical trigonometry".

2. Ptolemy's trigonometries

In Book I, 10,11 of the Almagest Ptolemy describes a method for composing a table of lengths of chords, and gives such a table, corresponding to 120sin $\frac{1}{2}$ for $0^{\circ} < x \le 180^{\circ}$: at an interval of $\frac{1}{2}$ which is 15' for the half of the central angle.

In I, 13,1 he first proves the "Theorem of Menelaos", the relation between six segments on the sides and the productions of the sides, intersected by a transversal of a triangle, in plane geometry. In I, 13,2 he shows, using a tribedral angle at the centre of a sphere, that the same relations hold true if one substitutes for "lengths" the "chords", i. c. sine functions. He distinguishes neatly between two cases of the triangle with respect to the transversal:

- A. the transversal meets only two of the sides,
- B. the transversal meets all sides on the productions.
- In 1. 14 and 1,16 he immediately applies this for the relations between declination δ , rectascension a, longitude λ and inclination of the reliptic ϵ (leaving out factors 60 here).

 $\sin \lambda = \sin \alpha$, $\sin \lambda$; $\cos \alpha = \sin \alpha$, $\cos \alpha$, which last relation to the same as

The scheme of the four lines of a triangle and one transversal can be considered in four ways as such a scheme. Ptolemy writes the relation between ting the integral part into a sexagesimal" rest", when dividing by the "sinus totus". We shall illustrate that in particular helow

Ptolemy had all the tools, and all the numerical material available and near at hand, used it in exactly the same way as later mathematicians, e. g. in the Arab World. He sticked to the use of the sine function only, and chord $x = 120 \sin^{-1} x$. Ptolemy mostly had the vertex of an angle on the circle and thus he used a in fact schord $x \ge 2R \sin x$, when x is the angle at the perimeter, corresponding to $\frac{1}{2}x$ measured in the "angle at the centre".

Ptolemy not only developed the "by priests and philosophers" prescribed system of epicycles in a unique way-having celestial bodies moving of perfect curves, circles, with the most brautiful motion, at uniform speed but in his Almagest, Book X, 6, states that one can also subtract the anomaly for the outer planets from the sun's longitude in stead of adding it to a centre of an epicycle where there is nothing. This corresponds to an interchange of deferent and epicycle for the outer planets and yields exactly Tycho Brahés system. All planets in perfect circles around the sun and that system as a whole in circles about the earth, which is placed excentrically.

ad c. Here we have to refute Neugebauer's statement on the tangens function. The trouble with the '' table of tg a '' is and this was felt' - that linear interpolation is not possible, preserving the wished accuracy in a considerable part of the interval 0° - 90° .

In 1896 I. Schröne in his 7-place tables saw no other possibility than to give special formulas for the computation of "logtga" in the interval 0° 3°, and for the interval 3° - 10° taking the interval at 10 seconds corrected. In order to guarantee 5 places exact the Dutch "Wiskundige tafels in 5 decimalen" - about 1960 AD - departed from that system, and gave values for cotg a increasing a by one second in the interval 0° - 3° , and increasing by ten seconds in the interval 3° - 10° , and by one minute onwards. If one computes, as Ptolemy easily could have done, a table of quotients, leading to a table of tg a at an interval of 15° then a very great part of the table does not permit linear interpolation. Below we shall indicate that al-Birûm was aware of this fact, and computed from outg Q=4/ B first sin Q in order to safely interpolate.

Rightly Ptolemy sticked to the relation of the "six segments" which gave in sine functions all relations needed, as we shall show below. It was, indeed, very prudent to use the values of "only one table of sines", and not to compose a table of tg a, from that.

First we quote some authors on the subject of Islamic Science.

a. .1. I. Sabra wrote in the Encyclopaedia of Islam :

"The mathematics needed for solving problems in spherical astronomy even for the simple geocentric system without circles and epicycles is a laborious husiness, and it is difficult for the modern mind to understand how a scientist such as Prolemy could have constructed and analysed such in cluborate system without the benefit of place number numerals, decimals or a fully developed trigonometry (not to mention logarithms and other techniques). Place number estitimetic entered the Muslim world from India in the numb century and came into general use in bloom in the tenth. ""

b. D. E. Pingree, in the same Encyclopaedia stated :

- "The Muslims basing their work an Indian ideas also developed original plane and spherical into semething approximating its modern form "13".
- c. O. Neugebauer, at various occasions, emphasised that the Greeks had not the tangesn function, which was used in the Islamic Period, and that this absence must have caused drawbacks for the Greeks.
- d. S. H. Nasr, quoting here his Islamic Science, published for the World of Islam Festival, London, 1976 page 184, gives:
 - " Although Greek mathematiciums, especially Hipparchus, had calculated a table of chords, trigonometry both plane and solid and bosed on the relation of the sides and angles of a right triangle was invented by Muslims."

Some remarks must be made to these statements

ad a. Ptolemy had at his disposal the sexagesimal fraction, used for the fractional positional part - not a decimal system! and the place value symbols 0 - 59, including the zero, were represented in tembundles - the normal Greek numbers, - writing the integral part in the same ten bundles. A. I. Sabra - c. g. The World of Islam, London 1976, page 185 - speaking about a "mixed system" in which a non-place value decimal (sic!) system was used for the integers and a place value sexagesimal (positional) for the fractions, "missed the point completely. On the contrary: Ptolemy's system is purely sexagesimal positional for the fractional part. ... and is in no way different from what "Islam Scientists" used to gentionic rical computations. In any positional system with basis A we need A symbols to specify the place values. ... and for these one used the "numerals" of the tenbundles.

Also, with Islamic Scientists Ptolemy's R = 60 was continuously carried on and dividing is just a shift of the sexagesimal, eventually split-

² A. I. Sahra, Enc. 1sl. 3, 1138 1141

^{3.} D. Pingree, Enc. Isl. 3, 1135 1138 .

^{4.} O Neugebauer, c g The exact Sciences in Antiquity, Providence, 19572, 209: "The only real inconvenience lies in the lack of tables for the ratios corresponding to two d." This is, decidedly, numerically incorrect.

Ptolemaic and Islamic Trigonometry, The Problem of the Qibla

EVERT M. BRUIMS*

1. Introduction

About 2000 BC in Mesopotemia the problem of the chords in a circle was attacked, and - as we know from the Susa texts'. Tablet III, and the related drawings on the tablets I . II - the sides of the regular n - gon with n = 2, 3, 4, 5, 6, 7, 10, 12, 24 were computed. For the square, in particular, the sexagesimal value of the diagonal 1,24,51,10. . . - decimally 1. 414212963 ... , a difference with the more precise value 1.41421356 ... of 6×10^{-7} - was obtained. This value is the same as that given by Ptolemy 84; 51.10 if the radius is 60, just - still as in Arabic mathematics - writing the integral part in tenbundles. Though in later times tables of chords were computed, - according to tradition by Hipparches - only the table of chords in Ptolemy's Almagest, giving the lengths of chords in a circle with tadius 60, subtending an arc of xo seen from the centre of the circle, up to two sexagesimal fractional parts, is preserved from the " Greek Period ". The table has not been computed as Ptolemy says he did, because following the indication for the 30 -th parts of the jucrease in the lengths of subsequent chords, in his table with an interval of 1.0, would lead to results with an even last sexagesimal (as a / 30 = 2a / 60, a being the integer of the difference) and it turns out that one half of the results per "sixtieth degree" does end odd. Again his tentative trisection of the are of 11/40 is theoretically exact, but numerically using too great values for the bounds not leading to the right result. The exact value of chord 10 is lying outside the interval, correctly computing the bounds indicated by Ptolemy. The rounded off value, at two sexagesimals, is correct. . . but cannot be used to compute the table itself. It would have been easy to derive - from the isosceles trapezium relation - a cubic equation for the trisection !

About 2000 AD trigonometry, plane as well as spherical, has been removed from mathematical instruction! What did happen?

[·] Amsterdam, the Netherlands.

Paper given at the Fourth International Symposium for the History of Arabic Science, Aleppo, April, 1987.

I E. M. Bruine and M. Rutten, Textes mathématiques de Suse, Paris, 1961.

J. H. A. S. 1991 : Vol 9 : pp. 45 - 68 .



THE THEORY OF PARALLELS IN THE ARABIC LITERATURE OF THE 9-14TH CENTURIES

Mere annicht auf 7 a. b. 10 p. 10 c. m. o. 10 p.

Publications Dealing with Mathematics and Astronomy At the « I. H. A. S.»

Productive of Efficient
Enter Coding is the in Military or 1
1664

Kennedy , E. S.

Shawky , Galal

Abdel Rahman)

Vol. I , Translation (In English); Vol II Commentary (In English). US \$ 30.00

Kennedy & Ghanem

The Life and Work of Ibn al-Shatir (Second Edition)

US \$ 10.00

Mathematical Works of Baha at Din al-Amili (Unavailable).

The Exhaustive Treatise on Shadows, Al - Biruni-

Suidan . Ahmad Marāsim ai - Iotusāb fī Ma^cālim ai - Hisāb by Ya^cish
 Ibn Ibrāhīm ai - Umawī. US \$ 10.00

Rushed & Djebbar L'oeuvre Algebrique d'al - Khayyam (In Arabic &

Prench) . US \$ 15.00

Saldan , Ahmad Al-Fusul fi'l - Hissab al-Hindi. US \$ 15.00

Al- Soulesi, Mohamad Bughyat al - Tulläb fi Sharh Mounyat al - Hissab by Ibn Ghazi al- Miknāsī, US \$ 15.00

Ion Ghazi al- Mikhasi. US 5 15.00

Reviewed by chalboub, Sami Al-Kāff fi'l Hisab by Abti Bakr al-Karagi. US \$ 15.00

Rosenfeld & Youskevitch | Parallel Lines between the Ninth and the Fourteenth |
(Translated by chalboub & Centuries US \$ 15.00

66.2/3 miles or even the Syrian 75 miles per degree which seems to have been used by al-Idrisi, 25 the difference as compared to 14°S in al. Khorezum is dramatic and Suhrāb, whose texts (as ir dicated above) do not contain mile measurement which otherwise might allow a comparison with or verification of al-Battāni's figures. Al-Idrisi, on the other hand, cites distances in cubits, miles and fursakhs (unit equalling 3 miles) but has no corresponding figures in degrees. Although citing Ptolemy for his description of the seas, he quotes no dimensions for the whole of the Indian Ocean (4ke length of the Red Sea is estimated by him at 1,400 miles). 26

While this limited evidence is inconclusive, it would be difficult to dismiss al-Battani's figures altogether: the numbers, however round and therefore easily suspect, are carefully written in words and thus cannot be explained away by corruption of the digits. Although the dimensions as found tend to contradict al-Battani himself as discussed in (9), it is important to admit that Greek-Arabic geography may have allowed for a more realistic conceptualization of the Indian Ocean, however imperfectly measured and visualized cartographically.

(11) To limit the discussion of Ptolemy's influence on Arab geographers to three early works may seem to constrict the pool of data unnecessarily. However, the sources we have chosen represent not only the most complete and faithful exposition of Ptolemy's information in Arabic, but also are among the most carefully edited and extensively examined pieces in all of medieval Arabic geographic writing. Not only the later Muslim authors but also those of medieval Europe, especially in the case of Al-Battani,27 drew on the tables and descriptions they had provided. Under the name Kitāb rasm al - rube al - ma'mūr (" Design of the Inhabited Quarter") al-Khorezmi's Kitāb jurat al-ard ("Geography ", or "Image of the Earth ") is quoted in the 14th century by Abu 'l - Fida' who also cites al-Khorezmi's coordinates anonymously. However, by that time the toponyms known to the Arabs in East Africa are no longer those transcribed or translated from Ptolemy. The coordinates, when provided, are attached to new and different names; the continuity is broken. The cartographic tradition, although forever inclined to imitate old authorities, undergoes a dramatic transformation at the hands of al-Idrisi and it is he who is imitated from then on by descriptive geographers. Although in the wider context of Islamic geography new translations of Ptolemy are made in the late 15th century, these are occasioned by the new Turkish access to Greek manuscripts and bypass the medieval Arabic tradition.

Al-Idriel, Opus geographicum see "Liber ad forum delectationem qui terras perageure studeant", fasc. 1 (Naples - Rome, 1970), p. 8.

^{26.} Ibid. , p. 10 .

^{27.} Krachkovskii, pp. 100 - 101 .

²⁶ Ibid., p. 93

of an Africa distorted eastward did exist. In fact, the case would be more doubtful if the Arabic text did not base itself on a map: in the awkward phrasing of al-Khorezmi it is easy to loose track of the correct noun, and then one might read the above as a description of the sea, rather than the coast, reaching to 112° E. There are two considerations against this possibility. First, the reiteration of 14° latitude at both " ends " of the coastline suggests that a line was indeed drawn on the map being described between the cited meridians. Second, later works belonging to the al-Idrisi school of geography-such as the authoritative 1bn Sa'id al-Maghribi - return to the use of coordinates which, when superimposed on the African coast, seem to recenfirm Ptolemsic notions at a time when Arab navigation to East Africa flourished. True, Ibn Sa'id who wrote in the latter part of the 13th century, no longer includes the Greek toponyms, but he willingly, recognizes his theoretical source in Ptolemy.

(9) The very different narrative of al-Battani focusing on the seas and the equator, rather than continents or the coastline, also suggests a system where the Asian landmass north of the equator is symmetrically faced across the sea by another landmass south of the equator, and that this landmass is Africa:

"It is claimed that the equator crosses east to west the space between India and Ethiopia... "

Al - Battānī gives the Indian Ocean an elongated contour, citing a length west to east of 8,000 miles and a width of 2,700 miles.

(10) Nevertheless, al-Buttanī also includes statements which imply a much greater southward extent of the Indian Ocean than either Ptolemy or other Greek-Arabic geographers indicate:

** They have measured Buhr al-Hind and stated that it . stretches beyond the island where night equals day (i. c., beyond the equator) in the direction of the south for one thousand and nine hundred miles. . . **

If measured in degrees at the so-called al-Ma'mun equivalent of 1° = 56 2/3 miles. 24 this would allow a southward depth of the ocean to the latitude approximating 34°. Even if other equivalents are used (Ptolemy's

^{22.} Kubbel' and Matveev, p. 296 .

^{23.} Ibid.

^{24.} Krachkovskii, p. 84.

ning with al-Istakhri's (early fourth / tenth century) were not of the Greek school. From al-Khorezmi, Greek-Arabic cartography takes a leap to al-Idrisi (mid-twelfth century) whose most detailed maps show the African mainland extended east, with the Indian Ocean open to the Surrounding Ocean (al-Muḥit) to the extent of its full "width" from both to south If, therefore, the European historians of soience were to look toward Arabic sources for confirmation of the "open-sea thesis", it may be adequately substantiated with narrative and illustrative Islamic data, both Ptolemaic and originating elsewhere.

(8) The cartographic reconstruction of the East African coastlue, attempted before, 19 is difficult and involves a great deal of guesswork. However, the eastward curve of the littoral may be guessed at from al-Khorermi's narrative. To repeat, the text represents a description of a map bearing placenames and the markings for degrees and minutes of longitude and latitude.

.. حد ... يمر إلى اسفل مدينة رافاطا عند طوں سه o والعرص رل خانف الاستوى ويمر إلى اطول سح o والعرض بج o وهذه العروض التي نذكرها هي خلف خط الاستوى إلى ال تجوره فنذكر ذلك يمر إلى طول عب o والعرض بد o يمر إلى طول قب o والعرض بد o ...2

Suhrāb's text is nearly identical, differing only in slight omissions and the variation in coordinates from 00' to 05' as discussed above. Characteristically, nothing is described and no locations are listed for the longitudes between 72° and 112°. Thus the mainland's location so far east is implied rather than stated or substantiated.

It has been argued that Ptolemy did not make it his business to describe unknown places and therefore, whatever his ideas of continental contours, he was unlikely to create a visual representation of a southern Terra Incognita³¹. The Arabic versions seem to suggest that a Ptolemaic representation

By both Honigman and Milk, 1916. See also Gabriel Ferrand. Relations de vayages et textes géographiques orabes, persons et turks relatifs à l'Extrême-Orient du XIII - « ou XVIII - « siècles, vol. II (Paris, 1916), pp. 590 – 595.

^{20.} Maik, 1926, p. 75.

^{21.} Washburn, pp. 3-4.

(6) There are no maps of East Africa by the three authors. The sole existing manuscript of Al-Khorezmi contains four maps of which only one refers to Africa (the Nile); there is no world map. The precise nature of the map which the texts of al-Khorezmi and Suhrab seem to be describing has not been established, nor its exact provenance. The theoretical discussion of the seas, continents and measurements found in Ptolemy is missing in both. The close paraphrasing of al-Khorezmi by Suhrab auggests a possibility that his book merely repeats al-Khorezmi's description of the lost map rather than describes another map similer or identical to the former.

As distinct from these two authors, al-Battant does include a description of the earth and particularly the seas. Although also organized as sty, this work follows Geography's structure somewhat more faithfully, incorporating Ptolemy's system of listing the 94 inhabited areas in Bk. VIII which is missing in al-Khorczmi and Suhrāb. The text of the geographical introduction does not suggest that a related map ever existed but offers systematic comments on the location and size of the seas, division of the continents, and possibilities of navigation.

(?) In the history of European cartography a controversy arose over whether Ptolemy in fact mapped the east coast of Africa as reaching far to the east opposite Asia, as late medieval maps show, and whether he conceived of the Indian Ocean as an open or closed sea. The text and tables of Geography do not answer these questions. On the one hand, Ptolemy's description of Ethiopia limits the extent of Barbaria to the east by the Bay of Arabia, the Red Sea and the Barbaricus Sea (IV,7). On the other hand, the land mass of Ethiopia bounded by the Great Bay of the Outer Sea is also said to be "terminated... by the unknown land toward the west and the south "(IV, 8).

The controversy over the closed contour of the Indian Ocean does not apply to Arab geography since neither texts nor maps currently in existence, of whatever school of thought in Islamic scholarship, ever suggested that the waters of the Indian Ocean did not communicate with the mass of the ocean. Furthermore, the suggestion that printing and color confusion may have played a role in the proliferation of European maps of the "closed - sea" pattern" has no bearing on Arab cartography, as the Arab medieval tradition preceded the revival of Ptolemy in Europe; the carliest extant world maps, which are first to show the Indian Ocean, or Bahr al-Hindia begin-

 Encyclopaedia of Islam (2nd ed.), s.v. "Bahr al-Bind," by D. M. Dunlop and "Djughrafiya", by S. Maabul Ahmad.

Wilcomb E. Witshburn, "A proposed explanation of the Closed Indian Ocean on some Ptolemaic Maps of the Twelfth - Fifteenth Centuries," Revista da Universidade de Coimbra, vol. XXXIII, (1988), sep. sp. 435 - 437.

 $17^{\rm o}$ 05' * 2 in Suhrāb's table. Since Suhrāb's text mentions the integer $17^{\rm o}$. A with no reference to minutes, it may be suggested that here, again, no intended correction of data took place but rather that a matake occurred in the process of transmitting astronomical data through alphabetic notation. The special culprit here is the "cipher," easily confused in its medieval full-round form with the letter ha. (= 5) in its unattached or final scripted form. There are no locations listed with the latitude or longitude of $0^{\rm o}$, so confusion between the "cipher" and whole - degree coordinates is much less likely to occur and in fact, has not been observed (the tens and Londreds up to and including one thousand all require a single character).

The above also confirms that al. Battanī and Suhrāb were editing, copying or otherwise revising Ptolemaic data from the Arabic, rather than the Greek or Syriac, since the nature of digital corruption is tied so closely to the particular script used. There is no reason to challenge the accepted view that al-Khorezmi's furat al-midserved as the source to both the authors. Moreover, the mistakes in the minute component of the coordinates were unlikely to originate in the process of translation from the Greek since Ptolemy's tables do not mark 00° on the one hand, and on the other hand frequently use fraction designations inapplicable to the Arabic version: 1.1.0 for 30°, ½0° for 15° and ½0° + ½0° for 45°.

(5) The sequencing of toponyms in the text and tables plays an important rule in controlling the precision of transmission. The regional divisions of Africa adhered to by Ptolemy were known to his Arab editors but, as was indicated earlier, their texts seem to follow a map rather than a systematic narrative. Their tables also differ an content organization, both from Ptolemy and among each other. The most significant distinction is in the sequencing of the placenames in the tables by clime, the unit first used by Eratosthenes; it is not used by Ptolemy in the existing version of Geography. In this system, locations in the First Clime are generally listed beginning from the south, in the order of increasing longitude; the latitudes for the most part, but not consistently, increase as well. The lists pertaining to the Second Clime restart in the west and south and proceed toward east and north, and so on, Since al - Khorezmi's, the earliest Arabic, version offers a fully integrated and competent handling of the clime system in all three formats - texts, tables, and maps, and since the early European Ptolemaic maps retain it as well, it may be assumed that a version of Ptolemy's Geography incorporating the clime grid had existed prior to the ninth century and was available to early Arab scholars.

I6. Maik, 1926, p. 9; Kubbell and Matveev , p. 302 .

with characters marked with discritical dots underneath, and it seems legitimate to see in al-Khorezmi's published figure another instance of scribal corruption of the digit.

The discussion here is limited to the relevant group of toponyms but further examples of similar nature may be found among both Ptolemaic and non - Ptolemaic data, whether relating to Africa or elsewhere. The point is that what seems to be a mathematical discrepancy may in fact be no more than scribal error; even if the extent manuscript copies from which published editions were prepared are carefully written and appear legible with confidence, to the mistake may have occurred at an intermediate stage. This should be considered an important factor in the evaluation and interpretation of geographic and astronomic data, especially those derived from the same original source or, in E. S. Kennedy's words, "families of sources". Most importantly, this is a factor operating indiscriminately in the records of latitude as well as longitude. Therefore our awareness of it should serve to temper the willingness to explain away mistakes in lengitude by divorcing the numerical content from the system of notation.

(4) It will have been noticed above that the minute component of the coordinates is subject to variation and corruption no less frequently than the degree numbers. There is, however, one pattern of variation which occurs in the minute component at the rate suggesting a special vulnerability. Three types of numbers of involved: no minutes (i. e., 00), tens of minutes and fractions ending in 5. Again, this discussion needs to be divorced from the modern Arabic - numeral notation and focused on sexagerimal Arabic characters. The "no minutes" notation, absent in Ptolemy, uses the Indian zero while the tens are all transcribed with a single character; therefore the mistake, if such is the cause of variation, might involve graphic confusion between the "cipher" and six numerical characters sufficient for expressing the above group of fractions.

For the most part these are easily distinguishable even in handwriting. Reviewing our selected examples, however, it will be noticed that the variation even within this limited pool of numbers is not between the "no minutes" and "tens of minutes" components but rather from "no minutes" to "n + 5 minutes" and from "tens of minutes "to "n + 5 minutes" (or vice verss). Compare $20^\circ/45^\circ$ \$\frac{1}{2}/\infty\$ for Qanānā, $00^\circ/05$ o/, for Rāfātā among the Ptolemy derived data and $00^\circ/15^\circ/30^\circ$ o/ \$\frac{1}{2}\$ for Dunqula from the non - Ptolemsic. The apparently Greek-derived Ptolemsic city of Tiyas (?) on the Red Sea has a latitude varying from 170° and - Khorezmi to

^{15.} This writer was unable to inspect manuscript yer ions of the texts under discussion here.

it becomes possible to treat the disagreement between al-Khorezmi's and al-Battāni's longitude for al-Tib / Aromata as a graphic mistake confusing the sources that were originally coherent with each other and with Ptolemy.

(3) Once the intrusion of the "prime meridian factor" into Greek-Arabic coordinates is eliminated, or at least suspended for sources under discussion, it becomes possible to view in the same light the disparate degrees of latitude cited for identical locations.

To offer an example of the origination of digit confusion, the letters jim ε and ha ε have the same body and are distinguished only by the presence or absence of a dot; in the sexagecimal system confusing the two means variation from 3 to 8. Occasions have been recorded when μ m was scripted without a dot and moreover, with its tail left off to prevent its confusion with ha.³⁴ This, however, could open further possibilities of confusing the truncated, dotless jim with other characters - and apparently did.

An instance of inconsistent latitude citations concerns Qanānā: al-Khorezum gives 2^{o} 45', Suhrāb's table 3^{o} 45' and Suhrāb's text 2^{o} 20' (Ptolemy's Opone is at 4^{o} 15'). It may be observed that the first and second measurements differ by the magnitude of 1^{o} , the first and third differ in minutes, and the second and third in both the degree and minute components. Both the letters ba = for 2 and fim for 3 are normally scripted with a discritical dot underreath, and may be corrupted or confused if carelessly written. It is more difficult to explain in graphic terms the transformation of 45' into 20' ($mim - ha + k\delta f^{-1}/4$) but it may be observed that, although separately, both the degree and minute components of all. Khorezmi's figure reappear in Suhrāb. Therefore the difference among the coordinates as cited may not be regarded as an intended correction but rather a corruption.

Support for this conclusion may be found again if we cast the net wider among non - Ptolemaic toponyms related to Eastern Africa. The capital of Nubis Dunqula has the following listings of latitude: 2° (ba) in al-Khorezmi, 14° 15′ (yā - dāl yā - hā ==) in al-Battānī, 14° 05′ (ya - dāl hā ==) in Surbrāb's text, 14° 30′ (yā-dāl lām ==) in Subrāb's table. Since al - Khorezmi's and Subrāb's coordinates for Aswān coincide completely (55° 30′ longitude, 22° 30′ latitude), the discrepancies again do not seem intended. The latitude of 2° N is inconsistent not only with the other authors' but also with al - Khorezmi's own data for other locations as well as the place of Dunqula in the sequence of listed toponyms (generally moving north from the equator). Both numbers are commonly transcribed

Rida A. K. Irani, "A Sexageomal Multiplication Table in the Arabic Alphabetical System." Studies in the Islamic Exact Sciences (Beirnt, 1983), pp. 511 - 512.

(2) It has long been observed that the greatest discrepancies among the Arabic coordinates, whether Ptolemaic in origin or not, occur in the longitudes. The discrepancies usually noted are of two kinds: one reflects the random variation in magnitude explained as mistakes occasioned by the difficulty of establishing the longitude in pre-modern times; the other originates in the difference of 10° built into the practice of placing the prime meridian at the Canary Islands versus the western-most point of Africa. Mistakes also occur in latitude data but are usually less disparate. 11

As Table 1 shows, in our case variations occur both in longitude and in latitude. Taking the longitude first, as the Arabs did after Ptolemy, it may appear that al-Battani follows the prime meridian chosen by Ptolemy while al-Khorezmi's prime meridian differs from both by close to 10°; the latter manner is also seemingly adopted by Suhrāb. However, in a wider context it turns out that al-Khorezmi and al-Battani do not diverge consistently . In fact, Kush al - dākhila (Ethiopia Interior) has the identical 500 longitude in both the sources. Another example from Eastern Africa (not found in Ptolemy) is Dungolo (Dongola), the capital of Nubia. While al - Kherezmi gives 530 longitude, al-Battani cites 930,12 Similarly, for Aswan; also not in Ptolemy, the longitude is 55° 30° and 95°, respectively.13 Clearly, a mustake of 40° by the author or even translator is doubtful. In surveying the sources it became apparent that in each case the discrepancy seemed significant due to positional mathematical value of the disparate decimal components; an explanation was then sought in the numerical rotation used in Arabic sources.

The Islamic system for marking the numbers originating in sexagecimal computation, such as the 360° of the circle, uses. Arabic characters assigned numerical value in an antiquated order which made transcribing Greek alphanumeric data both easy and convenient. However, a carelessly scripted character could be misread and incorrectly copied by another scribe, considering the graphic specificity of Arabic characters, the resulting mistake in this system could range from 1 to 59. The important point to keep in mind is that such a mistake would have nothing to do with (mis) calculation or fundamental differences in method; its origin would lie in the confusion of handwritten character contours. Once such a possibility is accepted.

^{11.} For a concise summary of variation putterns in astronomic coordinates see Mary II Regier, "Kennedy's Geographical Tables of Madieval Islam - An Exploratory Statistical Analysis," From Deforant to Equant a Volume of Studies in the History of Science in the Ancient and Modicoul Near East in Honor of E. S. Kennedy (New York, New York Academy of Sciences, 1987), pp. 357 - 372.

^{12.} Maik, 1926, p. 4; Kubbel' and Matveev, p. 397.

^{13.} Mak, 1926, p. 108; Kuhhal' and Matveey, p. 297.

The boundary of the Green Sea. — passes under a city at 69° 30' longitude and 6° 10' latitude. Then it curves like a pot near (the place) below the city of al-1', b and adjoins (the place) under the city of Qanàna at 72° 30' longitude and 2° 20' latitude. — It process under the city of Rafata at 66° 00' longitude and 7° 30' latitude beyond the equator.

Although the scenning graphic approximation might excuse the inconsistency to the coordinates, the problem deserves further attention. To begin with, the coordinates contained in the quotation above, as well as the much longer text of nearly uniform nature from which it is excerpted, are very closely followed in Suhrab's versup. In fact, despite the distancing effect that time, editing a new version, and copying may have had on the original data, the narrative parts of al-Khorezoni's and Suhrah's works are closer to each other than the text data of al. Khorezmi to his own tables. This kind of discrepancy has not been noted in the literature and, since it obviously does not originate in Ptolemy, requires an explanation which will take into account the nature of Arabic geographic works. It would be desirable to inquize as well into the transmission process, examining the transfer of data via different languages and numerical systems; unfortunately however, although we are fully aware that many Arabic - Greek texts were translated via Syriac or Hebrew, such intermediary versions are not extant. The following comments therefore treat the data as if they were, indeed, a straightforward translation from Ptolemy; the coordinates are compared within the source, among the sources of the selected group, and between these sources and Ptolemy. The value of the coordinates, the manner and format of their presentation, and the implications of these for Greek - Arabic geographical theory and cartography as well as manuscript - derived numerical data are elaborated in the following discussion.

(1) Regarding the differences between the coordinates ented by Ptolemy and those allegedly derived from him found in Arabic sources, the prevailing explanation considers Arabic data improvements or corrections resulting from the newer independent observations and calculations made by Arab geographers and astronomers. This theory, however, does not hold for the above examples, since in the minth century the Arabs did not have independently - obtained measurements for the old Greek toponyms in the region; their post-Islamic acquaintance with the East African coost must have early revealed that names like Rhapta no longer existed there, and a new inventory of place-names began to be compiled, making Ptolemy's lists irrelevant.

^{9.} At least two versions, in Syriac only, are hypothesized for Ptolemy Nrochkovskii, pp. 81, 80.

¹⁶ On the early degree measurements and updating Ptoleiny ser Krischkovskii, pp 82 - 88. On early Arth contact with East Africa sec, e.g., George Fudha Houram, Irab Scafaring in the Indian Ocean in Ancient and Early Medieval Times (Princeton, University Press, 1951)

Following Ptolemy, the Arab translators of Georgraphy list longitude first and latitude second. Al. Khorezmi's text seems to describe a map, with the sequence of coordinates following the topography of the coast: the general direction of the narrative is toward the east and south. The tubles follow the clime division south to north and west to cost. The system is repeated in Suhrāb's work cited above. Al-Battāni's reworking of Ptokiny, descended from a different translation, contains a condensed introduction and tables of selected locations listed by the region rather than according to precise coordinates, although the west to east sequence is roughly approximated. Only one of Ptolemy's East African toponyms is retained here. The combined list of named locations with their coordinates from Ptolemy and the three Arabic sources is offered in Table 1.

TABLE 1

	Aromata / Tib		Opone /	Qanānā	Rhapta	/ Rāfāţā
Ptolemy	830	6°N	810	4º15'N	710	7°S
al- Khorezmi/table	72°	4°30 N	729304	2º45·N	650	8°S
al- Khorezmi/text	69º30'	6°10'N	72°30	2°20'N	660	7°30'S
al-Battănī	82°	4º30'N				
Suhrāb/table			739301	3045 N		
Subrāb/text	690301	6°10′N	72°30′	2º20'N	659051	7030-5

Certain questions arise in regard to these figures. First of all, unlike Ptolemy, the Arabic data cited by the same author in tables and in the text may not always coincide. The examined texts do not contain discussion of itineraries or distance measurements in other units which might be compared against the degrees. The nature of the narrative, which describes what appears on the map rather than unequivocally citing location coordinates, allows for some discrepancy between the table listings and data extrapolated from the text. For instance, Kitāb şurat al-ārd offers slight variations in the coordinates of all three named East African locations, while the literal resding of the text does not claim mathematical precision.

... حد حر الاحدر ___ يمر السفل مدينة عند طول سط والعرص و ى ويمر على صورة القوارة الفرت أسفل مدينة الطيب ومحاس لاسمل مدينة تمادا عند طول سه م طول عب ل والعرض ب ك . ويمر إلى أسفل مدينة را عاطا عند طول سه م والعرض إلى خلف الاستوى ... "

⁷ Suhrāb's work was originally published in 1930 by Maik, Al. Battāri's aft by Nallino in 1904. Both are cited here in the edition by L. E. Kuhbel' and Y. V. Maryeev, Arabskie istochniki 1 II. - K vekov (Moscuw- Leningrad, 1960), pp. 301, and 296 297 respectively.

^{8.} Mzik, 1926, p. 75.

least two other systems in the early centuries of Islam, becomes dominant in later sources even where no other Greek influence is noticeable. Sixth, if early on Ptolemy's impact is clearest in, and almost limited to, the works of mathematical geography, his major concepts concerning the continer to and the surrounding sea, the seven climes, and the configuration of Africa penetrate the genre of descriptive geography, dictionaries and encyclopedias. Seventh, within the widely accepted cartographic and conceptual framework, the proportion of descriptive and coordinate data traceable directly to Ptolemy falls drastically from the very high in the ninth - tenth century works of the "Greek school" to very low already by about the middle of the eleventh.

The region of East Africa was known to the Greeks, as to the Arabs, only in its coastal part. Sailing from Aromata promontory one came to Azania, traveling with the south wind as far as Rhapta and Prasum. At 83° longitude and 6° latitude N. Aromata emporium lies only 2° west of Opone, fixely identified as Ras Hafun on the Horn of Africa; Rhapts. "metropolis

firmly identified as Ras Hafun on the Horn of Africa; Rhapta, "metropolis of Barbaria", is placed by Ptolemy at 71° longitude and 7° latitude S. The farthest African location east and south is the island of Menuthias at 85° longitude and 12° 30′ latitude S. ⁵

Of all these and other less significant and mostly unidentified locations in Geography, for which almost twenty sets of coordinates are provided, al-Khorezmi retains five, restructuring his table not to follow the outline of the coast as in Ptolemy but to begin with the southernmost part beyond the first clime. Thus, Rāfāṭā (Arabic for Rhapta) comes first, and al-7tb (Ar. for Aromata) follows in the section on the first clime. Two out of five coastal cities are designated merely as madina 'ala't - bahr'' town by the sea, "6 with no transcription of the Greek toponym presumably listed in the original. Although coordinates are given, due to their significant and generally inconsistent disagreement with those of Ptolemy, no identification is possible on their basis. The fifth remaining toponym which it is possible to place on the eastern, rather than northern, coast of the Horn, is Qanānā. In the discussion below Qanānā is held to be identical with Opone.

 See Hans von Mäik, Das Kitab Surat al Ard des Abu Ga'for Muhammad ibn Musa al - Huwanzmi (Leipzig, 1926), pp. 3 - 6.

Consult C. F. A. Nubbe, Claudi: Prolomosi Geographia (reprint Hildersheim, 1966), Bh. 1, 9, 14, 17 and Bk. IV. 7 and B. The English translation by E. L. Stevenson (New York, 1932) washed here. For identification attempts see However Min. * Which reach der arbitischen Berbeitung der Γεωτραμαί, φήτησης des Llaudius Ptolemaeus von Muhammad dim Mosa al. Hwarlami, ** We mer Entschieft für die Kunde des Morgenlandes, No. 34 (1910) and Bernhard Struck, ** Rhapta, Prasum, Menuthius, ** Zeitschrift der Geschichte für Erdkunde zu Berlin, 1921, No. 317, pp. 168 - 196.

lar attention especially in view of the still unresolved cartographic convention which extends the African mainland south of the equator all the way east to form the southern shore of the Indian Ocean. The fact that Arab geographers of the Islamic era (cllowed this convention while drawing on Ptolemy has allowed to regard Arabic geographic sources as carrying on Ptolemy's tradition during the continues when his work was lost to Europe. Thus, the maps credited to Ptolemy which reappear in the West in the 15th century seem to agree with, and be confirmed by, medieval Arabic texts and maps.

A few preliminary observations are in order regarding the extent of Ptolemeic influence on Arab authors in general and in regard to East Africa in particular. First, a brief comment on the coordinates of latitude and longitude. To the extent that Ptolemy is regarded as the carliest geographer to apply them systematically,2 all Muslim geographers who employ such coordinates may be considered as having experienced, and accepted, his method to some degree. It may be worth nothing that such authors represent a numerical minority in the field of Islamic geography, however significant their output. Second, the use of the coordinates by some authors does not guarantee the acceptance of Ptolemy's figures or even of his method of computing the coordinates; this especially concerns the longitude. The nature of discrepancies and some of the reasons causing them are discussed below. Third, there are authors acknowledging their debt to Ptolemy who not only do not use the degree coordinates but transform his cartographic projection while filling the map and text with contemporary data. Fourth, no "pure" Ptolemy can be found in Arabic texts. Even the works regarded as translations of Geography, such as al-Khorezmi's Kitab surat al-ard and Subrab's Kıtāb 'adja'ib al-aqālim al- sab'a do not contain a complete Arabic version of the Greek text or tables, as well as differ from the book structurally." In addition, already in the ninth century al-Khorezmy is thought to have corrected and augmented Ptolemy's data with new information being then obtained through scholarly efforts sponsored by the early Abbasids. Fifth, the Greek latitudinal system of the division of hebitable carth into seven zones (" climes ", Ar. iglim) is introduced into Arab geography with al-Khorezun's reworking of Ptolemys and, despite the parallel existence of at

^{2 -} G. J. Tuomer, "Ptolemy," Dirinnary of Scientific Biography vol. XU(New York - Charles Scribber's Sous, 1975). p. 198.

^{3 -} See discussion in Erust Horigmann, Die sieben Alimina und die πόλειζεπίσημοι (Hautelberg-1929), r=p pp. 120-125, 133, 155 Krachkovskii, rep. pp. 79-82, 94 and € \ \aliminal \text{allino, "Al-Huwatismi ad suo rifacimento della geografia di Tolonico" Racrolia di scritti editi e inediti, \aliminal V (Rome, 1944), 458 = 532.

On sqlim in Arab geography see Encyclopardin of Islam (2 nd ed.) s. v., by André Miquel, and Hongmone. Al-Khorezmi's manner of placing the infint boundaries is unique: Krachkovskii. p. 95.

Ptolemy's East Africa in Early Medieval Arab Geography

M. A. TOLMACHEVA®

The well-recognized debt of Arab geography to Claudius Ptolemy made a profound impression on the development of Arabic geographic science which goes far beyond mere translations of his Geography. From as early as the moth century and as late as the 15th century most Arabic authors writing in the genres of descriptive and mathematical geography echoed Ptolemy as a source for systematic description of the habitable earth. The major areas in which Ptolemaic influence made an impact on Islamic scholars include(i) geographic data: description of continents and seas, and the coordinates of settlements and of topographic features,(2) geographic theory, and(3) cartography. (Ptolemaic mathematics and astronomy are not discussed here).

This paper is a re-examination of the nature and extent of the Greek influence on Arab geography traditionally ascribed to Ptolemy, limited to those early medieval Arabic works which demonstrate a recognized familiarity with Ptolemy on all three levels. These include the writings of the famous early mathematician, astronomer and geographer Mohammad ibn Musa al-Khorezmi (d. c. 232 / 846 — 847) and his less well known editor Subrāb (the first half of the tenth century A. D.) as well as the Anāb ol-zij al-Sabi by the great astronomer al-Battāni (d. 317 / 929). Their data will be explored below with a view toward certain special considerations regarding the historical geography of East Africa. In addition, some questions of general methodology of interpreting data derived from manuscript Arabic sources will be considered.

Although the general extent of Arab geographical borrowing from Ptolemy has been well explored, the case of East Africa deserves particu-

Department of History, Washington State University, L5A.

Paper presented at the interdisciplinary conference for medievalists imagining New II orlds -Factual and Figural Discovery During the Middle Ages (Lebouan College, The City University of NewYork May 12 - 13, 1989). Research for this paper was supported to part by grants from the American Philosophical Society and the Washington Siste University Graduate School

^{1 -} See, for example, I. Iu. Krachkovskii, Isbrannye sochmenia, vol. 4. Arabskaia geograficheskaia literatura (Morcow Leningrad, 1951), ch. III. (consult also the Arabic translation by S. A. D. 'Uthusan Hashim, Cairo, 1963). J. II. Kramers, 'Lis httérature géographique classique des musulmans,'' in J. H. Kramers, Analesia Orientalia, vol. I (Leiden Brill, 1954), pp. 172-204 and Encyclopiacha of Islam (2 nd ed.). s. v. ''Kharita.'' by S. Maqbul Ahansa.

at the observatories of Delhi and Jaipur, and travelled to distant lands at the command of the raja. They took part in just about every facet of Jai Singh's astronomical endeavor. Dayānatu Khān was his most favored and honored nujūmi, and perhaps played an important role in his overall program. He remained associated with the raja for more than 20 years.

As the involvement of the Muslim astronomers slackened, the participation by the Europeans increased, indicating the raja's growing appreciation of the contemporary astronomy of Europe.

Acknowledgements

The author is thankful to Jugadish Chandar and Asha Sharma for their comments on the manuscript of the paper. The funds for the research were provided by UW Fox Cities Foundation and the UW Centers Summer Research grant, and are gratefully acknowledged

APPENDIX

The Arabic and Persian books at the Sawai Man Singh II Museum, Jaipur

- 1. Jomi a Shahi, Persian, (astrology) No. 2 (AG).
- Zij-t Suliëni of Ulugh Beg with commentary by Mullah Chând , Persian , (acquired 1725), No. 6 (AG).
- 3. Zij-: Sultāni of Ulugh Beg with commentary by 'Ali al-Birjandi, Persian, No. 5 (AG).
- 4. Zij-i Suljāni of Ulugh Beg, Persiap, (acquired 1727), No. 11 (AG).
- 5. Zij-: Khāgānī of Chiyāth al-Dip pl-Kāshi, Persian, (acquired 1728), No 9 (AG).
- 6. Zíj-i Sháhjahāni by Faxid al-Dīn Mas ud ibn Ibrāhīm al-Dihlawi, Peresan, No. 12 (AG),
- 7. ..., second copy, (acquired 1725), No. 14 (AG) .
- 41- Tafhim h-ama'il sind at at-tanjim by Abu'l-Rayhan at-Biruni. Peresan, (acquired 1725), No. 7 (AG).
- 9. Almogest, Arabic, (acquired 1725), two copies, Nos. 19 and 20 (AG) .
- Katáb al-Manázir of Ibn al-Raytham as contained in Tangih al-Manázir by Kamál al-Din al-Fárist, Arabic, No. 17,1 (AG).
- 11. The Arabic treatise on the rambow and lunar halo by Ibn al-Haytham, No. 17,2 (AG) .
- 12 Lawa'ın az qamar by Hussyn ibn 'Ali sl-Bayhaqi al-Kāchifi, Perssan, (astrology, acquired 1725), No. 91 (AG)
- Al- Mulaklikhas ft'l-hay's by Mahmüd ibn "Umar al-Jaghamini, with commentary by Qâd'sāda al- Rüml, Arabic, (ocquired 1725), No. 18 (AG).
- 14. Shark Tadhkira by Nizāmu'd- din al-Nishāpuri, Arabir, (sequired 1725), No. 21 (AG) .
- 15, second copy, No. 22 (AG)
- Short Shamehiya-Bisib of at-Barjandi with commentary, Nixtona'd-dia el-Nishopuri, Arabic, (acquired 1725), No. 10 (AG)
- 17 Bradith- har'at al-Kurst (9), Arabic, (acquired 1725). No. 98 (AG)

The Gazeta de Lisboa goes on to add that the delegation had come to resolve questions regarding the astronomical tables used in Portugal and in India, and to acquire knowledge about the old and the new instruments of astronomical observation. The delegation stayed on in Portugal for a few months and finally returned to India in 1730 with instruments, hooks and astronomical tables including the one by de la Hire published in 1702.

Observers to Distant Islands

Jai Singh believed that observations must be taken from different locations on the globe. According to Jagannāthu Samrāt the king's command was: "In every country, in the cast, the south, the west and the north, everywhere observations are to be made." Accordingly, Muhammad Sharif was sent by the raja to Firange country. After having stayed there, he went to the island of "Mahaila" and determined its latitude to be 40:12' South. In this southern country, where the pole was seen to have an altitude, he observed the shapes of the constellations there, drew them on paper and brought back the depictions. He also observed the longitude, latitude and noon colatitude of the places of his visit.

In Dastura Kaumwara, there is no mention of any "Sharif" receiving a gift from the raja. However, there are several entries of gifts given away as cash and in kind to one "Sheikh Muhammad Shafi." It is possible that Shafi and Sharif are one and the same person. The scribes of medieval Indiawere not always careful with names. Different scribes entered the same name differently depending on how it sounded to them. Besides, the possibility of error in copying from one record to the another always exists. If this is the case, then Sheikh Muhammad Shafi (Sharif) left on his overseas journey shortly after 1729.

Conclusion

Jai Singh's interest in Islamic astronomy, and the participation of the Muslim astronomers in his program began sometime in the mid 1710s or even earlier. It reached a peak around 1725, and then tapered off until the death of the raja in 1743. The astronomers searched out astronomical bkoos, constructed instruments, helped with the translations, collected data

^{45.} Samret Siddhanto of Jagannatha Sumret, p. 1165, printed. Delhi. 1967

⁴⁶ The word Firange does not necessarily mean "Europe" In the present context, it should be interpreted as "the land oversees under the control of Europeans."

^{47.} The lanuade measurements indicate some island to the Scycholles archipelago in the ladian occan. Pingree in reference 2 has tried to identify Mahaila with the island of Mahe. However, the island was named much later, sometime in 1742 - 13 by a French explorer after the Christian name of the Fench governor of Mauritins at the time.

^{48.} Ref. 45.

ignore his "chief assistant" and the "author" of an important work such as the Zij-i Mahammad Shāhi. The only reference that this author has been able to trace about Khairu'llāh, in the contemporary literature, is one by Brindāban Writing about him and Joi Singh, in his Safīnā-i Khushago, Brindāban remarks that Jai Singh spent two million rupees in the course of 20 years on his astronomical pursuits, and that this was done with the advice of Khairu'llāh. The statement of Brindāban has been, perhaps, too liberally interpreted than it really deserves. The author believes that Khairu'llāh played so me role in the beginning perhaps, by urging the raja to undertake the ambitious task of revising astronomical tables. He might also have acted as an occasional advisor to the raja. It is doubtful, however, that he was ever involved in the program of Jai Singh to the same extent as Dayānata Khān was.

Delegation to Europe

In 1727 Jai Singh dispatched a scientific delegation to Europe. 39 ln the preface to the Zij-i Muhammad Shāhī he says:

"After seven years had been spent in this effort (observing the stars), information was received that observatories had been built in Europe, . . . , and that the business of observatory was still being earned on there, "440

The delegation, first of its kind from the East, left Amber in 1727, paid a courtsey visit to the Portuguese Viceroy at Goa, delivered presents to him, and then finally reached Portugal in January of 1729.41 The delegation was led by Father Figuerado, the rector of the college of Agra. The Guzeta De Lisboa Occidental, in its issue of March 10, reports:

"Around the end of the month His Majosty gave private andlence to Father Manuel de Figuerrado of the Society of Jesus..., (he) turned over to the king the letters and the gift from the king of Amber, Sawai Jai Singh ... He also brought along with him Pedro Ji, a Catholic and a Mogel by birth; Shrikh Ji, a Mohammedon, "42

The full name of the "Sheikh Ji," mentioned above, it appears, was Sheikh Asadu'llāh Nujūmī. A According to Dastura Kaumvara, the Sheikh was given a variety of gifts in 1726, a few months before the delegation left for Europe.

- 38. Brandaban, ref. 25
- 39. Sharma, ref . 2.
- 40. Ref. 1.
- 41. Gazeta de Lisbou Occidental, p. 24, Jan. 20, 1739 .
- 42. Ihid. , p. 80, March 10, 1729 .
- 43. Ref. 9.
- 44. Thid

not have sought assistance of anybody else. The Muslim astronomers must have also contributed to the preparation of the Devanagari version of the Zij-i Muhammad Shāhi. 2021

Judging by the gifts in the Dastura Kaumvara, it appears that the involvement of the Muslim astronomers in Jan Singh's program, began sometime in mid 1710's, reached a peak a decade later at d. then tapered off sometime before his death in 1743.³²

It is interesting to note that as the number of gifts to the Muslim nujumis decreased, the gifts to the Europeans-firangis - increased, reaching a similar peak in 1735. The Europeans began to participate more actively in the program of the raja after 1727, and they performed essentially the same tasks as the Muslims did except that they were not involved in data-taking at the observatories. The replacement of the Muslim astronomers by Europeans indicates the raja's growing appreciation of the contemporary astronomy of Europe. The replacement of the same tasks as the muslim astronomers by Europeans indicates the raja's growing appreciation of the contemporary astronomy of Europe.

Abu'l Khair alias Khairu'lläh

Khairu'llāh has been called the chief assistant of the raja, 26 and the author of the Zij-1 Muhammad Shāhi. 37 However, doubts are cast on the claims made on behalf of Khairu'llāh, when one does not find any gifts or honors given to him in Dastura Kaumvara. It is inconceivable that the raja, generous as he was in bestowing honors on his scholars, would totally

30. There was at least one copy of the Zij-i Muhammad Shohi prepared in Devanagari.

The copy is listed in the inventory of the raja's personal library, taken in 1745, the year of his death Refer Tozi bundles, Pothikhana, Jaipur Rajya, Rajasthan State Archives, Bikuner

- 31. The other Sanskrit translations acquired by Jai Singh are-
 - 1 Zij i Nuyānandī Shāhjahānī, probably based on the Zij-i Shāhjahānī of Ihrāhīm al-Diblavi, (acquired 1727), No. 23 AG.
 - 2 Zij-i Ulughbeg, (tables only), (acquired in 1729 from Suzat), No. 45 AG.
- 32. There are no gifts listed in the DK for the years 1732-1734, 1736 37, and 1739 1743, Ref. 4.
- Ref. 4, DK, Vol. 18 and 20. See under kaum Musalamán and kaum Firangi. Also rec Tosi Bundles
 of Daftur Nuskha Punyu, Rajasthan State Aschives, Bikaner.
- 34. Sharma, Ref. 3.
- 35. Andrew Strobl, a Bavarian Jesuit, who was one of the European astronomere employed by Jai Singh, substantistes this. In a letter written to Europe, he comments that the raja wanted Europeans for each and every one of his observatories. See Stocklein J. Neura Weltbott, No. 644, p. 15, Augsburg and Grats, 1728.
- For instance see Khan Ghori S. A., "The Impact of Modern European Astronomy on Raja Jar Singh," Indian J. Hest Sci., p. 53, vol. 15, 1980.
- 37. Storey C. A., Persian Literature, vol. 2, part 1, p. 95, London, 1958 Also see Nadavi. Sayvid Sulaiman, "Muslim Observatories," Islamic Culture, Vol. 20 p. 281 1946. Khamu'llah appears to have written a commentary on Zij 1 Muhammad Shahi. Refer Rahman A. et al, Science and Technology in Medieval India- A Bibliography of Source Muterials in Sanskris, Arabic and Persian, p. 285, New Delhi, 1982.

copied from the existing texts. Asadu'llāh provided a copy of Jāmi^c-i Shāhi, a work on astrology. Mullāh Imāmu'ddin Nujūmī was responsible for preparing a copy of Zij-i Suljānī of Ulugh Beg, and according to Dastura Kaumpura, was awarded a sum of Rs. 100 in 1725. And then again in 1726, he received a sum of Rs. 200, presumably for his labors on the manuscript. The manuscript was admitted to the library in 1727. Imāmu'ddīn, according to Brindābsu, was a highly respected scholar of mathematics. He resided in Delhi and died in 1733.

Translations into Sanskrit

Although Jai Singh solicited assistance from astronomers of all faiths, Hindus remained the mainstay of his program, and they carried out their work in Sanskrit. Primarily, for the benefit of these scholars. Jat Singh had a number of works translated into Sanskrit. Navan sukhopādbyāva translated Todhkiro of Nasir al-Din al-Tusi with al- Birjandi's sharb. The translation was done with the assistance of Muhammad Abid, and was completed in 1729.26 Navanasukhopādhvāva translated three other books as well, namely: Ckargranthah based on some Arabic copy of Spherics of Theodosius, Havatagranthah, based on a Persian work Hai'at; and Yantrarāirisālā bisa bāba from Nasīr al-din Tue i's Risālā Bīsa bāba." A fourth book-Sarvadeltyuparkaliyantra - may also have been translated by him. 28 These translations were apparently done with the assistance of astronomers such as Muhammad Abid. Jagannatha Samrat, the religious guru of the raja, wrote Samrat Siddhanto based on some Persian or Arabic copy of Ptolemy's Almagest. According to Dikshit the work was completed in 1731.20 Jagannātha himself was reputed to be well versed in Persian and Arabic, and might

- 21. Ibid. Bohurs, pp. 72 73 .
- 22. Danura Kanmpara, vol. 18, p. 745.
- 23. Ibid.
- 24. Bahura, ref. 7, pp. 74 75 .
- Brindáben, Sofiné ? Khushgo, ms., f. 123, Khuda Bakheba Oriental Public Library, Patns. Recently, the book has been published from Patns.
- Tadhhira of Naşir al- Din Tust in commentary of Ali al Birjandi by Nayanasukhopādhāya,
 no. 46 AG. Sawai Man Saugh Museum, Jaipur.
- 27. Bahura Ref. 20 .
 - 1. Ukaragranthab. (copied 1729, acquired 1730), No. 44 AG,
 - 2. Hayata- grantbah, (acquired 1738), No 24 AG.,
 - 3. Yantrarāja rieālā bien bāba, No. 42 AC, and
 - 4. Jarkallyantrum, No. 5483. Khas Mubar collection.
- 28 Pingree, Ref. 2.
- 29. Dikahit, Bal Gangudhar, History of Hindu Astronomy, Hindu version, p. 399, Lucknow, 1975. The Japur catalog grees 1728 as the completion date of the Samraf Siddhānia. However, the date given by Dikshit appears to be more appropriate, as it is supported by internal evidence from the book.

Ghulām Ḥusam and Kisandī Khān (?) were receiving daily wages in 1733 - 34 at Jaipur along with the other observatory employees when finishing touches were being given to the observatory there.¹²

Jai Singh's primary aim in erecting the observatories had been to prepare a set of astronomical tables, i. e., a Zij. It is very likely that some of the astronomers mentioned above were on the team that compiled the tables for his Zij-i Muhammad Shāhi. However, the Zij does not mention any such astronomers or their contributions.

During the times of Jai Singh, or somewhat before him, there had been some excellent astrolabe makers in the country, and Jai Singh was a collector of fine astrolabes. His Persian astrolabes were presumably engraved or procured by his Muslim assistants. However, no names could be traced in the Rajasthan records that would definitely establish the makers of the astrolabes for the private collection of the raja.

Astronomical Texts

Jai Singh's early training had been solely under Hindu pundits just as of any other Rajput prince of the time, and he studied the Hindu school of astronomy first. However, he soon developed interest in the Persian-Arabic school of the subject, and began acquiring books and patronizing its scholars. In 1716 he received the first two Persian books for his library, Turiya Jantra and Turiya Jantra Pilki, from Sheikh Abdu'llāh. It is noteworthy that the books were on instrumentation, indicating the raja's early interest in observational astronomy. Prior to 1716, according to inventory of his library of 1715, he had Sanskrit texts only. Gradually, he acquired quite a few books in Persian and Arabic on both astronomy and astrology. Many of these books have survived, and may still be seen in the collection of the Sawai Man Singh II Museum of Jaipur. A list of these books is given in the Appendix.

The books were either purchased directly from their owners, or were

^{17.} Tozi Bundles Imarat Khana, V. S. 1791, Japur Rajyu, Rajasthan State Archives, Bikaner.

^{16.} File No. 424 / 1. Jaipur Rajya, Rajasthan State Archives, Bikaner. The records in the file do not give the Persian titles of the books. It was not uncommon for Jai Singh's librarians, however, to list a book by its content, particularly, if it was not in Sanskrit or Rindi. On the other hand it is also possible that the two books brought by Abdu'lish were Persian renditions of same Sanskrit texts.

^{19.} Ibid. The inventory accounts for a total of 32 books on astronomy to Sanskrit.

^{20.} Bahurs, C. N., Cotalogue of Manuscripts in the Maharajo of Joipur Mussum, Jaipur, 1971. David King bas given a brief description of the manuscripts in: "A Handlist of the Arabic and Persian Astronomical Manuscripts in the Maharaja Mansingh II Library in Jaipur, "J. Hist. Arabic Sci., 4 (1980), pp. 82 - 85. Also see Pingree ref. 2

In this paper it will be assumed, however, that the gifts, awards, and honors which the nujūmis received, were primarily for their services related to astronomy.

Dayānata Khān unu other Nujūmts

Jai Singh's most favored and decorated Muslim astronomer, according to Dastura Kaumvara, was Dayārata Khān³. He came in contact with the raja at an early date, i. r., before any of his observatories were completed, and remained associated with him for more than two decades. In 1718 he received his very first and a very generous gift of Rs. 300 from the raja. Then in 1724 he was honored again with a siropā and some other gifts. During a period of more than twenty years that he remained associated with the raja, Dayānata Khān was decorated at least six different times. The very last gift received by him, according to the records in Dastura Kuumpara, was in 1739.⁵ It is reasonable to assume that Dayānata Khān played a major role in the program of the raja.

The nujūnis who received gifts and honors from the raja, and about whose contribution little is known, include Nizām Khān (1717),7 Mirzā Abdu'r-raḥman (1721),8 Sheikh Asad ullāh (1718, 1720, 1726),9 Sheikh Asatu'llāh (1719, 1720),4 Muḥammad Abid (1725),1 Sheikh Ahmad (1725),1 Sayyid Muḥammad (1725 - 1726),4 Sheikh Muḥammad Shafī (1725 , 1729),4 and Va'iz Muḥammad Mehdī (1731),1

Contribution of Muslim Astronomers

The Muslim astronomers constructed the early instruments of the raja, which according to the Zij-i Muhammad Shāhi, were based on the Islamic books. It is reasonable to assume that the astronomers were also involved, to some extent, in creeting the masonary instruments of the observatories of Delhi and Jaipur. According to the Imarat Ahana records,

- DK, Vol. 19, p. 563.
- 6. Ibid.
- 7. Ibid. The parentheses indicate the year of the gift recorded in the DK.
- E. DK, Vol. 18, p. 557.
- DK, Vol. 18, p. 540.
- 10 DK, Vol. 18. p. 554. It is quite likely that Asatu'llah and Asadu'llah (ref. 9) are the same person. The scribes of Jaipur State were not always careful with their spellings.
- 11. DK, Vol. 18, pp. 590 591
- 12. DK, Vel. 18, p. 502
- 13. DK, Vol. 20, pp. 193 196.
- 14. DK, Vol. 20, p. 604.
- 15. DK, Vol. 20, p. 192.
- 16. Ref. L

Muslim Astronomers at Jai Singh's Court

VIRENDRA N. SHARMA*

Sawai Jai Singh (1688-1743), ruler of Amber, patronized astronomers of all faiths. Brahmia pundits. Muslim nujūmia and Jeauit priests from Europe contributed to his program of rejuvenating astronomy in the country. Although much is known about his Hindu and European assistants, 2.3 little has been written about his Muslim assistants. The object of this paper is to shed light on the Muslim scholars, and on the services they rendered to the cause of the raja.

Dastura Kaumvara

This paper is based primarily on the Rajasthan State Archives' Dastura Kaumeara books, and 2 volume set, in which favors, honors, and gifts expended by the rulers of the Amber or Jaipur, over a period of several generations, are recorded. The Dustura Kaumeara records go back to the times of the emperor Akbar; however, they are more numerous for the Jai Singh period. In the records, the Mushim astronomers are listed under the category Muslim and identified by the title nujūmī (astronomers/astrologers). Jai Singh awarded his nujūmīs a variety of gifts, such as a siropā or ceremonial dress, a horse, or various amounts of cash ranging anywhere from Rs. 1 to Rs. 1000. The Dastura Kaumeara records sometime elaborate upon the reasons for a gift, whereas at other times they simply list the amount spent on the gift items.

- . University of Wisconsin, Meuscha, LSA.
- 1. Zij-i Jadid Muhammad Shihl, Ms. London, B. L. Add. 14373; f. l.
- For Jai Singh's Hindu astronomers, ace D. Pingree, "Indian and Islamic Astronomy at Jayaaimha's Court," to appear.
- For his European essistants, see V. N. Sharms, " Jai Singh: His European Assistants and the Copernican Revolution," Indian J. Hist. Sci., 17 (2), 333 - 344, 1982
 "The Impact of the Eighteenth Century Jesuit Astronomers on the Astronomy of India
 - and China, "Indian J. Hist Sci., 17 (2), 345 855, 1982.
 ..., "Jeaust Astronomers in Eighteenth Century India," Archives Internationales d'Histoire
- des Sciences, 34 (1984), pp. 99 107.

 4. Dastues Kaumones, Rajasthan State Archives, Bikaner, Originally, the records had been kept
- b. Desires Kommura, Rajasthan State Archives, Bikaner, Originally, the records had been kept on 5 "x 7", loose leaves of puper, known us the arisates. The arisates, during the later years of the 19th century, were copied into large size books of almost 1000 pages each, as we find them today. The books have a total of almost 100,000 entries, arranged alphabetically according to the category of the recipients. However, exceptions are numerous, and scattered throughout the volumes. For example The Jesuits, such as Manuel Figurado, are listed under the category "Musalama" (Muslim), and not under Firings, as one would expect. The Dastara Kaumpurs will be referred as DK henceforth

Journey & Studies on the House of Asalto Status Science Hintpey of commonly Neur C

ARABIC: WATER - CLOCKS

Danaid R. Hill

Conversion of Austra-Insulate to the History of Arabic Scotter Strone Neme 1000

Publications Dealing with Technology At, the al.H.A.S.»

Al - Hassan, Ahmad Y. A compendium of the Theory and Practice of the Mechanical Arts, by Abu al-fizz al -Razzaz al-Jazari.

US \$ 40,00 .

Al - Hassan, Ahmad Y. Al- Hiyal, by Banti Müsä (Mechanical Ingenious Devices). US \$ 30.00.

Tagi al-Din and Arabic Mechanical Engineering Al - Hassan, Ahmad Y. (Second Edition) . US \$ 20.00

Hill, Donald Arabic Water Clocks (In English) US \$ 20.00

Al-Aniq fi'l-Manajiniq by Ibn Arunbagha al-Al - Hindi, fhsån Zaradkāsh, US \$ 10.00

Watson, Andrew Translated Agricultural Innovation in the Early Islamic World. by Al- Ashgar, A. US \$ 20.00

- Schapurian, Rees: Die deskriptive Bedeutung von Ibn al-Haithams Optik "Kitâb al Manāzu" für die Wahrnehmungelehre, Diss., Bonu 1960.
- Schnaase, L. : Die Optik Albazens, Programm des königlichen Friedriche Gymnasium zu Pr. Stargard, 1889 (réimprimé dans 'Schriften der naturforschenden Gesellschaft zu Danng', 7 1890).
- Schramm, Matthias . Ibn al- Haythums Weg zur Physik. (Boethus Texte und Abhandlaugen zur Geschichte der exaktat Wissenschaften, vol. I) Wissbaden 1963
- "The al-Haytham's Stelling in der Geschichte der Wissenrchaften", Fikrun wa fann, (#1965),1-22.
- Sessono, J. "Un ménioire d'Ibu al-Flaytham sur un problème arithmétique solide", Contauras, 20 (1976), 189 - 195
- Steinschneider, Moritz: ** Aven Nathan e la teorie sulin origine della luce linnare a delle stelle, pressa gli abrei del modia avo**, Rullett di biblioge, adi etoria della se, matem, a fis. 1 (1868), 33-40.
- ** Notice sur un onvrage estronomique inédit d'Ihn Hartham ** , Bulletteno di bibliografia e di etoria delle sc. mot. a fiz. , XIV (1881), 722 740 .
- "Supplément à la notice sur un ouvrage astronomique inédit d'Ibn Haitham". Bulletino de bibliografia e di storia delle sc. mat. e fia., XVI (1983), 505 – 513.
- Wiedemann, Eilleard: "Zur Geschichte der Brennspiegel", Sitsungs-ber. der Phys. -Med Sozietät, Heft 23 (1891), S. 21 = AAWC, vol. 2, Appendice, 738 - 755).
- "Eine Zeubnung des Auges bei dem Bearbeiter der Optik von Ihn al-Haitam, Kamål al-Din al-Färisi und Meckverse über den Ban des Auges". Zentrolblatt für prokt. Heilkunds. 34 (1910). 210 214.
- "Zu Ibn al- Haitams Optik". Archw für die Gesch. der Naturwiss, und der Technik. 53 (1910),
 1 53.
 - Winter, H. J. J. . "The Optical Rescarches of Ibn al- Haytbam", Contagous, 3 (1954), 190 210.

- Jourdain, A. L. Alharen, Biographie universelle ancienne et moderne, val. 1. Paris 1811.
- Lindbarg, David C. "Albasen's Theory of Vision and its Reception in the West", Jsts., 58 (1967).
 321 341.
- Lohne, J. A. . "Albarene Spiegelproblem ", Nordisk Mutematisk Tidskrift, 18 (1979), 3 35
- Mushafā Musharrafa, "Ali . " Ihn al-Huytham ku "Alim Rrykdi ", Proceedings of the Mushem. and Physical Soc. of Egypt, 1 (1939), 35 33 .
- Nazif. Muşinfa Al. Hasen ibn ol. Haytham, Buhüthuhu vo kuchüfuhu al. başuriyye (Publications de l'Université Egyptienne, Faculté Polytechnique, 3), 2 volumes. Le Caire 1942 1943.
- "Ibn al Haytham ka "Alim Tabi" 1". Proceedings of the Mathem and Physical Soc. of Egypt. 1 (1939), 22 - 30.
- Nebbia, Giorgia . "Tha al-Haytham nel millenimo anniversario della assecta", Physis, rivista di morta della scienza, 9 (1967), 165 - 214.
- Nucluca. Ennen . " Nota interco e una traduzione italiane fatta nel secolo decimoquarto del trattato d'ottica d'Albasen " . Bullet-tino di bibliografia e di ziona delle scienze matematiche e fiziche (1871), 1 40 .
- Pines, S.: "Ibn al. Haytham's critique of Ptolemy", Acres du Xe Congrès Intern. d'Histoire des Sciences, vol. 1, Parie 1964, 547 - 550.
- Rashed, Roehdie · " Le modèle de la sphère transparente et l'explication de l'arc- en- ciel : Iba al Haytham, al- Parisi " , Reous d'histoire des sciences, 23 (1970), 109 140
- Optique géométrique et doctrine optique chez Ibn Al-Haytham ** . Archive for History of Exact Sciences, 6 (1970) , 271 – 298
- "La construction de l'heptagone régulier par Ibn al-Haytham". Journal for the Hist, of Arabic Science, 3 (1979), 309 · 387.
- "Iha al Haytham et le théorème de Wilson", Archive for the Hist, of Experim Science, 22 (1980),
 305 321.
 - "Thu at Haytham et in mesure du paraboloide ", Journal for the ffist, of Arabic Science, 5 (1981), 191 262.
- Sabra, A. I.: "Explanation of Optical Reflexion and Refraction" Ibn al. Haytham, Descartes, Newton", in: Actes du Xe Congrès Intern. d'Histoire des Sciences, vol. 1, Paris 1964, 551 - 554.
- "The Astronomical Origin of Ibn al-Haytbum's Concept of Experiment", 4ctes du XIIe Congrés Intern. d'Hutoire des Sciences. Parls 1968, vol. 3 A. Paris 1971, 133 - 136
- ** A Note on Cadex Bibliotheca Medicea Laurenziana Or. 152 **. Journal for the Hist. of Arabic Science, 1 (1977), 276 - 283
- "Sensution and inference in Albazen's Theory of Assual Perception", P. Machamer, R. G. Turnbull (&d.). Studies in Purception, interrelations in the Hist. and Philos. of Sc., Columbus, Ohio 1978, 160 185
- "He al-Haytham's Lemmas for Solving "Albazen > Problem" ", Archive for the History of Experim General, 26 (1982), 299 326
- Soleh Beshara, Omer : Ibn al Haytham's Optics a Study of the Origins of Experimental Science (Studies in Islamic Philosophy and Science), Minneapolis / Chicago 1977
- Sarion, G. : " Query, 80. 76. The Tradition of the Optics of Ibn al. Baitham", Ins. 29 (1938), 403 - 406.

- Terrioglu, Nazim · Das achie Buch zu den ' Conica ' des Apallonsus von Parge, Rokonstrusert von Ibn of: Rayanu, Istanbul 1974.
- Wisdemann. Eilherd: "Ibn al-Huijam, ein arabischer Gelehrter" (traduction de l'autohiographic)
 Festschrift für J. Rosental. Leipzig 1906, 149 178.
 - " Über die Lage der Milchstrade nach Ibn al-Haitam ", Strius, 39 (1906), 113
 - " Ober eine Schrift von Ibn al-Haitam " über die Beschoffenheit der Schatten " Setzungeber d. Physik. Medis Soc., 39 (1907), 229. 248 (# AAWG, Vol. 1, XIII, 377 395) .
 - "Anschauungen der Muslime über die Gestalt der Erde " (traduction partielle de Kith fi Hay at al-"Alum), Archie für Geschichte der Naturwiss, und der Technik, 1 (1909), 310 - 319.
 - "Kleinre Arbeiten von Ibn al-Haitam", Sitzungsber, der Phys. Med. Sos., 41 (1909), 1-25 (= AAWG, vol. 1, XVII, 519 544).
 - "Ibn al Haituma Schrift über die sphärischen Hohlepiegel". Bibliotheca Mathematica, 3. Folge, 10 (1910), 293 307
 - "Ther die Brechung des Lichtes in Kugeln nach Ibn nl-Haitam und Kamft al-Diti al-Parisi, Suzungsber. der Phys. Med. Soz., 42 (1910), 15 58 (= AAWG vol. 1, XIX, 597 660).
 - "Theorie des Regenhogens von ibn al Hastam", Sitsungsber der Phys. Med Soz. , 46 (1914), 39 56 (= AAWG, vol. 2, XXXVIII, 69 86)
 - -" Über die camera obscura bei Ibn al Haijam ", Suzungsber. der Phys. Med. Sosieiäi, 46 (1914), 155 169 (= AAWG, vol. 2, XXXIX, 87 101).
 - "Über eme besondere Art des Gesellschaftsrechnens nach Ibn al-Haijam", Sitrungsber, der Phys. - Med. Sonistät 1926 / 27, 191 - 195 (= AAWG, vol. 2, LXVIII, 616 - 621).

Livres, thèses, articles etc.

- *Abd al Razzáq, Muştafa "al-Nāḥıya al Falsafiyyu ti-A"und Ilm al Haytham ", Proceedings of the Mathem, and Physical the Society of Egypt, 1, 3 (1939), 7 11
- Abel, Arman · · · La sélonographie d'Ibn Al-Haitham (965 1039) dans -es repports avec la science grecque · · , He Congrès Nutional des Sciences, Bruxelles 1985, 76 81
- Baker, M.: "Alhazen's Problem. It's Bibliography and an Extension of it ", American Journal of Mathem., 4 (1881), \$27 381
- Bouer, Haus : Die Psychologie Alhanera (Beiträge zur Geschiehte der Philosophie des Mittelelters. 10.5.), Münster 1911
- Bode, P. . "Die Albanensche Spiegelaufgabe in ihrer historischen Entwicklung nebst einer analytischen Losung des verallgengel-nerten Problems ", Jahresber des Physik Versins zu Frunkfurs a. M., 1891 / 92 (1893) 68 197
- Duhem, Pierre: "Le Résum» d'Astronomie d'Ibn Al-Haitam". Le Systeme du monde, vol. II, Paris 1914, 119 - 129
- Federic: Vescoeini, Graziella "Contributo per la storia della fortuna di Afhazon in Italia il valgarizzamento del ms. Vat. lat 4595 e il "commentario terso" del Ghiberti", Rinascimento, 2c eérie, vol. V (1965), 17 49.
- Hartner, W: "The Mercury Hornscope of Marcantonin Michiel of Venice. A Study in the History of Renaissance Astrology and Astronomy.". Vistax in Astronomy, 6d par A Beer, vol. 1., Londres / New York 1955, 86 138

Editions et traductions

- Baarmann, J. . "Abbandlung über das Licht von 1bn al- Haitbam", Zestschrift der Deutschen Morgenl ndischen Gesellschaft, 36 (reprint 1968), Leipzig 1882, 195 237
- Heiberg, J. L. / Wiedemann, E. "The al-Hoiteres Schrift über parabolische Hohlspiegel", Bibliotheca Mathematica, 3 a série, 10 (1910), 201 - 237.
- Hogandijk, J. P. Ibn al-Haytham's Completion of the Course, N. Y / Berlin / Heidelberg / Tokyo 1985.
- Ibn al-Haytham Majmü* ar-Rosd'il (Fi Adwa'al-Kawakib, Fi'l-Daw' Fi'l Maraya 'l-Muhriqa bi'l Qatu', Fi'l Maraya 'l- Muhriqa bi'l Da'ira; Fi'l Mokan, Fi Shaki Bani Musa; Fi'l Musaba Fi Qaw' al-Qomar, Fi Khawasi al- Muthallath min Jihat al- "Amud), Hayderabad 1938 / 39
 - Kubb fi Hall Shukük Kubb Uqlidas fi't Upil wa Shurh Ma'anthi / On the Revolution of Doubts in Luchd's Elements and Interpretation of Its Special Meanings (Publications of the lust for the Hist, of Arabic- Islamic Science, C, vol. 11). Frankfurt s. M. 1985
 - Prospettiva (Une traduction ital , du De aspectibus per Guerruccio di Cione Federighi) .
 Bibl. Apost. , Vat. ist. 4595, fol. 1r- 177v (1341) .
- Kohl, K "Über den Aufbau der Welt nach Ibu al-Haitam" (traduction partielle de Kitäb fi Hay'at al-"Alam), Sitzungsber, der Phys. Med. Soziet t Erlangen, 54/55 (1923 / 23), 140 179.
 - "Über das Licht des Mondes. Eine Uptersuchung von Ihn al-Hauham ", Sitzungsber, der Phys. Med. Sozietät Erlangen 56/57 (1924 / 25), 305 - 398
- Millio Vallicrosa, J. M. De forma mundi (Knab fi Hay'st al-Alam), Madrid 1942.
- Rushed, Rushdre '' 'Le discours de la lomière' d'Ibn al Haytham '', trad. fr critique, Revue d'histoire des sciences , 21 (1968), 197 224 .
- Riener, Friedrich Optione thenaueus Albazeni Arabis libri septem. , Bale 1572 (reprint Newyork 1972).
- Sabra, A. I: "Maqala... fi Ma'tyys al-Athar el-ladhi fi Wajh al-Qamar " (Discours sur les traces qu'on voit sur la lune), Journal for the Hist. of Arabic Science. 2 (1978), 7-18.
 - Al Husan ibn al-Hasan ibn al-Haytham, Kubb al-Manāzir (Optique). Livres 1 III, avec glossaire arabe- latin et tables de concordance, Kuwait 1983
 - The Optics of Ibn Al. Haytham, Livros I III; sur la vision directe, trad. avec introd. et comm. (Studies of the Warburg Institute, 40), Londres 1989.
- Schoy, C. , "Thin al-Haitham Abhandlung des Hasan ben al-Husain hen al-Haitham über eine Methoda, die Polhöhe mit größter Genauigkeit zu bestimmen", De Zee, 10 (1920), 586 - 601
 - "Abbandiung des Ansau b. al-Masan is. al-Haitam über die Bestimmung der Richsung der Qibla" Zeitschrift der deutschen morgenfondischen Gesellschaft, 75 (1921), 242 - 253
 - Über die Natur der Spuren, die man auf der Oberfläche des Mondes sieht, Ranovre 1925.
- Sédifor, L. A. " Traité des commes géamétriques d'Ibb Alhaitham" Journal asiat., XIII (1834), 435 ff.
 - Collection de problèmes, Paris 1836
- Suds, B. H.: Jbn al-Maytham's Commentary on the Premises of Euclid's Elements, unpublished Ph. D. Thosis, Princeton 1976.
- Suter, Hemrich "Die Kreisquadratur der Ibn al-Haţaro", Zeitschrift für Mothematik und Physik, hist. http://doi.org/10.1009/j.33-47.
 - "Die Abhandtung über die Ausmessung des Paraholoides von el-Hasan b. el-Hasan el-Haitam", Bibliotheca Mothematica, 2 (1912), 289 - 332.

par les preuves que nous avons présentées (dhahara) dans ce traité que chaque cercle est l'équivalent d'un carré rectiligne. Il en résulte dès lors l' "erronenté" (fasad) de ceux qui sontiennent cette opinion illusoire (tā'ifa) et l'évidence (wadh)que chaque cercle est égal à un carré rectiligne. Et les opinion (ma'ānin) de la raison n'ont pas besom d'être vérifiées (haqā'iq) jusqu'à e que l'homme les concrétise et les actualise (ilā nujūd al-insān lahā ma ikhrājihā ila' l-fi'l). Mais il suffit que la preuve nille jusqu'au seuil de la réalisation (imhān), et l'opinion (en question) sera justifiée - que l'homme les conduise à l'acte ou non. Et voilà qui est assez pour la vérification (tahqiq) de cette opinion. Neus avous atteint notre but.

Fin du traité. 39

BIBLIOGRAPHIE

Ouvrages généraux

Federici- Vescovim, Graziella Studi sulla prospettiva medievale, Turin 1965 .

Grant, Edward (ed.) A Source Book in Mediconi Science, Harvard / Cambridge (Mass.) 1974

Ibn 4bi Uşubi'a "Uyün al- inbâ' fi Tabaqât al- tiibbâ', 2 valumes, 6d. par A. Miller, Le Carre / Köngeborg 1882 - 1884 [trad fr. par B. R. Sanguinetti, dans : Journal asiatique, v. 3, 230 ss; 4, 17825. (1854.); 5, 40125. , 6, 12955. (1855.), 8, 316 ss. (1856.)], il existe quasi une édition parue en 1958 à Alger.

Krouse, M. "Stambuler Haudechriften islannscher Mathematiker", Quellen und Studien aus Gesch. d. Mail., Astron. a. Physik, B. Studien, 3 (1936), 437 – 532.

Lindberg, David C. , Theories of Vision from al-Kinds to Kepler, Chicago Londres 1976.

Meyerhaf, M.: "Die Optik der Araber Ein Sammelbericht " - "eitschrift für ophtolmol Optik mit Einschliß der Instrumentenkunde, 8 (1920), 16 - 29, 42 - 54, 85 - 50.

Montaclo, J. E. , Histoire des mathématiques, vol. 1, Paris 175a

Ronelu, Vasco : Storio della luce, 2e éd., Balogne 1952

Resential, F., "Die archische Autobiographie". Stadio Arabica, I (= Anglecta Orientalia, 14), 1937, 1-40.

Sabra, A. I., Ibn al-Haythura, Abû "Alf al- Ha na ibn al- Ijusan, DSB (Dictionary of Scientific Biography), vol. VI, 180 - 210

Sédillot, L. A. 1. Matériaux, pour agreir à l'histoire company, des seurices mathématiques ches les Groce et les Orientaires, 2 volumes, Paris 1845 - 1849.

Stateschneider, Moritz. "Vito di matematici arabi. Tretto da un' opera inedita di Bernardino Baldi".
Bulletino di biblioge e di storia dello scienza mat. e fiz., 5 (1872), 427 - 53.

Suter, Heinrich - Die Mathematikar und Astronoman der Arabee und thee Werke (reprint New York 1972), Leipzig 1900 -

Wiedemann, Edhard Auf 5.2 zur arabierben Wessel chafts-geschichte (articles On's des Sizzan v. berichte der Phys. Mediz Seziel). Vol 34 - 50) ; 2 volumes, Hildesheim 1970. (= AAW (-).)

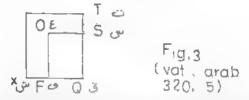
Wospeke, F. - L' Algèbre d'Omur Alkhayyami, Paris 1851

^{39.} Sater public encore un ajout qui figure dans les manuscrits de Berlin Cet ajout montre que le problème de la quadrature du carcle a continué à préoccuper le monde arabe. Nous l'omettone toutefois puisqu'il n'est pas de la plume d'Ibn al- Haytham

la ligne DC est donc une et ne change pas, parce que la ligne AD est une ligne dont la grandeur cat connue et ne change pas. Qu'on relie BC et on obtient le triangle BCD. Le rapport du triangle ABD au triangle BCD est égal à celui entre la ligne AD et la ligne DC, et le rapport entre AD et DC est le même qu'entre le croissant AEBH et le cercle HMEN. Et le triangle ABD est au triangle BDC equ'est le croissant AEBH au cercle HMEN (ABD: BDC = AEBH: HMEN). Et par inversion, le rapport du triangle ABD au croissant AEBH devient l'équivalent du rapport entre le triangle BDC et le cercle HMEN [ABD: AEBH = BDC: HMEN].

Quant au croissant AEBH, il a été prouvé qu'il est l'équivalent du triangle AB. Ainsi, le cercle HMEN est égal au triangle BDC, et chaque triangle est égal à un carré - comme a été démontré dons le deuxsème livre des Éléments.

Et pour rendre un carré égal au triangle BDC, prenons un carré $SFQJ^{\gamma\gamma}$ (fig. 3)



Le cercle HMEN est alors équivalent au carré SFQJ et le rapport entre les diamètres AG et EH est connu, parce que les grandeurs respectives de ces diamètres sont connues. Et pour que le rapport entre 4G et EH soit égal à celui entre XQ^{13} et FQ, il faut que le rapport de AG au carré à EH au carré soit égal au rapport entre XQ au carré et FQ au carré AG^{2} . FH^{2} en XQ^{3} . FQ^{3} . Tracent sur la ligne XQ un carré soit le carré XT.

[$AG^2:EH^2=XQ^2$, FQ^2]. Traçons sur la ligne XQ un carré, soit le carré XT. Le rapport de AG au carré à EH au carré sers alors égal au rapport entre les carrés λT et QO [$AG^2:EH^2=XT:QO$]. Et AG au carré est à EH au carré ce qu'est le corcle ABG au cercle ABG au carré ABG au cercle ABG. Dès lors, il est prouvé par cette démonstration que chaque cercle cet égal à un carré rectiligne. Mais quant à savoir comment trouver ce carré, nous rédigerons à ce propos un traité particulier, puisque dans ce traité nous avons uniquement voulu démontrer que cette opinion (ma^cna) est possible et que l'avis (i^c siqād) de ceux qui croient qu'il est injustifié (layayihhu) qu'un cercle équivale à un carré est erroné. En fait, nous avons démontré

^{37.} Comme Suter j'adopte O pour la lettre arabe coin

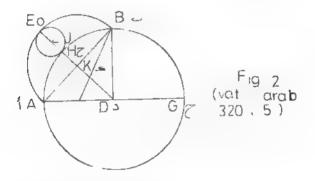
^{36.} De même X pour la lettre arabe shin .

change ni de genze ni de grandeur, ni de forme ni de configuration (hay'a)35 et si elle - même, la grandeur, est invariable, ne change ni de forme ni de grandeur, ni de genre ni de configuration (hqv'a), et si donc et la grandeur et sa partie ont cettes propriétés (fala hadhihi as nifa) il p'existe pour la grandeur et cette partie qu'un seul rapport qui ne change pas et n'adopte pas d'autre aspect. Si la grandeur du cercle ABG est connue (matlam) : seront connus aussi son périmètre et son diamètre ainsi que son centre, le diamètre AG et l'are AB qui équivant à nu quart du périmètre . Seront des connues la ligne AB (corde) et la ligne BD ainsi que le triangle ABD . J'entenda par une comme ce que j'ai décrit pour le cercle ABG (fl sifat adda'ira), qu'elle soit invariable et ne charge pas, car la conque chez les mathématiciens est ce qui ne change pas. Et soit connu le demi- cercle AEB puisque la ligne 4B qui est son périmètre est connu; des con mes sont aussi l'arc 4EB, parce qu'il ne change pas, et l'arc AHB en sorte que le croissant 4EBH est connuj'entends par là qu'il est invariable quant à ses propriétés (thabit falà sifa wahida) . Il ne change ni de genre ni de grandeur oi de forme - par genre l'entende qu'il est une surface plane. Et soit connue la ligne KE qui forme la moitié du diamètre connu, ainsi que la ligne KH puisque les deux points K et H sont connus. Il reste alors la connue EH, c'est-à-dire (étant une connue) elle ne change ni de grandeur ni de forme ni de configuration. La ligne EH est le diamètre du cercle HMEN, et le cercle HMEN est connu, ne change ni de grandeur ni de forme ni de configuration. Or, le cercle HMEN est une partie du croissant .! BEH et tous deux ne changent pas d'état et appartiennent au même genre puisque l'un faitie part de l'autre. Ainsi, le croissant 4EBH a au cercle un rapport invariable aux propriétés fixes (nusha thâbita 'ald sifa wahida) qui ne change pas d'aspect. Et chaque rapport de n'importe quelle grandeur à sa partie est égal au rapport de chaque grandeur à une partie semblable à cette partie (appartenant à la première grandeur). Ainsi, le rapport du croissant AEBH au cercle HMEN est égal au rapport de la ligne AD avec une de ses parties, que nous connaissions la grandour de cette partie ou non. (en fait) nous ne pouvous pas la découvrir et n'arrivous pas à la trouver. Soit DC cette partie, en sorte que le rapport de AD à DC est le même qu'entre le croissant AEBH et le cercle HMEN. Amsi, le rapport de AD à DC est un rapport invariable qui ne change jamais. Et si ce rapport est tel,

^{35.} K. Kohi traduist l'ouvrage natronomique d'Ibn al Haytham Kitôbfi Hay'et al - "Âlim par "Uber den Aufbau der Welt" ("Sur la constitution du monde"). "Hay'e "peut aussi désigner carrèment l'astronomie "unituddin st. Tusi, pour ne citer qu'un exemple, n ainsi écrit un ouvrage intitulé at-iodhkira fi "Ilm al-Hay'e ("Mémoure d'estronomie"). Dans le contexte présent "configuration" nous semble être la traduction adéquate.

^{36.} Ibu al-Haythasu suit ici de près la terminologie et les définitions qu'il « adoptées dans son "Traité des conques géométriques " (cf. M. I., Sédilles Matériaux pour servir à l'histoire comparée..., op. cit., vol. 1, 378 ss).

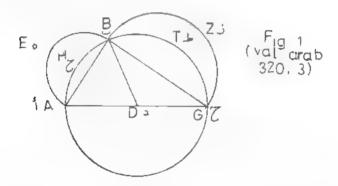
Puisque ceci est prouvé, occupons- nous de nouveau du cercle, du croissant AEBH ainsi que du triangle ABD. Divisons la ligne AB en deux parties égales dans le point K, de sorte que K devienne le centre du cercle AEB (fig. 2). Relions DK et prolongeons cette ligne jusqu'à ce qu'elle coupe les ares 1HB et AEB dans les deux points H et E. DKH devient ainsi le diamètre (demi-diamètre) du cercle ABG et (KHE) le diamètre (demi-diamètre) du cercle AEB parce qu'elle passe par les centres des deux. Divisons la ligne EH en deux parties égales dans le point L et faisons de ce point en décrivant avec HL pour rayon (?) le centre d'un cercle pour obteuir le cercle HMEN. Et ce cercle touchern du dehors le cercle ABG et de dedans le cercle AEB parce qu'il rejoint chacun des deux cercles par les bouts de son diamètre, commun à toutes les trois figures. Ce cercle se trouve en entier à l'intérieur du croissant AEBH, il est donc une partie de ce croissant.



Or, chaque grandeur a un rapport déterminé avec chaque grandeur qui lui est inhérente. Mais personne ne connuît ce rapport et n'arrive à le connaître parco que le rapport des grandeurs entre elles n'est pas conçu pour la connaissance des hommes ni pour qu'il leur soit possible de le découvrir ou connaître (laisa hiya min ajh 'ilm an - nās bihà wa lā min ajhi quarathim 'alā istikhrājiha wa ma'rifatihā). C'est que le rapport entre les grandeurs est quelque chose de propre aux grandeurs du même geure (jins). Si doux grandeurs appartiennent au même genre et chacuur d'elles est limitée (maḥṣur), finie (mutanāhī), invariable (thābit), fixe dans sa grandeur (bāqi 'alā miqdārihi), ne change aucunement d'aspect (wajh), n'augmente ni ne diminue et reste dans son genre, le rapport de ces deux grandeurs reste le même, il ne mue pas et ne change pas d'aspeot. Et pour chaque grandeur dont une partie appartient au même genre vaut que, si cette partie est limitée, finie, ne

périmètre le point B. Traçons alors les deux droites BG et 1B et circonscrivons à ces droites les deux demi- cercles AEB et BZG.

Et je dis que les croissants AEBH et BZGT sont ensemble égaux au triangle ABG .



La preuve est que de deux cercles quelconques le rapport d'un cercle à l'autre est égal au rapport du carré d'un diamètre au carré de l'autre - comme il a été démontré dans le deuxième axome du livre XII des Éléments. Ainsi, le cercle BZG est au cercle BEA ce qu'est GB au carré à B 1 au carré [BZG · BEA = BG^2 : AB^2]. Et par composition (torkib) on obtient : GB^1 + AB^2 ; AB^2 = BZG + BEA : BEA. Or, GB au carré et AB au carré sont égales à AG au carré (GB^2 + AB^2 = AG^2). Ainsi: AG^2 + AB^2 = BZG + BEA : BEA .

Et AG au carré est à AB au carré ce qu'est le cercle ABG au cercle BEA [AG²: AB² = ABG : BEA]. Et le rapport des cercles BZG et BEA au cercle BEA est égal au rapport du cercle ABG au cercle BEA [BZG + BEA : BEA = ABG : BEA]. Ainsi, le cercle ABG est égal aux cercles BZG et BEA. Dès lors, le demi- cercle ABG est égal aux demi- cercles BEA et BZG. Et si nous ôtons les segments AHB et BTG qui ont part (mushtarikān) aux cercles ABG et aux deux cercles AEB et BZG, il reste le triangle ABG qui est l'équivalent des croissants AEBH et BZGT. Et c'est ce que nous avons voulu démontrer. Et si les arcs AHB et BTG sont égaux, les lignes AB et BG s'équivalent, de même les cercles AEB et BZG, et sont des équivalents leurs moitiés ainsi que les croissants AEBH et BZGT. Relions encore B et D, et les triangles ABD et BDG seront égaux. Or, nous avous démontré que les deux croissants sont équivalents et que les triangles ABD et BDG sont égaux. Et si chaque croissant est égal à chaque triangle, le croissant AEBG est égal au triangle ABD.

Au nom de Dieu le clément et miséricordieux qui réjouit les coeurs

Traité d'Ibp al-Haytham sur la Quadrature du cercle . Beaucoup de philosophes (mutofalsifun) sont convaincus qu'il est impossible que la surface du cercle soit équivalent à la surface d'un carré rectiliques et ils repoussent cette opinion (ma'na) dans leurs disputes et controverses. On ne trouve ainsi cher aucun des anciens ni des récents une figure rectiligne qui corresponde à la surface d'un cercle jusqu'au terme de la précision. Or, Archimède qui en fuit mention dans la mesure du cercle n'v utiliea qu'une partie de la surface. 14 Et c'est cet état de choses (maend) qui a entres autres renforcé les philosophes dans leur conviction. Puisque c'est ainsi qu'il en était , nous avons dirigé le regard de notre pensée (nagar al - fikr) sur cette opinion et il nous parut possible et aucunement difficile (de la soutenir). Il y a un pendant à cela : il existe une figure lunaire limitée par deux segments circulaires qui est égale à un triangle et une autre qui forme ensemble avec un cercle un triangle. Nous avons évoqué plusieurs figures différentes de ce genre dans notre livre sur les figures lunaires. Après avoir médité sur les propriétés (afo) des figures lunaires, il se corroborn en nous la conviction qu'une surface circulaire égale à un carré rectiligne appartient au domaine du possible (annahu min al - mumkin), et nous avons approfondi la chose jusqu'à ce que la preuve iût manifeste que cette opinion est possible et qu'aucun doute n'existe quant à la possibilité (imkan) de la démoutrer. C'est alors que nous avons rédigé ce traité.

Nous disons que pour chaque cerele dans lequel ou trace un diamètre et marque dans un des demi- cercles un point au hasard (kaifama ittafaqa), trace à partir de ce point deux droites vers les deux bouts du diamètre et circonscrit par la suite à ces droites deux demi- cercles, (pour chaque cercle donc) vaut que les croissants limités par les périmètres des deux demi- cercles et l'arc du premier cercle sont ensemble équivalents au triangle limité dans le premier cercle. Nous avons démontré (buyyand) cette opinion dans notre livre sur les figures lunaires, voulons toutefois reproduire la preuve (burhân) dans ce contexte.

Soit un cercle ABG (fig. 1) et un point D comme centre. Faisuns passer par D une ligne ADG en sorte que AG soit le diamètre et marquons sur le

^{33.} Ce pléonaume vient de ce qu'Ibn al-Haytham veut commencer par démoutrer l'équivelence fonctèrement possible entre une tigure circulaire et une reculligne.

^{34.} Suser remarque un à juste titre qu'Ibu al-Haytham fait probablement allusion à ce qu'Archimède opère avec le polygone de 90 côtés et n'attent par là qu'une quedrature approximative (cf. ap. cit., p. 36).

gination, elle, est douée d'un pouvoir cognitif2s qui s'explique par la connexité étroite avec la raison dont il a déià été fait mention. Non seulement ses images sont soumises aux lois optiques, mais elle est apte à distinguer les "catégories" visuelles et à les mettre en relation avec l'objet perçu2. D'autre part, l'imagination a une fonction de soutien. Dans le débat sur les rayons visuels, Ibn al-Haytham tranche ainsi que ces rayons ne sont que des lignes imagenaires servant à illustrer et à expliquer l'acte de la vision.16 Ce sont justement ces deux plans de l'imagination qui fournissent les critères nécessaires pour le concept du possible d' lbn al . Haytham : d'un côté la faculté distinctive qui discerne les aspects possibles d'une forme m'elle soit une espèce ou une figure géométrique, de l'autre le caractère foncièrement médial de l'imagination qui permet de mettre en rapport lignes, angles et figures. L'imagination devient ainsi la pierre de touche du possible, c'est-àdire de ce qui peut être mis en relation. Il reste, cependant, un aspect qui distingue l'opiniou de la raison du jugement (ra'y) : celle- ci, du moins dans le contexte présent, n'a pas de fondement dans le monde sensible. L'imagination ne sert alors pas à vérifier le réel, mais se déploie dans la spéculation. D'ici à une méthodologie conjecturale telle qu'elle a été démontrée récemment pour Nicole Oresme31 il ne reste plus qu'un pas à franchir.

La traduction a pour base l'édition critique de H. Soter. 32 Elle suit de près le texte arabe, avec tautes les répetitions et redondances apparentes, et ne prétend dont pas à un incilleur style qui d'aifleurs fausserant le caractère de l'original. Les termes techniques aunsi que les locutions qui ne peuveut être traduites littérajement sont misentre parenthèses. (Les schémas sont tirés du manuscrit vat. arabus 320 rapporté en 1622 de Perse par Pietro della Valle.

- 28, Cf. éd. Risner, II, 76, pp. 74 75 .
- 29. Cf. ibid., 11, 62 64, pp. 66 68.
- 30. Cf. ibid., I, 23. p. 14a.
- B1. Cf. Jeannine Quillet: "L'imagination selon Nicole Oresme", Archives de Philosophie, 50 (1987). 219-227, --Pour l'importance de l'imagination dans la recherche scientifique chez un autre autour du moyen âgn cf. Edith D. Sylla, "Mathematical physics and imagination in the work of the Oxford Calculators: Roger Swineshead's On Natural Motions", Mathematics and its applications to actionee and natural philosophy in the Middle Ages., ed., par E. Grant et John E. Murdoch, Cambridge / London / New York . . . 1987, 59 - 102.
- 32. Pour son édition de la Quadrature du cercle d'Ibn al- Haytham, Suter a utilisé les cass. Mf. 258 et Mq. 559 de la Bibliothèque de Berlin anne que le vat, arabus 320 de la Bibliothèque Apastolique, Pour d'autres manuscrits ef G. Nebbis, op. est., 191.

Tenons compte de ces instructions pour examiner si l'opinion possible dont il est question dans la Quadrature du cercle se réfère également à une réflexion de méthode. Pour l'approche du problème mathématique de la quadrature Ibn al-Haytham d'abord rappelle au lecteur un des ses ouvrages antérieurs qui porte sur les figures lunaires et dans lequel il a déjà évoqué des configurations géométriques où une figure circulaire est égale à une rectiligne.25 Le procédé qui suit s'effectue en doux étapes. En voilà brièvement la description. A première vue, la démonstration ressemble à celle d'Archimède26 dans la mesure où Ibn al-Haytham argumente au moyen de rapports et birapports qui se fondent sur de simples règles géométriques du type: le rapport d'un cercle quelconque à un autre est égal au rapport du carré de sou diamètre au carré du diamètre de l'autre cercle.2 Ibn al - Havtham omet cependant calculs et bissections d'angles. Dans une première étope, il démontre ainsi l'équivalence entre une figure circulaire et une triangulaire. Ensuite, se fondant sur un axiome du deuxième livre des Éléments d'Euclide selon lequel chaque triangle est égal à un carré, il entame la deuxième étape et illustre par une double analogie (si a = b et b = c, alors a = c) qu'effectivement une équivalence entre cercle et carré est possible. Le traité couclut avec l'observation one

"les opinions (ma'anin) de la raison n'out pas besoin d'être vérifiées (haçd'iq) jusqu'à ce que l'homme les concrétise et les actualise ".

L'argumentation d' Ibn al-Haytham dans cette Quadrature du cercle est, en effet, plausible, les analogies s'enchaînent sans difficulté en sorte que le lecteur accepte de prime abord facilement la démonstration. Mais de là à dire qu'elle n'a pas besoin d'être menée à terme, cela rend quelque peu perplexe. En fait, il faut se demander à cet endroit ce qu'entend Ibn al-Haytham exactement par le terme " possible ". La possibilité de la quadrature du cercle résulte pour lui d'une opinion de la raison. Même en admettant que cette opinion opère tout comme le jugement (ro'y) avec des images intérieures, ou ce qui est plus approprié dans ce contexte avec des figures géométriques représentant des rapports déterminés, les critères de la vraisemblance ne sont pas eucore clairs. Pour reconstruire le foud de la pensée d'ibn al-Haytham, il faut, ici aussi, recourir à la Grande Optique. Il s'y trouve une distinction importante entre imagination et fautaisie. Coutrairement à la fantaisie qui n'est qu'un réservoir d'images qui n'ent pas été vérifiées, l'ima-

^{25.} Il doit s'agis soit du '' Traité abrègé sur les figures lunaires '' soit du '' Traité circonstancié sur les figures lunaires '' qui figurent aux numéros 20 et 21 dans la liste transmise par Ibn. Abl Ujaibi'a. Ni l'un ni l'autre n'a été publié. Il serait intéressant de savoir si libn al-Haytham va dans ses traités au-delà des considérations d'Hyppocrate.

Cf. Archiméde · La mesure du carele, texte établi et traduit par C. Mugler, Ocuvres, I. Paris 1970,
 135 - 143 .

^{27.} Cf. Euclide : Éléments. XII., 2. axiome .

Voilà pour l'épistémologie d'Ibn al-Haytham, Ou'en peut-on conclure pour sa Quadrature du cercle ? Ibn al-Haytham se propose d'abord de combattre la conviction des philosophes qui ne croient pas qu'il y ait une solution au problème de la quadrature du cercle. Il parle dans ce contexte de macna, d'opinion : la quadrature du cerch est à ces veux une opinion possible. Le terme muena recouvre dans l'œuvre d'ibn al - Haytham plusieurs sens. 21 Une des plus passionantes est certainement celle des macanin basarivia. que la version latine de la Grande Optique traduit par "intentiones ". Pour souligner les traits les plus saillants du concept qui s'y rattache, il n'est pas sans intérêt de faire à cet endroit un rapprochement avec quelques données fondamentales de la philosophie aristotélicienne. On peut alors affirmer qu'au contraire des catégories du Stagirite qui reposent sur ce qui peut être dit, Ibn al-Haytham développe vingt-deux " catégories " à partir de ce qui peut être percu visuellement tels que les couleurs, la grandeur, le site ou la disposition des parties d'un objet. La différence réside néanmoins dans ce qu'Ibn al-Haytham ne peut dégager, comme le propose Aristote, le fond véridique d'une opinion (doxa), communément admise, au moven d'une dialectique de la langue, mais laisse décider les mathématiques de la vraisemblance. Et pour cause, si la connaissance d'un objet a pour base sa visibilité, les crreurs possibles sont, elles, relatives à la perception. Pour se préserver des illusions dûes à la vision, le jugement a besoin dès lors non d'une dialectique, mais d'une optique géométrique, Bien qu'on ne puisse indiquer un concept de base unique à toutes les significations de macna, il est assez manifeste que dans divers contextes Ibn al-Haytham recourt à ce terme à un niveau de réflexion systématique. Déjà en 1834 dans son article " Traité des connues géométriques d'Ibn Alhaitham " M. L. Sédillot avait attiré l'attention sur la " géométrie spéculative " de celui-ci où l'opinion (ma na ou zann) immuable, considérée une évidence inébraulable, joue un grand rôle.22 Que l'opinion est un mot-clé dans la terminologie épistémologique d'Ibn al-Haytham ressort plus clairement encore dans un autre ouvrage. Son commentaire sur les Éléments d'Euclide commence ainsi par les mots :

"Chaque opinion (ma"nd) dont la vérité est obscure et dont les propriétés sont au ilébut cachées — cat soumise au doute. Et pour celui qui est rebelle à la vérité et qui doute, le chemin (qui condunt) à ses apinoîtretés est large. Et il ne sert à rien qu'il s'en, prenne à lui - meme, à moins qu'il ne vérifie une opinion par la méthode (qu'ab)²³ et le discernement (tampin) qu'il a élaborés foi-métos est dont la vérification (subho) seand forme dans sa raison ("aul) "²⁴

^{21.} Cf. M. Schramm, op. cft., 206, 211.

Cf. Journal asset., XIII (1834), 435 ff. Voir aussi ses Mutériaux pour servir à l'histoire comparés des sciences mathématiques ches les Grees et les Orientoux. 2 volutues., Paris 1845 ~ 1849., vol. 1, 378ss.

 ^{&#}x27;Quyăs' signifie auxsi 'mesure' nu 'analogie'. Dans le contexte présent la traduction 'méthode nous semble être la plus appropriée.

Rudb fi Hall Shukuk Kudb Uqlidus fi'l- Uski wa Sharh Ma'ënihi (Publications of the Inst. for the Hist of Arabic-Islamic Science, C. Facsimile Editions, vol. 11), Frankfurt a. M. 1985, 2.

la Grande Optique (Kitāb al-Manāzir) d'Ibn al-Haytham, sura est i' " espèce générale "6 conque d'après la perception visuelle répétée17 d'un objet quelconque. Elle n'est donc ni dérivée d'un principe ni le résultat d'un processus d'abstraction.' Par ailleurs, dépendant d'un objet extérieur à la pensée l'espèce générale reste sujette à des modifications qui ont leur fondement dans les lois optiques. Le jugement a ainsi effectivement pour point de départ le domaine du sensible qui, en retour, trouve au moyen de l'optique géométrique un pendant constamment mis en cause et rectifié dans la raison. L'apport des mathématiques appliquées semble ainsi se réduire à la fonction d'un instrument de précision susceptible lui-même d'être continuellement rectifié.18 Lue analyse plus poussée du rapport complexe entre physique et mathématiques dépasserait de loin le codre de cette introduction à la Quadrature du cercle d'Ibn al-Haytham. On peut néanmoine retenir deux aspects foudamentaux. 1º l'épistémologie d'Ibn al-Haytham a pour base la visualité du monde et la faculté de la raison (cagi) de former à l'aide des lois optiques des images intérieures continuellement vérifiables et servant à rendre intelligibles les objets extériours. 2º la connexité entre la raison, la faculté de former des images (imagination) et de les tenir présentes (mémoire) sans cette dernière une rectification serait impossible puisque la perception devrait toujours recommencer à zéro - est si étroite qu'il n'v a pratiquement pas de différence entre voir et comprendre : dans la Grande Optique, en effet, percevoir visuellement est comprendre immédiatement.20 Si, de surcroft, le jugement (ra'v) dans lequel culmine et l'expérience visuelle et la reconstruction géométrique dans la raison a lui-aussi , considéré étymologiquement, une connotation visuelle, rien de moins surprenent : ra'v dérive, en effet. de la racine ro'd " voir ".

- 16. Le terme est emprunté à G Federici-Viscovini : "Contributo per la storia della fortuna di Albasen in Italia il volgarizzamento del usa Vat. lat. 4595 e il "commentario terra" del Chiberti" Rinascimenta ; 2s serie, vol. V (1965), 17 49 , 27 ; "espece générale " donne une idée asser exacte de ce qu'entend fin al-Haytham par sura , pourva qu'on tienne compte de ce qu'il s'agit d'une aspèce conque visuellement.
- 17. Um al-Haythum distingue entre une perception qui a lieu selon touales rayona qui frappent l'ecil (dans la version latine de l'édition Rainer, aspectus) et une que survient selon le seul rayon persendiculaire et qui, par la, est perception plus distincte (intuitio). Evidemment, o'est par la perception intuitive que se fait la vérification de l'espèce génerale (cf. F. Rainer, Opticae thasnarus Athasens Arabis libri septem., Bûle 1572, II, 62 64, pp. 66 68).
- 18. Cf. G. Federici- Vescovini, op. cit, 26 ss.
- 19 D'autre part, eu début de son dirécours sur la lumière Ibn 41- Haytham déclare que soules physique et malifematiques prises ensembles neuvent réussir à expliquer et qu'est la lumière, l'une sa nuture (mahiyya ; quidditan) les autres su modalité (haifiyya ; quolitas). Pour une traduction française de ce discours cf. R. Rashed, Revus d'histoire des sciences, 21 (1968), 197 224.
- 20. Cf. up cit. , &d. Rianer, II, 65 , p. 68 .

le cas, les spéculations sur les phénomènes naturels, d'autre part être insérées dans un contexte physique et perdre par là leur caractère foncièrement hypothétique. O l'est ainsi qu'ibn al Haytham substitus au modèle ptolémique une conception plus appropriée à l'expérience du moude.

"Les monvements de cercles et le point fictif que Ptolémée avait considérés d'une monière entrèrement absteuite, nous les placerons dans des suffaces sphériques ou planes qui secont sounées des inèmes monvements. Cola, en offet, constitue une exprésentation plus exacte et, en même temps, plus claire à l'intullegence ", 34

Le concours mutuel envisagé par Ibn al-Haytham entre physique et mathématiques appliquées, resté aujourd'hui encore mutates mutandes un idéal scientifique, n'est pas facile à saisir. De plus, les écrits sur la méthode d'Ibn al-Haytham qui auraient pu fournir quelques renseignements précieux quant à son approche et scientifique et épistémologique ont péri. 12 Pourvu qu'on élabore certains concepts de base, il est oependant possible de reconstruire à partir de quelques autres écrits, pour le moins schématiquement, le fond systématique de sa pensée. Son autobiographie fournit ainsi un indice fort intèressant, d'autant plus important si, comme Moritz Steinschneider le soutient dans son édition des " vite di matematici arabi ", ce témoignage d'Ibn al-Haytham a fait partie d'un ouvrage où il aurait affirmé le primat des sciences sur la foi. 13 Ibn al-Haytham commence par y décrire l'anxiété et le désir de savoir qui l'habitaient jusqu'à ce qu'il reconnut qu'il ne pouvait

" attendre à la vérité que par des jugements (arâ ') dont le fondement ('unjur) est le domaine du sensible (umăr hisnyya) et la forme (zīra) le domaine de la raison (umăr ^eaghyya) "14

On ne comprend la portée de cet aveu qu'en approfondissant le concept de forme. En fait, le terme arabe sara signifie, tout comme le grec eidos, imagesans toutefois correspondre au concept aristotélicien de forme.¹⁵ Dans

- Pour plus de détails cf. l'excellent auvrage de Matthias Schramm: Ibn al- Haythams Weg sur Physik (Buethius - Texte und Abhandhungen aux Geschichte der exakten Wiesenschaften, vol. 1), Wiesbaden 1963, 5 - 63.
- P. Duhem * "Le Résumé d'Astronomie d'Ibs Al-Huitam", Le Syssème du monde, vol. 11, Paris
 1914, 119 129, 132. Cette critique à l'égord de Ptolémée n'a rien à voir avec " le réalisme des
 arabes " (cf. ibid., 117), mais résulte tout simplement d'une réflexion de méthode.
- 12. Cf. Matthias Schramm, ap. cit., 12.
- Cf M. Steinschneider: "Vite di matematici arabi. Tratta da un opera medita di Bernardino Baldi", Bullettino di biblioge. e di ntorio delle sc. mat. e fiz. . 5 (1872), 427 - 534, 466
- 14. Ibn Abi Ujashi'n, op. cit., 93. M. Schramm intervient pour sa traduction dans letexte et reimplace 'onnani' par 'annahu' en sorte que 'asilu' devicine 'aji' (ci op. cit., 10) mais il n'y a aucune raison à cola. Cette partie de la phrase est tout à fait compréhensible telle qu'elle est.
- 15. Pour le début autour des termes "forma" et "species" dans les traités d'optique de Robert Grossierte, Ruger Bocon, John Pecham et Virello cf. V. Ronchi, Storia della luce, Bologon 1952 sinst que D. C. Ludberg, "Alhauen's Theory of Vision and its Reception in the West", Isis, 58 (1967), 321-341. Il faut se demander si la question soulevée dans ce début n'est pas superflue du moment où le terme 'forma' est tout simplement dû à la traduction latine de la grande Optique et n'explique en soi rien à la conception spécifique d'Ibn al-Haytham.

de ce titre dont nous ayons connaissance depuis Archimède "5 n'ait pas encore été analysé. En 1899, finalement, Heinrich Suter entreprit l'édition de cet écrit d'Ihn al - Haytham. Mois depuis, ce traité est tombé dans l'oubli et c'est à poine s'il figure dans quelque bibliographie. L'une raison en est certainement que Suter, bistorien des mathématiques et orientaliste passionié, a été déçu de la solution avancée par Ibn al-Haytham. A son avis, cette Quadrature du Cercle est.

" une sugulière mixtore de vérités géométriques et d'arguments philosophiques, elle n'offre pas de démonstration complete. . . mais donne uniquement une preuve me mathématique, misphilosophique de la possibilité de la quadrature "18.

En fait, pour apprécier ce traité, il faut commencer par tenir compte du public auquel il s'adresse. Dans sa quadrature Ibn al-Haytham n'a pas les mathématiciens en vue. Bien au contraire, il oppose sa propre opinion à celles des philosophes ou plus exactement de ceux qui se sont adonnés à la philosophie, car il ne parle pas de falasifa, terme commun pour désigner les philosophes, mais de mutafalsifun Ce sont ces derniers qu'il veut convaincre de la possibilité de la quadrature - quant à ceux qui attendent une démonstration mathématique, il promet à la fin de sa quadrature un autre traité qui n'a toutefois pas été transmis jusqu'à nous ou qui n'a peut-être jamais été rédigé. Mais en quoi peut consister une solution philosophique d'un problème mathématique? Nicolas de Cuse. pour citer un exemple célèbre, avait pris pour point de départ de sa quadrature du cercle le principe de la coincidence des opposés et avait même songé à la possibilité de parfaire par là les mathématiques." Il en est autrement d'Ibn al-Haytham: le pivot sur lequel reposent philosophie et mathématiques ne réside pas pour lui dans un principe philosophique applicable aux deux domaines, mais dans son épistémologie. Il n'a ainsi jamais situé son idéal scientifique dans les mathématiques pures. Son but était bien au contraire de travailler à une synthèse de la physique (aristotélicienne) et des mathématiques appliquées, c'est-à-dire, dans son cas, l'astronomie et l'optique. Ces dernières devaient par leur précision consolider ou corriger, selon

- 5. Moritz Canter : Forlosungen wher die Geschichte der Mathematik, 2e ed. , Lespzig 1893 , vol. 1 , 744.
- Heinrich Suter. "Die Kreisquadrasur des ihn al- Haitam Zum ersten Mal nach den Marcuskripten der königl. Bibliothak in Berlin und des Vatikans hg. v. übera", Zeitschrift Für Muthematik und Physik, kist, - liter. Abt. . 44 (1899), 35 - 47.
- Quoiqu'en dise Giorgio Nebbia, Helmut Ritter, n'a pas travaillé sur ce traité (cf. "Ibn al-Raytham nel millessmo anniversario della usacita", Physis, rivuta di storio della scienza, 9 (1967), 165 ~ 214, 191). Ritter se contente à l'endroit indiqué de mentionner l'écrit en question.
- 8. H. Suter, op. cit. . 34 .
- Intentio est ex oppositorum coincidentia mathematicam venari perfectionem "(De mathematica perfectione, pors II, fol. 101 r. Nicolai Cusse cardinalis opera, Parisus 1514, 17 - réunprimé Francfort 1962).

La Quadrature du cercle d'Ibn al-Haytham Solution philosophique ou mathématique?

TAMARA ALBERTINI*

Abu "Ali al-Hasan ibn al-Hasan ibn al-Haytham (965 - 1040)! devenu célèbre dans le monde latin pour son ouvrage d'Optique² a traité divers problèmes d'ordre mathématique, astronomique, mécanique, politique et philosophique. Il s'est en outre intéressé à la médecine, heureusement peut-on observer, puisque c'est grâce à ce dernier penchant qu'une longue liste de ses ouvrages nous est parvonue. Ibn Abi Uşaibica (1203 - 1270), lui-même médecin de profession, s'est ainsi chargé de transmettre et compléter dans son histoire des médecins l'autobiographie d'Ibn al-Haytham et la liste d'ouvrages que celui ci y avait dressée. Dans la liste supplémentaire d'Ibn Abī Uṣaibica figure aussi le traité sur la Quadrature du cercle (maqāla fī tarbic addā'īra). Au siècle dernier, l'existence de ce traité était comme au plus tard depuis l'ouvrage de F. Woepeke sur 'Omar al-Khayyam où 117 écrits d'Ibn al-Haytham sont mentionnés'. Moritz Cantor pouvait ainsi déplorer en 1893 que ce traité sur la Quadrature du cercle, " le premier

- * Institut für Geistesgeschichte und Philosophie, Universität Munchen, Germany .
- Pour d'ultérieures données biographiques et une vue d'ensemble sur l'ocuvre d'Iba al-Haythau
 uf. l'orticle de A. I. Sabra dans Dictionary of Scientific Biography, vol. VI, 189 210.
- 2. A. I Sabra a public le texte original stabe; Al- Hasan sho al- Hasan sho al- Haytham, Kitch al-Mondgir, Livres I III, avec glossaire arube- latin et tables de concordance, Kuwait 1983; ainsi qu'une traduction anglaise: The Optira of Inn. Al-Haytham, Livres I III sur la vision directe, itad, avec introd et comm. (Studies of the Warburg Institute, 40), Londres 1989. Nons citous expendant ci-dessons selon l'ancienne édition de Friedrich Risner: Opticus thesaurus Albaseni Arubus libri saptem. ., Bâle 1872 (roprint New York 1972).
- Cf Ibn Abi Uşuibi'a "Uyün al- Anbā' fi 'Ţabogāt al-Aţibba', 2 volumes , éd. par August Müller, Le Caire/Ködigsberg 1882 - 1884, vol. 2, 90 ss. [trad. fr. par B. R. Sanguinetti, Journal assatique, V, 3, 230 ss., 4, 178ss. (1854); 5, 401 ss.; 6, 129ss (1855), 8, 316ss. (1856)], pour use traduction allemande de l'autobiographie cf. Erlbard Fiedemann: "Thrad-Reigum, ein arabischer Gelehrter", Fastichesfi für J. Rasental, Leipzig 1906, 149 - 178.
- 6. Wospeke, F.: L'Algèbra d'Omer Alkheyyami, Paris 1851, 73ns.; pour quelques corrections ef. Heinrich Suter. Die Mathematiker und Astronomen der Araber und ihre Werke (reprint New York 1972), Lespaig 1900, 92 s. Bernardino Balds aute dans les "Vite di matematici arabi "(éd. par M. Steinachneider, Bulkstino di bibliogr. e di storia delle sc. mas. n. fiz., 5(1872), 427 534) une traduction latine de la quadrature du cercle par Pietro della valle qui n'a capendant pas été transmise jusqu'à nous.

Editorial

We regret that the "J. H. A. S." had stumbled and retarded for reasons out of our will. Now it is coming to the light again.

Our most gratefulness to all our subscribers, of researchers and scientific institutions, for their patience and understanding to our accidental circumstances, hoping in return that the publication schedule of the Journal will be, from now on, regular as before, i. e. one volume per year.

As it is not possible to publish volumes for the former period, we considered the period between 1985-1990 a period of suspension but with the maintenance of the volumes' succession and, consequently, the whole rights of the subscribers are respected.

In this very volume you will find the persistent works of the researchers in their trial to reveal the scientific heritage of the Arabic and Islamic civilization. This volume, therefore, includes various and rich articles dealing with diverse topics in medicine, astronomy and mathematics.

Prof. Khaled MAGHOUT, D. Sc. Director I. H. A. S.